Next Generation of Bridge Columns for Accelerated Bridge Construction in High Seismic Zones

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Accelerated Bridge Construction (ABC) utilizes advanced planning, new construction techniques, and innovative detailing to facilitate construction. ABC offers many advantages over conventional construction, the most important of which is the reduction of onsite construction time. Even though ABC has been widely used in low seismic regions of the country mostly in superstructure, application of ABC in seismic areas has been limited due to the lack of seismic performance data regarding substructure connections. The main objective of this study was to develop new ABC connections for bridge columns using novel detailing and advanced materials. Three low-damage materials were incorporated: ultra-high performance concrete (UHPC), Nickel-Titanium shape memory alloy (NiTi SMA), and engineered cementitious composite (ECC). Furthermore, two types of mechanical bar splices, grouted coupler and headed bar coupler, were utilized. UHPC-filled duct connections were developed and evaluated through 14 pullout tests. A new detailing was proposed for grouted coupler column end connections to enhance the drift capacity. Three half-scale precast column models were tested under slow reversed cyclic loading, each with a new precast element connection or low-damage plastic hinge. A material model was developed for reinforcing superelastic NiTi SMA bars. Furthermore, new simple methods were developed to account for bond-slip effects and bar debonding effects in analytical models of reinforced concrete members. It was found that bar bond strength in UHPC is eight times higher than that in conventional concrete. UHPC-filled duct connections exhibited no damage even under 12% drift ratio cycles. The displacement capacity and displacement ductility capacity for the grouted coupler column were respectively increased by 47 and 56% compared to grouted coupler column models investigated previously. Longitudinal bar debonding allowed spread of yielding and prevented premature failure of reinforcements in UHPC-filled duct connections and grouted coupler column pedestal. The SMA-reinforced ECC column showed superior seismic performance compared to a conventional column in which the plastic hinge damage was limited to only ECC cover spalling even under 12% drift ratio cycles. The column residual displacements were 79% lower than CIP residual displacements on average due to the superelastic NiTi SMA longitudinal reinforcement, and higher base shear capacity and higher displacement capacity were observed. The analytical modeling methods were simple and sufficiently accurate for general design and analyses of precast components proposed in the present study. The proposed symmetrical material model for reinforcing NiTi superelastic SMA was found to be a viable alternative to the more complex asymmetrical model. Extensive experimental and analytical investigations performed in the present study led to a new generation of ABC bridge columns in which columns can be built in relatively short time but the seismic performance of these columns is equal or better than columns that are built cast-in-place with conventional materials.
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NEXT GENERATION OF BRIDGE COLUMNS FOR ACCELERATED BRIDGE CONSTRUCTION IN HIGH SEISMIC ZONES

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Abstract

Accelerated bridge construction (ABC) utilizes advanced planning, new construction techniques, and innovative detailing to facilitate construction. ABC offers many advantages over conventional construction, the most important of which is the reduction of onsite construction time. Even though ABC has been widely used in low seismic regions of the country mostly in superstructure, application of ABC in seismic areas has been limited due to the lack of seismic performance data regarding substructure connections. The main objective of this study was to develop new ABC connections for bridge columns using novel detailing and advanced materials.

Three low-damage materials were incorporated: ultra-high performance concrete (UHPC), Nickel-Titanium shape memory alloy (NiTi SMA), and engineered cementitious composite (ECC). Furthermore, two types of mechanical bar splices, grouted coupler and headed bar coupler, were utilized. UHPC-filled duct connections were developed and evaluated through 14 pullout tests.

A new detailing was proposed for grouted coupler column end connections to enhance the drift capacity. Three half-scale precast column models were tested under slow reversed cyclic loading, each with a new precast element connection or low-damage plastic hinge. A material model was developed for reinforcing superelastic NiTi SMA bars. Furthermore, new simple methods were developed to account for bond-slip effects and bar debonding effects in analytical models of reinforced concrete members.

It was found that bar bond strength in UHPC is eight times higher than that in conventional concrete. UHPC-filled duct connections exhibited no damage even under 12% drift ratio cycles. The displacement capacity and displacement ductility capacity for the grouted coupler column were respectively increased by 47 and 56% compared to grouted coupler column models investigated previously. Longitudinal bar debonding allowed spread of yielding and prevented premature failure of reinforcements in UHPC-filled duct connections and grouted coupler column pedestal. The SMA-reinforced ECC column showed superior seismic performance compared to a conventional column in which the plastic hinge damage was limited to only ECC cover spalling even under 12% drift ratio cycles. The column residual displacements were 79% lower than CIP residual displacements on average due to the superelastic NiTi SMA longitudinal reinforcement, and higher base shear capacity and higher displacement capacity were observed. The analytical modeling methods were simple and sufficiently accurate for general design and analyses of precast components proposed in the present study. The proposed symmetrical material model for reinforcing NiTi superelastic SMA was found to be a viable alternative to the more complex asymmetrical model.

Extensive experimental and analytical investigations performed in the present study led to a new generation of ABC bridge columns in which columns can be built in relatively short time but the seismic performance of these columns is equal or better than columns that are built cast-in-place with conventional materials.
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This report is based on a PhD dissertation by the first author supervised by the second author.
Executive Summary

1. Introduction

Accelerated bridge construction (ABC) utilizes advanced planning, new construction techniques, and possibly innovative detailing to facilitate construction. ABC offers many advantages over conventional construction, the most important of which is the reduction of onsite construction time. Even though ABC has been widely used in low seismic regions of the country mostly in superstructure, application of ABC in seismic areas has been limited due to the lack of seismic performance data regarding substructure connections.

1.1. Objectives

The main objective of the present study was to develop a new generation of bridge columns that can be built in a relatively short time than conventional construction with seismic performance that is equal to or exceeds conventional column performance. New ABC connections were developed to facilitate construction and low-damage materials such as ultra-high performance concrete (UHPC), shape memory alloy (SMA), and engineered cementitious composite (ECC) were incorporated in the connections and critical areas to reduce the damage.

Fourteen pullout models were developed and tested to identify reliable UHPC-filled duct connections and to develop methods to estimate the bond strength and deformation of these connections. Tensile tests were carried out to optimize reinforcing SMA bar performance connected to reinforcing steel bars with mechanical headed bar splices. Three half-scale column models each with either an innovative ABC connection or low-damage materials were constructed and tested at the Large Scale Structural Laboratory at the University of Nevada, Reno (UNR). In two models, precast columns were connected to footings using UHPC-filled duct connections. Mechanical grouted sleeve bar splices were incorporated in the last column model as a ABC connection. ECC and SMA were utilized in plastic hinge of one of two columns with UHPC-filled duct connections to reduce the damage and improve the overall performance.

Analytical investigation for each column model and pullout tests was performed using a finite element computer program. New methods were developed to include bond-slip effects and bar debonding effects in analytical modeling of reinforced concrete members. A design specification was proposed for reinforcing NiTi superelastic SMA bars. A parametric study was also performed to determine which mechanical properties of reinforcing SMA bars have the most effect on the overall seismic performance of SMA-reinforced bridge columns. Design recommendations were developed for a new generation of precast bridge columns. Highlights of different aspects of the study and
important findings are presented in the “Executive Summary.” The proposed design recommendations are presented in Appendix D and are not repeated herein.

1.2. Low-Damage Materials

Application of engineered materials such as concrete and steel in civil engineering structures dates back to a century ago. Concrete has negligible tensile strength with low compressive and tensile ductility, and steel exhibits large permanent deformations upon yielding and is susceptible to fatigue and corrosion. Despite these deficiencies, concrete and steel are the main construction materials and can be found almost in all civil structures. New materials are emerging to overcome these shortcomings of steel and concrete and enhance the overall performance of structures under different environmental conditions and loading. Three advanced materials that exhibit low-damage behavior even under large loads are of interest in this study: (1) UHPC, (2) ECC, and (3) SMA.

![UHPC Complete Compressive Stress-Strain Relationship (Lafarge.com)](image)

![ECC Tensile Stress-Strain (Li and Fischer, 2003)](image)

![Measured Tensile Stress-Strain for NiTi SMA and Steel Bars (Tazarv and Saiidi, 2014)](image)

Figure ES.1- Measured Stress-Strain of UHPC, ECC, and SMA
UHPC is a class of fiber reinforced concrete with a specified strength of 22000 psi (150 MPa), which is significantly higher than conventional concrete. Figure ES.1a shows the measured compressive stress-strain of UHPC. Furthermore, UHPC exhibits improved tensile and compressive ductility and durability over conventional concrete. Similar to UHPC, ECC is another class of high performance fiber reinforced concrete with a significant tensile ductility (4% strain) (Fig. ES.1b). Both UHPC and ECC are made with very fine aggregates and fibers with usually 2% volumetric ratio. SMA is a class of metallic materials with an ability to recover its original shape upon unloading (superelastic effect) or heating (shape memory effect). Figure ES.1c shows a typical stress-strain relationship for a Nickel-Titanium (NiTi) superelastic #10 (Ø32 mm) reinforcing SMA bar as well as a #8 (Ø25 mm) reinforcing steel bar. It can be seen that the SMA exhibited slightly lower yield strength but higher ultimate strength compared to the reinforcing steel. Furthermore, the SMA bar showed negligible residual strain even under 6% strain cycle. Steel bars exhibit large permanent strains after yielding.

1.3. Mechanical Bar Splices

Bar couplers are to provide a shorter splice length over conventional splices but with a proper detailing they may be used in ABC to connect precast segments or members. Several types of mechanical bar splices are available in the market. Figure ES.2 shows two types of these splices that were used in the present study: grouted sleeve coupler and headed bar coupler. Both products satisfy minimum limitations that were set by current US design specifications.
2. Experimental Studies

2.1. UHPC-Filled Duct Connections

Cap beams are usually sufficiently deep to accommodate column longitudinal bars in grout-filled ducts. However, to connect precast columns to shallow cap beams or footings, an alternative method is required. UHPC was proposed as duct filler instead of conventional grout to reduce embedment length.

Seismic performance of UHPC-filled duct connections was investigated at UNR in two phases. In the first phase, 14 large-scale specimens were tested under tensile loading to determine bond strength of UHPC-filled duct systems. In the second phase, two half-scale RC bridge columns incorporating these type of connections were tested under slow cyclic loads. In this section, bond testing and results of the phase one of the tests are presented.

The test parameters were embedment length, bar size, duct diameter, number of ducts, and bundling of bars. Straight #8 (Ø25 mm) and #11 (Ø36 mm) bars were used with embedment lengths of 3\(d_b\), 5\(d_b\), 8\(d_b\) and 12\(d_b\) where \(d_b\) is bar diameter. Ducts with nominal size of 3 in. (75 mm), 4 in. (100 mm) and 5 in. (125 mm) were used. The inner diameter of duct \(d_d\) was used in analyses of data. Corrugated galvanized strip metal ducts conforming to ASTM A653 with 26-gauge (0.018 in. or 0.46 mm) wall thickness were used. Bundled bars consisting of two #8 (Ø25 mm) bars were used in three of the specimens. The effect of using double ducts spaced at clear distance of 3 in. (76 mm), each with single bar, was investigated in two specimens. Test specimens were designed in two groups to find the duct bond strength in group I (10 specimens) and the bar bond strength in group II (4 specimens). Figure ES.3 shows schematic view of specimens. Both groups had similar geometries but a large portion of the bars were debonded using 3/8-in. (9.5-mm) thick pipe insulation foams in group II. With this detail the entire length of the duct was mobilized in transferring the loads, and duct pullout was avoided.

There are several test configurations with different bar sizes, multi ducts, and bundled bars. To accommodate these different configurations, a self-reacting pullout test setup was designed and built at UNR with pull force capacity of 300 kips (1335 kN).
For two specimens in group I, SP4 and SP11, the ducts pulled out with severe damage of surrounding concrete and conical failure of concrete at a depth of 3.5 in. (89 mm). No damage was observed in UPHC. Only in one specimen in group II with 3\(d_b\) embedment length, SP6, bundled bars pulled out with no visible concrete or UHPC damage. To understand the failure, the specimen was vertically cut in half. It was observed that both plastic deformation of ribs and crushing of surrounding UHPC next to the ribs are the causes of the bars pull out. Note that only four ribs were engaged with UHPC in this specimen. In other specimens, bar ruptured at the threads.

It was found that the effect of bar bundling, bar size, and multiple duct was negligible on the bond performance but duct size had significant effects on bond strength. Table ES.1 presents the test variables and the test results. The duct bond strengths (\(u_d\)) were normalized to the square root of test day compressive strength of normal concrete. The average normalized duct bond strength for all tests in group I was 7.27 \(psi^{0.5}\) (0.60 \(MPa^{0.5}\)) with a standard deviation of 1.33 \(psi^{0.5}\) (0.11 \(MPa^{0.5}\)). The bar bond strengths (\(u_b\)) were normalized to the square root of test day compressive strength of UHPC. The average normalized bar bond strength for all tests in group II was 33.4 \(psi^{0.5}\) (2.77 \(MPa^{0.5}\)) with a standard deviation of 6.44 \(psi^{0.5}\) (0.53 \(MPa^{0.5}\)).

### Table ES.1: Duct/Bar Bond Strength for Group I & II of Pullout Tests

<table>
<thead>
<tr>
<th>SP. No.</th>
<th>Bar Size</th>
<th>Test Group</th>
<th>Embed. Length, (in. (mm))</th>
<th>Duct Diam., (d_d) (in. (mm))</th>
<th>Force, (kips (kN))</th>
<th>Duct Bond Strength, (u_d, psi (MPa))</th>
<th>Bar Bond Strength, (u_b, psi (MPa))</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>8 (203)</td>
<td>3.12 (79)</td>
<td>56.4 (388.9)</td>
<td>720 (4.96)</td>
<td>N/A</td>
</tr>
<tr>
<td>2</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>12 (305)</td>
<td>3.12 (79)</td>
<td>55.0 (379.2)</td>
<td>467 (3.22)</td>
<td>N/A</td>
</tr>
<tr>
<td>3</td>
<td>#8 (Ø25)</td>
<td>II</td>
<td>3 (76)</td>
<td>3.12 (79)</td>
<td>56.2 (387.5)</td>
<td>N/A</td>
<td>5967 (41.14)</td>
</tr>
<tr>
<td>4</td>
<td>2#8 (Ø25)</td>
<td>I</td>
<td>8 (203)</td>
<td>4 (102)</td>
<td>67.5 (465.4)</td>
<td>N/A</td>
<td>671 (4.63)</td>
</tr>
<tr>
<td>5</td>
<td>2#8 (Ø25)</td>
<td>I</td>
<td>12 (305)</td>
<td>4 (102)</td>
<td>107.7 (742.6)</td>
<td>N/A</td>
<td>712 (4.90)</td>
</tr>
<tr>
<td>6</td>
<td>2#8 (Ø25)</td>
<td>II</td>
<td>3 (76)</td>
<td>4 (102)</td>
<td>78.4 (540.6)</td>
<td>N/A</td>
<td>4162 (28.70)</td>
</tr>
<tr>
<td>7</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>8 (203)</td>
<td>4 (102)</td>
<td>54.7 (377.1)</td>
<td>N/A</td>
<td>544 (3.75)</td>
</tr>
<tr>
<td>8</td>
<td>#8 (Ø25)</td>
<td>II</td>
<td>5 (127)</td>
<td>3.12 (79)</td>
<td>56.0 (386.1)</td>
<td>N/A</td>
<td>3568 (24.60)</td>
</tr>
<tr>
<td>9</td>
<td>2#8 (Ø25)</td>
<td>I</td>
<td>8 (203)</td>
<td>3.12 (79)</td>
<td>109.8 (757.0)</td>
<td>700 (4.83)</td>
<td>N/A</td>
</tr>
<tr>
<td>10</td>
<td>2#8 (Ø25)</td>
<td>I</td>
<td>12 (305)</td>
<td>3.12 (79)</td>
<td>102.4 (706.0)</td>
<td>435 (3.00)</td>
<td>N/A</td>
</tr>
<tr>
<td>11</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>11.28 (286)</td>
<td>4 (102)</td>
<td>93.9 (647.4)</td>
<td>662 (4.29)</td>
<td>N/A</td>
</tr>
<tr>
<td>12</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>16.92 (430)</td>
<td>4 (102)</td>
<td>106.4 (733.6)</td>
<td>500 (3.45)</td>
<td>N/A</td>
</tr>
<tr>
<td>13</td>
<td>#11 (Ø36)</td>
<td>II</td>
<td>4.23 (107)</td>
<td>4 (102)</td>
<td>110.8 (763.9)</td>
<td>N/A</td>
<td>5920 (40.82)</td>
</tr>
<tr>
<td>14</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>11.28 (286)</td>
<td>5.26 (134)</td>
<td>110.9 (764.6)</td>
<td>595 (4.10)</td>
<td>N/A</td>
</tr>
</tbody>
</table>

\(d_b\) is nominal diameter of bar; \(d_d\) is inner diameter of duct; * Lower bound bond strength
It was found that bond strength of bar in UHPC was eight time stronger than that in conventional concrete. Based on the normalized test data, design equations were proposed for bar embedment length in UHPC-filled duct connections as follows:

\[ L_d = \max(L_{d,\text{duct}}, L_{d,\text{bar}}) \]

<table>
<thead>
<tr>
<th>US Customary Units</th>
<th>SI Units</th>
</tr>
</thead>
<tbody>
<tr>
<td>[ L_{d,\text{duct}} = \frac{d_b^2 f_s}{27d_d \cdot \sqrt{f'c}} ]</td>
<td>[ L_{d,\text{duct}} = \frac{d_b^2 f_s}{2.24d_d \cdot \sqrt{f'c}} ] (ES-1)</td>
</tr>
<tr>
<td>[ L_{d,\text{bar}} = \frac{d_b f_s}{120 \sqrt{f'_{\text{UHPC}}}} ]</td>
<td>[ L_{d,\text{bar}} = \frac{d_b f_s}{9.96 \sqrt{f'_{\text{UHPC}}}} ] (ES-2)</td>
</tr>
</tbody>
</table>

where
- \( L_d \): Development length for un-hooked deformed bar in UHPC-filled duct connections (in, mm)
- \( L_{d,\text{duct}} \): Bar development length based on duct bond strength (in, mm)
- \( L_{d,\text{bar}} \): Bar development length based on bar bond strength (in, mm)
- \( d_b \): Nominal diameter of bar (in, mm)
- \( d_d \): Inner diameter of duct (in, mm)
- \( f_s \): Bar stress (psi, MPa); 1.5\( f_y \) or \( f_u \) whichever is greater
- \( f'c \): Compressive strength of concrete surrounding the duct (psi, MPa)
- \( f'_{\text{UHPC}} \): Compressive strength of UHPC in the duct (psi, MPa)

### 2.2. Column Test Models

#### 2.2.1. Geometry and Detailing

Four half-scale precast bridge column models incorporating new types of column-to-footing connections suitable for ABC in high seismic zones were previously designed and tested at UNR by Haber et al. (2013). Models had similar geometries and bar arrangements but different types of column base connections were investigated. Grouted couplers were utilized in plastic hinge of two of the models. Headed bar couplers were incorporated in two other models. A 12-inch (305-mm) high pedestal was used in two precast models to investigate the effect of lower moment demand over coupler location on the seismic performance of the columns. A cast-in-place (CIP) column was also tested to serve as a benchmark model. It was found that headed bar coupler columns were emulative to CIP. Even though grouted coupler columns showed similar base shear and stiffness to CIP, the displacement capacity and displacement ductility capacity of these columns were 40% lower than CIP.

Three new half-scale precast column models each with new connection detailing or low-damage plastic hinge were tested in the present study (Fig. ES.4). UHPC-filled duct connections were incorporated in two of three large-scale column models, “PNC” and “HCS”, to connect the precast columns to footings. Connection of the third precast column, “GCDP”, to the footing was provided using a modified grouted coupler connection in which longitudinal bars were debonded in a cast-in-place pedestal. This
was done to spread bar yielding and potentially overcome the shortcoming of the previously tested grouted coupler columns, low displacement capacity. SMA and ECC were incorporated in the plastic hinge of one of the UHPC-filled-duct columns, “HCS”, to improve the overall seismic performance of the column and to enhance its post-earthquake serviceability. Headed bar couplers were utilized to connect SMA bars to steel bars. Column height and diameter for all models were 9 ft (2.74 m) and 24 in. (609 mm), respectively.

![Diagram of different column configurations](image)

(a) PNC (Tazarv and Saiidi, 2014)  
(b) GCDP  
(c) HCS

**Figure ES.4- Proposed Base Connection Details for Precast Columns, unit: in. (mm)**

### 2.2.2. Key Column Test Results

Mode of failure in all column models was bar fracture. Reinforcing steel bars buckled before fracture in columns with conventional materials (CIP, PNC, and GCDP).
However, no reinforcing SMA bar buckling was observed in HCS. Figure ES.5 shows column plastic hinge damage at 10% drift ratio. PNC plastic hinge damage was similar to CIP damage in which a few bars fractured and core concrete was crushed. Most of the damage of GCDP was concentrated in the pedestal. The plastic hinge damage of HCS was substantially lower than the other models because of using ECC and SMA. HCS damage in plastic hinge area was limited to cover ECC spalling with no spiral exposure even after 12% drift cycles.

The measured lateral force-drift hysteretic curves for PNC, GCDP, and HCS are shown in Fig. ES.6. Both PNC and GCDP showed wide and stable hysteresis with no strength degradation up to their first longitudinal bar fracture. Similar behavior was observed in CIP. Base shear capacity in each cycle for HCS was comparable to CIP but
HSC showed flag-shape behavior with minimal residual displacements because of using SMA. Residual displacements of HCS was 79% lower than those of CIP on average.
The average force-drift push and pull envelopes for precast columns as well as CIP are shown in Fig. ES.7. PNC and GCDP showed slightly lower displacement capacity compared to CIP because of 1100 psi (7.58 MPa) lower compressive strength of their shell concrete, which reduced column resistance against bar buckling. Design displacement ductility was seven for CIP column. PNC showed 10% lower ductility than the design target, GCDP showed 1% higher displacement ductility capacity than target, and displacement capacity of HCS was slightly higher than that measured in CIP. Compared to the previous grouted coupler columns, GCDP showed 47 and 56% higher displacement capacity and displacement ductility capacity, respectively. Figure ES.8 shows the columns residual displacements. It can be seen that residual displacements of HCS, the column with reinforcing SMA bars, was substantially lower than steel-reinforced columns. After four SMA bar rupture, residual drift of HCS was approximately 1%. This will ensure post-earthquake functionally of bridges built with SMA-reinforced columns after severe ground shaking.

Figure ES.8- PNC, GCDP, HCS, and CIP Column Residual Displacements

Figure ES.9 shows large plasticity distribution of column longitudinal bars, which was defined as measured strains greater than 1%. It can be seen that large bar yielding was well distributed along the height of all precast columns resulting in high displacement capacity. Debonding of longitudinal bars using two layers of duct tape was found to be a successful technique to spread bar yielding and to avoid premature failure of bars due to strain concentration either in UHPC or under the coupler regions.

Figure ES.9- Distribution of Bar Large Plasticity in Columns
2.2.3. Overall Evaluation of Column Performance

The UHPC-filled duct connection incorporated in PNC was emulative of the conventional connection since:

1. The ultimate capacities of the column were developed and high drift ratios were achieved,
2. No connection damage such as bar pullout, duct pullout, or conical failure of the footing was observed in the PNC column base connection,
3. Mode of failure, base-shear capacity, and strength and stiffness degradation of PNC was nearly the same as those of CIP. However, PNC showed slightly higher energy dissipation due to the debonding of longitudinal bars above and below the column-footing interface.

Overall, UHPC-filled duct connections are proposed as alternative to cast-in-place connections in high seismic regions to connect precast columns to shallow cap beams and footings. When the footing or the cap beam depth is sufficient, high-strength grouts may be used in lieu of UHPC.

The seismic performance of the grouted coupler column with pedestal presented in this study, GCDP, was emulative of CIP since:

1. Mode of failure and strain distribution in the plastic hinge of GCDP was similar to those of CIP. GCDP dissipated more energy than CIP because of the longitudinal bar debonding in the pedestal,
2. The displacement ductility capacity of GCDP was only 4% lower than that of CIP,
3. GCDP reached its ultimate capacities without any connection damage or premature failure of the reinforcements.

In summary, the mechanical grouted sleeve splice connection presented in this study is proposed as a suitable ABC column-to-footing connection in high seismic zones even though most design specifications prohibit utilizing mechanical bar splices in plastic hinge of reinforced concrete members.

The precast SMA-reinforced ECC bridge column presented in this study, HCS, exhibited improved seismic performance over CIP since:

1. The displacement capacity of HCS was higher than that of CIP,
2. The plastic hinge damage of HCS was limited only to the cover concrete while the damage penetrated into the CIP core concrete,
3. HCS reached its ultimate capacities without any connection damage,
4. Residual displacement of HCS was substantially lower than that of CIP ensuring post-earthquake functionality of the bridge.

In summary, ABC columns with connection and details similar to HCS are expected to perform better than conventional columns in seismic zones.
3. Analytical Studies

3.1. SMA Material Model

A comprehensive literature review was carried out and series of tensile tests were performed by the authors or SMA manufacturer to define mechanical properties of NiTi superelastic SMA bars from structural engineering viewpoints, to develop SMA material model, and to propose design specifications for these types of reinforcements. Figure ES.10 shows the proposed material model. Key mechanical properties of reinforcing SMA were defined as:

- Observed yield strength ($f_{yo}$) is the stress at the initiation of nonlinearity on the first cycle of loading to the upper plateau.
- Austenite modulus ($k_1$) is the average slope between 15 to 70% of $f_{yo}$.
- Post yield stiffness ($k_2$) is the average slope of curve between 2.5% and 3.5% of strain on the upper plateau of the first cycle of loading to 6% strain.
- Austenite yield strength ($f_y$) is the stress at intersection of line passing through origin with slope of $k_1$ and line passing through stress at 3% strain with slope of $k_2$.
- Lower plateau inflection strength ($f_i$) is the stress at the inflection point of lower plateau during unloading from the first cycle to 6% strain.
- Lower plateau stress factor, $\beta = 1 - (f_i/f_y)$.
- Residual strain ($\epsilon_{res}$) is the tensile strain after one cycle to 6% and unloading to 1 ksi (7 Mpa).
- Recoverable superelastic strain ($\epsilon_r$) is maximum strain with at least 90% strain recovery capacity. Using the ASTM standard for tensile testing, $\epsilon_r \leq 6\%$.
- Martensite modulus ($k_3$) is the slope of the curve between 8 to 9% strain, subsequent to one cycle of loading to 6% strain, unloading to 1 ksi (7 MPa) and reloading to the ultimate stress.
- Secondary post-yield stiffness ratio, $\alpha = k_3/k_1$.
- Ultimate strain ($\epsilon_u$) is strain at failure.

Figure ES.10 - NiTi SE SMA Nonlinear Model (Tazarv and Saiidi, 2014)
Using the proposed model, mechanical properties of reinforcing NiTi SMA were extracted from all available test data and design specifications were proposed as presented in Table ES.2. The average of test data was proposed as expected mechanical properties to be used in seismic design of SMA-reinforced concrete members. However, minimum mechanical properties were specified to be used in SMA material production.

<table>
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<th>Parameter</th>
<th>Tensile Expected</th>
<th>Compressive Expected</th>
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<tr>
<td>Austenite modulus, (k_1)</td>
<td>4500 ksi (31025 MPa)</td>
<td>5500 ksi (37900 MPa)</td>
</tr>
<tr>
<td>Post yield stiffness, (k_2)</td>
<td>--</td>
<td>250 ksi (1725 MPa)</td>
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<tr>
<td>Austenite yield strength, (f_y)</td>
<td>45 ksi (310 MPa)</td>
<td>6 ksi (480 MPa)</td>
</tr>
<tr>
<td>Lower plateau stress factor, (\beta)</td>
<td>0.45</td>
<td>0.65</td>
</tr>
<tr>
<td>Recoverable superelastic strain, (\varepsilon_r)</td>
<td>6%</td>
<td>6%</td>
</tr>
<tr>
<td>Secondary post-yield stiffness ratio, (\alpha)</td>
<td>--</td>
<td>0.3</td>
</tr>
<tr>
<td>Ultimate strain, (\varepsilon_u)</td>
<td>10%</td>
<td>10%</td>
</tr>
</tbody>
</table>

(a) To be used in reinforcing SMA production
(b) To be used in seismic design of SMA-reinforced concrete members

A parametric study was performed to investigate the effect of each mechanical property of SMA material model on moment-curvature, pushover, cyclic, and dynamic responses of SMA-reinforced bridge columns. It was found that variation of each mechanical property had individually minor effect on the seismic responses. Among the parameters, the response was generally more sensitive to the tensile properties. The cyclic and dynamic analyses showed that the austenite modulus \(k_1\), the austenite yield strength \(f_y\), and the lower plateau stress factor \(\beta\) are the more dominant properties of the reinforcing SMA model in controlling the calculated seismic response of SMA-reinforced columns. That is the reason for specifying the minimum mechanical properties for these parameters to ensure functionality of SMA-reinforced members under severe ground motions.

Even though including the compressive mechanical properties of the reinforcing SMA bars (asymmetric stress-strain model) resulted in better agreement between the calculated and measured responses, a symmetric stress-strain SMA model based on only the “expected tensile properties” (Table ES.2) is proposed for general analysis and design of SMA-reinforced concrete members because it is sufficiently accurate and it simplifies the analysis. Using a simple model for SMA is proposed to facilitate adoption of SMA in civil engineering applications.

### 3.2. Bond-Slip Modeling

Longitudinal bars slippage relative to the surrounding concrete when stressed under tensile forces is known as the bond-slip effect. The slippage usually affects the local and global response of RC members. In the present study, an efficient simple method was
developed using a modified stress-strain relationship for reinforcing steel fibers to implicitly include the bond-slip effect in response analysis. The method does not require additional elements or pre-nonlinear analysis and can be used in fiber-section analysis of RC members.

**Figure ES.11- Bond-Slip Effect on Bar Stress-Strain in Conventional Connections**

Figure ES.11 shows a schematic view of a single bar anchored in a conventional concrete connection. The effective strain of the bar at the surface of concrete (level A) can be calculated based on the combined deformation of the bar force-deformation spring and the bar bond force-slip spring in series. The modified strain of the bar ($\varepsilon_s'$) is:

$$
\varepsilon_s' = \varepsilon_s + \frac{F}{k_b} / L \\
(\text{Eq. ES.3})
$$

$$
k_b = 78.5d_bL_{emb}u \\
(\text{Eq. ES.4})
$$

$$
u = \begin{cases} 
9.5\sqrt{\frac{f_c'}{d_b}} & \leq 800 \text{ psi}, \\
\frac{6}{d_b} & \text{for #11 bars and smaller} \\
6\sqrt{f_c'} & \text{for #14 and #18 bars}
\end{cases} \\
(\text{Eq. ES.5})
$$

$$
L = \frac{F}{\pi d_b u} = \frac{f_y d_b}{4u} \leq L_{emb} \\
(\text{Eq. ES.6})
$$

where $\varepsilon_s$ is the strain of the bar (in./in.), $F$ is the bar force (lbs), $k_b$ is the bond force-slip stiffness (lbs/in.), $d_b$ is the diameter of the bar (in.), $L_{emb}$ is the embedment length of the bar in the connection (in.), $u$ is the bond strength of the bar (psi), $f_c'$ is the compressive strength of concrete (psi), $L$ is the effective development length (in.), and $f_y$ is the bar stress (psi). In the present study it is proposed to modify the modulus of elasticity of the bar to account for the softening effect of bond-slip on the overall bar stiffness:

$$
E_s' = f_y / \varepsilon_s' \\
(\text{Eq. ES.7})
$$

where $f_y$ is the yield strength of the bar and $\varepsilon_s'$ is the modified yield strain.
The proposed method may be used to account for the bond-slip effect in any reinforcing steel model. However, note that only strain-related parameters are modified. Figure ES.12 shows an example of original and modified reinforcing steel models using the proposed method for GCDP. It can be seen that the modified steel fiber stress-strain behavior including the bond-slip effect is softer than that of the original model with no bond-slip effect, as expected. The modified stress-strain steel material model may be used only in the fiber sections located at connections, and the original steel fibers may be used elsewhere. No extra fiber section or elements is needed and no preliminary analysis is required. Overall, it is recommended to use the proposed method in analytical modeling of RC members at which the bond-slip effect is significant because of its simplicity, generality, and ease of modeling.

![Figure ES.12- Bond-Slip Effects on Steel Fibers Used in GCDP Model](image)

3.3. Bar Debonding Modeling

To help spread plasticity, the longitudinal bars were debonded at the connection region in the three column models investigated in this study. Debonding tends to soften the connection and hence should be included in analyses especially for the GCDP column model in which the debonded length was relatively long.

When a bar is debonded from concrete, the strain compatibility assumption between the bar and the surrounding concrete is not valid, thus making analytical modeling of debonded bars very complex. No study regarding modeling of debonded reinforcements in RC members was found in the literature. Therefore, a method was developed in the present study to include the bar debonding effect in response analysis of RC members using a modified stress-strain behavior for reinforcement.

Experimental studies have shown that the bond strength of plain bars is less than 30% of that of deformed bars (Mo and Chan, 1996; Verderame et al., 2009). A European design code recommends a plain bar bond strength of only 10% of the deformed bar bond strength (CEB-Fib Model Code, 1993). It was therefore decided to ignore the bond strength of plain bars in the present study. The bond behavior of debonded deformed
bars was assumed to be the same as the plain bar bond behavior with negligible bond strength. Thus, it can be assumed that behavior of a debonded bar embedded in concrete is similar to behavior of a bar that is not connected on its side surface to concrete. Level B shown in Fig. ES.11 illustrates this condition at which the bar is debonded from level A to B (or is free from level A to B). The modified strain of the debonded bar at level B is calculated based on cumulative displacements at this level, which consists of: (1) the bar deformation at level B assuming full bond (original bar force-deformation relationship), (2) displacement caused by the slippage of the bar at level A due to bond slip, and (3) the bar elongation at level A. The modified strain of the debonded bar ($\varepsilon_s'$) at level B is:

$$\varepsilon_s' = \varepsilon_s + \left( \frac{F}{k_b} \right) / L + \varepsilon_{\text{elong}}$$  \hspace{1cm} (Eq. ES.8)

where $\varepsilon_{\text{elong}}$ can be found using Wehbe’s method (Wehbe et al., 1997) as follows:

$$\varepsilon_{\text{elong}} = \begin{cases} \varepsilon_s \hspace{1cm} & f_s \leq f_y \\ \varepsilon_s + \frac{\varepsilon_s L_1}{2L} \hspace{1cm} f_s > f_y \end{cases}$$  \hspace{1cm} (Eq. ES.9)

$$L_1 = \frac{(f_y - f_s)d_b}{4u} \leq L$$  \hspace{1cm} (Eq. ES.10)

All parameters were defined in the previous section. The first two terms of Eq. ES.8 are the same as Eq. ES.3 terms. The third term in this equation is the additional strain at level B caused by the bar elongation at level A (Fig. ES.11).

Formulations regarding modeling of bond-slip and bar debonding effects in UHPC-filled duct connections were presented in Chapter 7.

### 3.4. Simulation of Pullout Tests

A one-dimensional finite element model was developed to simulate the pullout tests responses (Fig. ES.13). Three portions of the bar were modeled. “Stee02” material was used to model the steel bar in all segments. The embedded portion of the bar was divided into 99 elements attached to a series of nonlinear bar and duct bond-slip springs. This was done to determine the stress and strain distribution along the height of the bar. However, if global responses such as duct or bar force-slip are desired, only one bar element working in series with one bar bond-slip spring and one duct bond-slip spring is sufficient. “MultiLinear” material model was used in OpenSees (2013) to model the bar and duct bond-slip springs.
All 14 specimens were analyzed using the modeling method presented in the previous sections. The test day compressive strength of conventional concrete and UHPC, and the measured yield and ultimate strength of bars were used in analyses. Figure ES.14 shows the measured and calculated pull forces with a ±10% error band. Only in three specimens (group II specimens in which the bar bond behavior was investigated) the calculated pull force showed more than 10% error. The error between the measured and calculated pull forces was 7.7% on average with a standard deviation of 6.7%.

In summary, the proposed finite element model may be used for analyses of UHPC-filled duct connections for further bond study or seismic analysis of elements incorporating these types of connections.

3.5. Simulation of Column Tests

Three-dimensional finite element fiber-section models were constructed in OpenSees for all column models. Footings and column heads were modeled using elastic elements each with a stiffness calculated based on the test day compressive strength of concrete. Column elements were modeled with a force-based element, “forceBeamColumn”, with at least five integration points. The test day compressive strength of column concrete was used for the unconfined concrete fibers. The Mander’s model was utilized to determine the confined concrete model parameters. The peak axial load measured during each test was applied to each model, and the P-Δ effect was included. Reinforcing steel stress-strain relationship was modified in the first integration point located at the column base for all models to include bond-slip effects. Furthermore, modified behavior of reinforcements were incorporated in the second integration point of the GCDP and HCS analytical models to include bar debonding effects.

Figure ES.15 shows the measured and calculated pushover curves for all column models. Good correlation was observed for all models.
4. Concluding Remarks

Findings from experimental and analytical studies on precast bridge column connections and low-damage materials used in critical areas of precast members led to the following conclusions:

1. Bond strength of deformed bars in UHPC is eight times higher than that in conventional concrete. This results in relatively low bar embedment length in UHPC-filled duct connections compared to conventional or grouted duct connections.
2. Duct bond strength, which was introduced in the present study, was found to control the UHPC-filled duct connection behavior and the required bar embedment length in these systems.
3. UHPC-filled duct connections incorporated in column-to-footing connections of two column model tests exhibited no damage even under 12% drift cycles.
4. Column model tests confirmed that UHPC-filled duct connections are emulative of conventional connections in which precast columns can be designed in accordance to current bridge codes with no limitations.
5. Detailing proposed in the present study for grouted coupler columns by shifting the couplers and debonding longitudinal bars in the plastic hinge ("GCDP" column details), improved the seismic performance compared to detailing investigated previously (Haber et al. 2013). The displacement capacity and displacement ductility capacity were increased by 47 and 56%, respectively. GCDP column displacement ductility was only 4% lower than the reference cast-in-place (CIP) column ductility.

6. Debonding was a successful technique to spread bar yielding and prevent premature failure of reinforcements in UHPC-filled duct connections and grouted coupler column pedestal.

7. The SMA-reinforced ECC column ("HCS") showed improved seismic performance over CIP. The plastic hinge exhibited substantially less damage than steel-reinforced concrete hinges. ECC damage was limited only to cover ECC even under 12% drift cycles. HCS column residual displacements were 79% lower than CIP residual displacements on average due to using NiTi superelastic SMA longitudinal reinforcement.

8. HCS column model test confirmed the feasibility of a new generation of precast columns in which columns can be built in a shorter time with better seismic performance and less post-event repair costs compared to conventional cast-in-place columns.

9. Analytical models presented for pullout tests and column model tests were found to be simple and sufficiently accurate. The models may be used for general design or analysis of these members and systems.

10. The proposed simple methods for taking into account bond-slip and bar debonding effects improved analytical model accuracy in the simulation of both global and local responses of column models.

11. The proposed reinforcing SMA material model used in the HCS column simulation resulted in good agreements between the calculated and the measured global and local responses. Parametric studies showed that a symmetrical stress-strain model based on the expected tensile mechanical properties is a viable alternative to the more realistic but complicated asymmetrical model.

12. It was found from parametric studies that the austenite modulus (\(k_1\)), the austenite yield strength (\(f_y\)), and the lower plateau stress factor (\(\beta\)) of the reinforcing SMA material model were the more dominant properties in controlling the calculated seismic response of SMA-reinforced columns. The response was more sensitive to the SMA tensile mechanical properties compared to compressive properties.

Overall, precast column connections proposed in the present study utilizing UHPC-filled duct connections and grouted coupler connections, as well as the low-damage plastic hinges were found to be viable alternatives to conventional connections or plastic hinges because they led to equal or improved seismic performance compared to conventional construction. UHPC-filled duct connections fully comply with current bridge codes. Even though using mechanical bar splices is prohibited in plastic hinge of reinforced members according to the most bridge seismic design codes, experimental findings from the present study showed that this limitation should be revisited and reevaluated in light of recent research data.
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Chapter 1: Introduction

1.1. Introduction

Both cast-in-place and precast construction techniques are utilized in bridges. Cast-in-place bridge construction has more than a century history in the United States. The first reinforced concrete bridge in the USA, Alvord Lake Bridge, was built in 1889 in San Francisco Golden Gate Park (Fig. 1.1) with a length of 29 ft (8.8 m) (Alvord Lake Bridge, 2014). More than half a century later, the first prestressed concrete bridge in the USA, Walnut Lane Memorial Bridge, was built (1951) in Philadelphia (Fig. 1.2), which had a span length of 160 ft (49 m) (Walnut Lane Memorial Bridge, 2014). Cast-in-place construction method is still popular in the USA (Fig. 1.3). Prefabricated bridge construction, in contrast, utilizes precast components that generally requires more rigorous planning, new technology, and improved construction methods because of tighter required tolerance.

Accelerated bridge construction (ABC) makes extensive use of prefabricated components and offers many advantages over conventional construction: reduction of onsite construction time, reduction of total project delivery time, potential reduction of total cost, improvement of safety of highway workers and public traffic, and improvement of quality of component materials (Culmo, 2011).

Many bridges constructed in the past were built in low-populated, low-traffic, and even open areas with minimum traffic impact. However, rehabilitation, replacement, and even construction of new bridges inevitably interrupt traffic and adversely affect the economy of the region mainly because of traffic congestion and the potential need for detours. According to the Federal Highway Administration (FHWA), approximately one-fourth of 600,000 bridges in the USA require rehabilitation, repair, or total replacement. That has led to FHWA-initiated programs such as Every Day Counts (EDC) and Highways for LIFE (HfL) to make longer-lasting bridges in a shorter time. Many state transportation agencies have also initiated their own ABC programs.

Five components of ABC were recognized by FHWA: (1) foundation and wall elements, (2) rapid embankment construction, (3) prefabricating bridge elements and systems (PBES), (4) structural placement methods, and (5) fast tracked constructing (Culmo, 2011). Among those, only PBES is focused in the present study.

PBES is the most common form of ABC and has been implemented in bridge construction since 1951, when the first prestressed bridge in the USA (Fig. 1.2) was built. PBES has been widely used in non- and low-seismic regions in super- and sub-structures. However, application of ABC in high seismic areas, especially for substructure elements, has been scarce due to uncertainty in seismic performance of precast member connections. Thirty-six states have at least some parts that are considered to be moderate
and high seismic zones (Marsh et al., 2011). Exploring new ABC connections suitable for high-seismic zones is appealing not only for seismic prone states but also for moderate-seismic states because of the many advantages of ABC.

1.2. Previous Studies and Applications

Many bridge substructure and superstructure components can be built precast. Connections of those components in seismic areas, however, are critical for ABC applications since those connections should allow for large deformations of adjoining members while resisting ultimate loads of the members. This is even more challenging for bridge columns since these elements are allowed by the most design specifications to undergo high nonlinearity. Because ABC for bridge columns is the focus of the present study, a summary of laboratory investigations and field applications on the topic is presented in this section.

Seismic performance of seven types of precast column connections in moderate and high seismic regions was evaluated by Marsh et al. (2011): (1) bar couplers, (2) grouted ducts, (3) pocket connections, (4) member socket connections, (5) hybrid connections, (6) integral connections, and (7) emerging technology.

1.2.1. Bar Coupler Connections

Bar couplers are to provide a shorter splice length over conventional splices but with a proper detailing they may be used in ABC to connect precast segments or members. Several types of mechanical bar splices are available in the market. The most common types are illustrated in Fig. 1.4. Many of these products satisfy minimum limitations that were set by current US design specifications.

Grouted bar couplers are more common than the other types in the bridge industry. The Utah Department of Transportation (UDOT) has developed a ABC design manual for substructure incorporating these couplers (Utah DOT Precast Substructure Elements Manual, 2010). Furthermore, these couplers were incorporated in precast column to cap beam connections of the Edison bridge (Fig. 1.5) in Florida (Culmo, 2009).

A comprehensive literature review on the performance of bar couplers was conducted by Haber et al. (2013). Two types of couplers, headed bar couplers and grouted sleeve couplers, were selected for further investigations by performing monotonic and cyclic tensile tests. Both coupler types showed satisfactory performance. Then, these couples were incorporated in half-scale column models to connect precast columns to footings. Two column models were built with each coupler type (Fig. 1.6). The bar coupler connection was shifted using a precast pedestal in two column models to reduce moment over the coupler region. Slow reversed cyclic tests on the precast columns as well as a reference cast-in-place column (CIP) showed that the headed bar coupler columns were emulative of CIP, which exhibited a 10% drift ratio capacity and a displacement ductility capacity of seven. Emulative is defined as a feature that utilizes conventional design with
no additional considerations at the design stage and leads to performance that is the same or nearly the same as that of cast-in-place. Even though the strength capacity of the grouted coupler column models was the same as the CIP strength, the drift capacity of these columns was 6% due to strain concentration outside the couplers or on the precast pedestal.

Ameli et al. (2014) tested four precast half-scale columns connected to footings or cap beams incorporating grouted couplers connections. Couplers were utilized either in column plastic hinge immediately above the column to adjoining member interface or inside the adjoining member. Normal grouted couplers (Fig. 1.4e left) were used in two column-to-footing connections in which bars were grouted at both coupler ends. Modified grouted couplers were incorporated in two column-to-cap beam connections in which one end of couplers was threaded to reduce coupler size (Fig. 1.4f). These columns exhibited displacement ductility from 4.4 to 6.1 in cyclic tests. Columns with modified grouted couplers showed lower displacement ductility than columns with normal couplers by 5 to 26%. Columns with couplers embedded in adjoining members showed higher displacement ductility compared to columns with couplers inside the plastic hinge. The ductility increase was 3% for normal coupler columns but 32% for the column with modified couplers.

1.2.2. Grouted Duct Connections

Precast members can be connected with grouted duct systems in which member longitudinal reinforcements are anchored in ducts placed in an adjoining member then the ducts are filled with grout. A comprehensive literature review regarding bond strength and seismic performance of these types of connections is presented in the next chapter. Grouted duct systems were incorporated in a few bridges in Texas (Brenes et al., 2006) and Washington (Khaleghi et al., 2012) to connect columns to cap beams (Fig. 1.7).

1.2.3. Pocket Connections

In pocket connections, precast member longitudinal reinforcements are anchored in a single pocket placed in an adjoining member, then the pocket is grouted. Bond performance of bars in pocket systems was investigated by Matsumoto et al. (2001). After observing satisfactory performance, they incorporated pocket systems in two column-to-cap beam connections and tested. Similar strength and ductility capacity compared to a cast-in-place model was observed. Seismic performance of a 42%-scale bridge column model connected to a cap beam using a pocket connection (Fig. 1.8) was experimentally investigated by Restrepo et al. (2011). Under cyclic loading, the specimen showed a displacement ductility capacity of eight, which was 20% lower than a reference cast-in-place model.

Motaref et al. (2011) tested a two-column bent at the University of Nevada, Reno (UNR) in which each column was connected to the footing using pocket connections (Fig. 1.9). Engineered cementitious composite (ECC) was incorporated in the plastic
hinge of one of the columns and another column was built with a fiber reinforced polymer (FRP) tube filled with concrete. Both columns were embedded in the footing with a length of 1.5 column diameter. The embedded part of the column with ECC was constructed using conventional concrete. The precast bent showed large displacement capacity under shake table testing, and no connection damage was observed. Other cyclic and shake table studies at the University of Nevada, Reno (UNR) on precast members with pocket connections confirmed that full moment response can be expected from these connections making them suitable for high seismic regions (Kavianipour and Saiidi, 2013; Mehrsoroush and Saiidi, 2014).

1.2.4. Member “Socket” Connections

A length of a precast member is anchored in an adjoining member in socket connections. Connections are completed by either grouting the socket or casting the adjoining member in-place. It is obvious that the precast member embedment length is a key parameter in the performance of these types of connections.

Matsumoto et al. (2001) and Restrepo et al. (2011) performed similar experimental studies as described in the previous section on this type of connections. Similar bond and seismic performance compare to conventional connections was reported. Haraldsson et al. (2012) tested three large-scale columns connected to spread footings using this type of connections. In the first two models, the footing depth (or column embedment length) was approximately equal to the column diameter but the footing depth in the third model was one-half the column diameter. The column side surface under the column-footing interface was roughened in a sawtooth pattern in all three models. The cyclic tests showed the connection might be considered to be emulative if the column embedment length is at least one column diameter. To demonstrate feasibility in the field, a bridge was built in the State of Washington using this connection type (Fig. 1.10). The column embedment length in the bridge was 1.2 time the column diameter. In this project, columns were secured then the footing was cast.

1.2.5. Hybrid Connections

Connection of two members or sections in hybrid systems is provided by prestressing tendons as well as mild steel reinforcements. Hybrid denotes incorporation of two reinforcing materials in the system, tendon and mild steel. Tendons provide stability of the structure and increase self-centering tendency. Reinforcements are added to these connections to increase the overall energy dissipation of the system by yielding. Flag-shape hysteretic responses with small residual displacements are usually observed in these systems. High performance materials may also be incorporated at rocking joints to minimize the damage.

Seismic performance of precast columns incorporating these connections was experimentally investigated in a few studies. Billington and Yoon tested seven 1/6-scale precast segmental columns with hybrid configurations, six of which had ECC plastic
hinges. Cyclic tests showed that pretensioning tendons yielded at 9% drift ratio. ECC increased the energy dissipation of the systems compared to conventional concrete precast model and minimized the plastic hinge damage. Marriott et al. (2006) tested three 1/3-scale hybrid bridge columns. Steel plates were used at the rocking interface to minimize concrete damage. Minimal residual displacements and minimal plastic hinge damage were observed in cyclic and dynamic testing. Similar behavior was found in other experimental studies performed by Wang et al. (2008) and Motaref et al. (2011).

1.2.6. Integral Connections

Precast members are connected in an integral connection with no joint or articulation to form a moment-resistant connection. Integral connections are usually cast-in-place but a portion of the connections may be precast to facilitate construction. For example, a cap beam can be built in two lower and upper segments (Fig. 1.11). The lower segment can be connected to precast columns with one of the abovementioned ABC connections and the upper segment can be cast after securing the precast beams and deck systems on the lower segment of the cap.

1.2.7. Emerging Technology

Novel, advanced, or low-damage materials may be used in precast member connections to facilitate construction, minimize damage, improve serviceability of structure after an event, and reduce repair costs. At the time of this writing, only two experimental studies conducted at UNR are found as emerging technology connections suitable for ABC. Motaref et al. (2011) tested a 1/3-scale precast segmental column in which elastomeric rubber pad was incorporated in the plastic hinge instead of concrete (Fig. 1.12). The drift capacity of this column was 14% in shake table testing under 150% Sylmar ground motion recorded in 1994 Northridge earthquake. Higher displacement capacity, higher strength, and lower damage were observed compared to a reference segmental column cast with conventional concrete.

A futuristic study is underway at UNR in which bridge columns can be fully detached after an event or end of the useful life of the bridge. The components then can be recycled in other bridges (Varela and Saiidi, 2013). Columns were built in two segments: (1) plastic hinge segment, and (2) elastic segment (Fig. 1.13). The plastic hinge is made with either elastomeric rubber or ECC pad element with holes to accommodate longitudinal reinforcements. Two types of shape memory alloys (SMAs) were used as reinforcements in plastic hinges. Reinforcing SMA bars were connected to the footing using threaded couplers and the plastic hinge was then secured before SMA bars were tightened at the top. Finally, the elastic segment, which is made with FRP tube filled with conventional concrete, was connected to a steel plate that was connected to the pad with shear studs. Shake table testing of large-scale columns built with this configuration proved that this innovative technique can be used as an alternative to conventional construction with improved seismic behaviors.
1.3. Low-Damage Materials

Application of engineered materials such as concrete and steel in civil engineering structures dates back to a century ago. Concrete has negligible tensile strength with low compressive and tensile ductility, and steel exhibits large permanent deformations upon yielding and is susceptible to fatigue and corrosion. Despite these deficiencies, concrete and steel are the main construction materials and can be found almost in all civil structures. New materials are emerging to overcome these shortcomings of steel and concrete and enhance the overall performance of structures under different environmental conditions and loading. Three advanced materials that exhibit low-damage behavior even under large loads are of interest in this study: (1) ultra-high performance concrete (UHPC), (2) ECC, and (3) SMA. A summary on development and application of these materials is presented.

1.3.1. Ultra-High Performance Concrete (UHPC)

UHPC was defined as a concrete with discontinuous fibers that has a minimum specified compressive strength of 22000 psi (150 MPa) with specified durability, tensile ductility and toughness requirements (ACI Committee 239, 2012). UHPC is made of very fine aggregates, a range from micron to less than one millimeter (0.04 inch), steel fibers usually with a dose of 2-2.5% by volume (Fig. 1.14), and a low water to cement ratio (0.22 for Ductal®). Ductal® is the most common type of UHPC being used in North America.

The measured compressive stress-strain curves for unconfined field-cast UHPC are shown in Fig. 1.15a for different ages. It can be seen that the rate of gaining strength in the first few days for UHPC is high. The UHPC compressive strength after 48 hours of casting is more than 8000 psi (60 MPa), which is higher than the ultimate strength of conventional concrete. A sample of measured UHPC complete compressive stress-strain relationship is illustrated in Fig. 1.15b. The graph shows that the ultimate compressive strain of UHPC is significantly higher than that of conventional concrete (approximately 3.5 times) due to confining effect of internal steel fibers. The tensile strength for the field-cast UHPC is usually 900 psi (6.2 MPa), which is sustained over a wide tensile strain range from the concrete first cracking to 0.8% (Graybeal, 2006; Gowripalan and Gilbert, 2000). Figure 1.16 illustrates the measured and an idealized tensile stress-strain curves for UHPC. It can be seen that UHPC exhibits a relatively large tensile ductility. A state-of-the-art literature review on the development, properties, and worldwide applications of UHPC was conducted by Russell and Graybeal (2013). Table 1.1 presents a range for each UHPC material property as well as design equations that were extracted from the report. The properties presented in the table are mainly for Ductal®.

UHPC has been incorporated in many structures worldwide, two examples of which are shown in Fig. 1.17. UHPC in the commercial form has been available in the USA since 2000. UHPC has been incorporated in more than 50 bridges in the North America, mainly in bridge superstructure elements such as precast deck-to-deck connections.
Three design guidelines and construction recommendations are available at the time of this writing for UHPC: (1) Design Guidelines for Ductal Prestressed Concrete Beams (Australia) (Gowripalan and Gilbert, 2000), (2) Recommendations for Design and Construction of Ultra High Strength Fiber Reinforced Concrete Structures by the Japan Society of Civil Engineers (Russell and Graybeal, 2013), and (3) Ultra High Performance Fiber-Reinforced Concretes, Interim Recommendations prepared by AFGC (French Association of Civil Engineers) and SETRA (French Road and Traffic Government Agency (SETRA-AFGC, 2002). The later document was revised to conform to the latest version of the Euro Code and was published in 2013 as design recommendations for UHPC.

1.3.2. Engineered Cementitious Composite (ECC)

Similar to UHPC, ECC is another class of high performance fiber reinforced concrete with significant tensile ductility. There is no coarse aggregate in the ECC matrix and polyvinyl alcohol (PVA) fibers with 2% volumetric ratio are usually used in ECC mix design. What makes ECC different form UHPC is its fiber functionality and tensile ductility. High strength fibers are added to UHPC matrix to provide ductility for the densified matrix and increase both tensile and compressive strength. Fibers in ECC are to maximize the tensile ductility by developing multiple microcracks (Li, 2008). This is achieved by coating the fiber in which surface coating allows the fiber to slip partially when it is over loaded thus preventing fiber fracture and leading to hairline cracks instead of wide cracks.

Typical compressive and tensile stress-strain curves for ECC are shown in Fig. 1.18 (Li and Fischer, 2003). A significant tensile ductility (4% strain) and a larger compressive ductility than conventional concrete can be observed in ECC. A range for ECC major mechanical properties are presented in Table 1.2. Motaref et al. (2011) developed a constitutive stress-strain model for confined ECC (Fig. 1.19).

Li (2008) presented a summary of experimental studies investigating the seismic performance of ECC structural components. Performance of ECC bridge columns was investigated in a few studies (Saiidi and Wang, 2006; Saiidi et al., 2009; Motaref et al., 2011; Cruz and Saiidi, 2012; Nakashoji et al., 2013; Varela and Saiidi, 2013; Mehrsoroush and Saiidi, 2014). All studies showed low damage with minimal post-event repair need for ECC. Regarding the field application of ECC, Washington Department of Transportation has designed and plans to construct the first SMA-ECC bridge in the world in Seattle at the time of this writing (SR99 SMA-ECC Bridge, 2014). The Japan Society of Civil Engineers has developed design recommendations for ECC (JSCE Concrete Library 127, 2008).

1.3.3. Shape Memory Alloy (SMA)

SMA is a class of metallic materials with an ability to recover its original shape upon unloading (superelastic effect) or heating (shape memory effect). Solid-solid
transformations between two material phases, martensite and austenite, give these unique properties to SMA (Otsuka and Wayman, 1998). SMA is usually in one of the stable martensite or austenite phases. The martensite phase is seen when the temperature is low. When heated, SMA transforms to the austenite phase. This phase transformation is illustrated in Fig. 1.20 (Wilson and Wesolowsky, 2005). A three-dimensional stress-strain-temperature relationship for SMA is shown in Fig. 1.21 (McCormick, 2006). It can be seen that SMA exhibits large permanent deformations at low temperature. However, superelastic behavior is dominant at and above the austenite finish temperature ($A_f$). In superelastic stage, SMA usually exhibits a flag-shape behavior with negligible residual strains.

SMA in the present form was developed by Buehler and Wiley (1961) at the Naval Ordnance Laboratory. Since this SMA was composed of Nickel and Titanium (NiTi) alloys, it has been frequently referred to as Nitinol, an acronym for Nickel Titanium Naval Ordnance Laboratory (DesRoches and Smith, 2003). Since then several other SMA alloys have been developed such as Ag-Cd, Au-Cd, Cu-Zn, Cu-Zn-Al, Cu-Al-Ni, Fe-Mn, Mn-Cu, Fe-Pd, Cu-Zn-Al-Mn-Zr, Cu-Al-Be, Ti-Ni-Cu, Ti-Ni-Hf, and Ni-Ti-Fe. Research is underway to explore new alloys such as Ferrous Polycrystalline and Cu-Al-Mn SMAs. Alam et al. (2007) presented chemical compositions and mechanical properties of some of the abovementioned SMA alloys. Among those alloys, NiTi SMA has gained more attention since it exhibits a large superelastic strain recovery, high energy dissipation, excellent low- and high-cycle fatigue properties, and excellent corrosion resistance (DesRoches and Delemont, 2002). Because of these properties, only NiTi SMA was considered in the present study.

SMA has been widely used in medical, aerospace, and industrial applications (Machado and Savi, 2003; Tarnita et al., 2009, Wu and Schetky, 2000). Figures 1.22 and 1.23 illustrate some of those applications. SMA has also been implemented in structural applications in recent years. Reviews of SMA structural implementations were presented in DesRoches and Smith (2003), Wilson and Wesolowsky (2005), Song et al. (2006), Alam et al. (2007), and Dong et al. (2011). SMA has been utilized in a few studies as reinforcements in concrete members. The first of such studies was on beams by Ayoub et al. (2003) and Saiidi et al. (2007). Saiidi and Wang (2006), Youssef et al. (2008), and Saiidi et al. (2009) subsequently showed that reinforcing SMA can substantially reduce other concrete member residual displacements even under large deformations.

Many parameters affect stress-strain behavior of SMA: (1) temperature, (2) loading type, (3) number of loading cycles, and (4) strain rate. Chapter 6 of the present study is dedicated to SMA material behavior, analytical model, and design specifications for reinforcing SMA bars.

Figure 1.24 shows a typical stress-strain relationship for a NiTi superelastic #10 (Ø32 mm) reinforcing SMA bar as well as a #8 (Ø25 mm) reinforcing steel bar. It can be seen that the SMA exhibited slightly lower yield strength but higher ultimate strength compared to the reinforcing steel. Furthermore, the SMA bar showed negligible residual strain even under 6% strain cycle. Steel bars exhibit large permanent strains after yielding (Tazarv and Saiidi, 2014).
NiTi SMA shows an excellent corrosion resistance which is due to the formation of a passive Titanium Oxide layer, which limits surface diffusion over time (DesRoches and Delemont, 2002). Galvanic corrosion tests of NiTi SMA showed that SMA is the anode. In general, metal at the anode corrodes first preventing corrosion of metal at the cathode. Tests on NiTi SMA (as anode) and gold (as cathode) couple showed no evidence of corrosion in either metals (Carroll and Kelly, 2003). Therefore, corrosion of neither NiTi SMA nor steel is expected when SMA and steel bars are coupled as reinforcements.

Welding process is difficult for NiTi SMA since SMA may become brittle by reacting to oxygen, nitrogen, and hydrogen at high temperature. Figure 1.25 illustrates stress-strain relationship of a NiTi SMA base specimen and a laser-welded specimen (Schlossmacher et al., 1997). It can be seen that both strength and strain capacities of the SMA specimen were adversely affected by welding. Even though laser and other types of welding such as plasma and Tungsten inert gas (TIG) have been used in SMA industry, welding of reinforcing SMA to reinforcing SMA or welding of other materials to reinforcing SMA such as steel spirals is not recommended in structural engineering applications.

### 1.4. Objectives and Scope

The main objective of the present study was to develop a new generation of bridge columns that can be built in a relatively short time than conventional construction with seismic performance that is equal to or exceeds conventional column performance. New ABC connections were developed to facilitate construction and low-damage materials were incorporated in the connections and critical areas to reduce the damage.

A series of fourteen pullout tests was performed to develop reliable UHPC-filled duct connections and develop methods to estimate the bond strength and deformation of these connections. Tensile tests was carried out to optimize reinforcing SMA bar performance connected to reinforcing steel bars with mechanical headed bar splices. Three half-scale column models each with either an innovative ABC connection or low-damage materials were constructed and tested at the Large Scale Structural Laboratory at the University of Nevada, Reno (UNR). In two models, precast columns were connected to footings using UHPC-filled duct connections. Mechanical grouted sleeve bar splices were incorporated in the last column model as a ABC connection. ECC and SMA were utilized in plastic hinge of one of two columns with UHPC-filled duct connections to reduce the damage and improve the overall performance.

Analytical investigation for each column model and pullout tests was performed using a finite element computer program. New methods were developed to include bond-slip effects and bar debonding effects in analytical modeling of reinforced concrete members. A design specification was proposed for reinforcing NiTi superelastic SMA bars. A parametric study was also performed to determine which mechanical properties of reinforcing SMA bars have the most effect on the overall seismic performance of SMA-reinforced bridge columns. Design recommendations were developed for a new generation of precast bridge columns.
1.5. Document Outline

The document starts with an introduction to accelerated bridge construction techniques and performance of low-damage materials. Bond behavior for UHPC-filled duct connections is presented in Chapter 2 in addition to the design equations and bond-slip models that are developed for these connections. Design procedure, structural detailing, testing protocols for all three bridge column models as well as reinforcing SMA bar tensile tests are described in Chapter 3. Column test results for each individual model are presented in Chapter 4. Evaluation of column model performance by comparing the seismic behavior with a reference cast-in-place column model is presented in Chapter 5. Reinforcing SMA mechanical properties are defined in Chapter 6, and design specifications were proposed for SMA bars. Analytical modeling of pullout tests and column model tests are included in Chapter 7. New methods to include bond-slip effects and bar debonding effects in analyses of reinforced concrete members are described in this chapter. A parametric study on the performance of SMA-reinforced bridge columns using moment-curvature, pushover, cyclic, and dynamic analyses is described in Chapter 8. Chapter 9 includes design considerations for a new generation of bridge columns to facilitate their applications in actual bridges. A summary of findings and conclusions are presented in Chapter 10.
Chapter 2: Bond Study of UHPC-Filled Duct Connections

2.1. Introduction

The main advantages of accelerated bridge construction (ABC) were mentioned in the previous chapter. Prefabricated elements are the essence of ABC. Connections of the prefabricated elements to adjacent members are challenging, especially column connections are more critical since they should undergo severe nonlinear actions under seismic loads while maintaining structural integrity. Seven possible types of precast RC bridge column connections suitable in moderate and high seismic zones were introduced in the Chapter 1. One of those is grouted duct system that has been experimentally tested and deployed in column-cap beam connection in actual bridges. Cap beams are usually sufficiently deep to accommodate column longitudinal bars in grout-filled ducts. However, to connect precast columns to shallow cap beams or footings, an alternative method is required.

Seismic performance of ultra-high performance concrete (UHPC) filled duct connection was investigated at the University of Nevada, Reno (UNR) in two phases. In the first phase, fourteen specimens were tested under tensile loading to determine bond strength of UHPC-filled duct system. In the second phase, a half-scale RC bridge column incorporating this type of connection was tested under slow cyclic loads. In this chapter, bond testing and results of phase one are presented. The column details and test results are presented in the following chapters.

2.2. Previous Studies

2.2.1. Bond Strength

Bond between reinforcing bar and concrete controls performance of reinforced concrete structures. Loads can be transferred between deformed bar and concrete through three mechanisms: (1) chemical adhesion, (2) frictional force arising from the roughness of the interface, and (3) mechanical anchorage or bearing of the ribs against the concrete surface (ACI408R-03, 2003). Figure 2.1 shows the bond force transfer mechanism of deformed bars in concrete. When bar is stressed, adhesion force is lost by slippage while frictional force on the ribs and barrel of the bar are reacting. As slip increases, principal load carrying mechanism is bearing of ribs against the concrete surface. Reaction of the bar forces is also resisted by the surrounding concrete (Fig. 2.2). The reacting tensile and compressive forces on the concrete around the ribs cause cracking.
Bond stress along the member is nonlinear even under pure tensile loads. One source of nonlinearity is the local concrete cracking at areas around the ribs. In Fig. 2.3, stress distribution of a well-anchored bar as well as bond stress along the embedment length of well-confined specimens are illustrated. It can be seen that bond stress also varies along the length of member. Theoretically, it can be shown that under pure tensile loads, bond stress is related to the rate of change of the stress in the reinforcement (Abrishami and Mitchell, 1992). But for design purpose, it is more practical to assume uniform bond stress \( u \) along the embedment length that is defined as ratio of force to surface area of the embedded bar (Fig. 2.3). In ACI 318-63, bond strength is calculated as follows:

\[
\begin{align*}
u &= 9.5 \frac{\sqrt{f_c}}{d_b} < 800 \text{ psi} \\
u &= 20 \frac{\sqrt{f_c}}{d_b} < 5.52 \text{ MPa}
\end{align*}
\]  

where \( f_c \) (psi or MPa) is compressive strength of concrete and \( d_b \) (in. or mm) is bar diameter.

### 2.2.2. Grouted Duct Connections

Grouted duct column-cap beam connection has been experimentally tested and deployed in actual bridges in the United States. Eight pullout tests were carried out at the University of Texas, Austin to determine bond strength of grout-filled duct system (Matsumoto et al., 2001). Epoxy-coated #11 (Ø36 mm) bars were embedded in 4-in. (102-mm) diameter corrugated steel ducts filled with standard grout. Two of those bars were headed. Effect of embedment length, grout brand, and bar anchorage (straight or headed bars) was investigated on the bond behavior. Figure 2.4 shows photographs of the connection. Table 2.1 presents the test matrix and summary of the results. The measured bond strengths, \( u \), are also included in the table.

The bars with 12-in. (305-mm) embedment length exhibited pullout failure, characterized by development of splitting cracks in the surrounding concrete and pullout of the bar-grout mass from the duct. The bar in VD04 that had the minimum compressive grout strength was also pulled out. In other specimens, the maximum tensile force was restricted by either test setup limitation or bar fracture. The average bond strength of straight bars in the grout-filled duct connection was 1264 psi (8.7 MPa) with a standard deviation of 220 psi (1.5 MPa). Normalized bond strength is defined as ratio of the bond strength to the square root of compressive strength of concrete. The normalized mean bond strength for straight bars was 17 psi\(^{0.5}\) (1.41 MPa\(^{0.5}\)) with a standard deviation of 3 psi\(^{0.5}\) (0.25 MPa\(^{0.5}\)). Note that compared to the Eq. 2-1 for #11 (Ø36 mm) bar, the normalized bond strength of grout-filled duct system is 2.5 times stronger than conventional connections.

In the next step, a full-scale precast cap beam was connected to a column incorporating the grout-filled duct system (Fig. 2.5). The column was reinforced longitudinally with 4 epoxy-coated #9 (Ø29 mm) bars and transversely with #3 (Ø10 mm) spiral spaced at 4 in. (102-mm) resulting in longitudinal and transverse steel ratio of 0.57% and 0.46%, respectively. The column diameter and clear height were 30 in. (762 mm).
and 2 ft (610 mm), respectively. The embedment length was 15 in. (381 mm). Two vertical and one horizontal rams were used to obtain load-deflection of connection at service and failure levels under different moment demands. Test results showed that the grout-filled duct connection exhibited similar load-deflection relationship to the cast-in-place model with expected strength, ductility, and bar anchorage. Only minor distress developed in the connection.

Another 32 pullout tests were carried out by Brenes et al. (2006) at the University of Texas, Austin. The test specimens were similar to the specimens in the aforementioned pullout study but embedment length, duct material, number of ducts, bar coating, and bar eccentricity in the ducts were investigated. Three types of 4-in. (102-mm) diameter ducts were used: corrugated galvanized strip metal duct, corrugated high-density polyethylene (PE) duct, and corrugated polypropylene (PP) duct. Three embedment lengths, \(8d_b\), \(12d_b\), and \(16d_b\), were used where \(d_b\) is bar diameter. Grade 60 uncoated and epoxy-coated deformed #11 (Ø36 mm) bars conforming to ASTM A615 were used. Normal strength grout, 5800 psi (40 MPa) in 28 days, was used to fill the ducts.

All of the 32 specimens failed due to the bar pullout. Test results showed that initial stiffness of bond-slip curves and ultimate bond strength of galvanized steel duct (GS) was greater than those of the plastic ducts (PE and PP) with the same embedment length. An example of bond-slip relationship of different ducts with \(8d_b\) embedment length is shown in Fig. 2.6. The embedment length had minor effect on the initial stiffness of the system. Substantial reduction of the bond strength was observed in multiple duct tests while the initial stiffness exhibited minor variations. For example, 25% reduction of bond strength was observed in double-GS-duct system compared to single-GS-duct connection. Test results also confirmed that the duct spacing in multiple duct connections had minor effect on the bond-slip relationship. The clear duct distances were \(1d_d\) and \(2d_d\) where \(d_d\) is duct diameter. Bar eccentricity had minor effect on the initial stiffness but reduced the bond strength by 17%. The other test variables had negligible effect on the bond strength of grout-filled duct system.

Test result of the galvanized steel duct connections showed that for almost all the tests the grout fractured before duct seams opened 3 in. (76 mm) or more below the surface. Example of this type of failure is shown in Fig. 2.7. The lack of sufficient tensile strength of grout can be the cause of the failure. In the plastic ducts, other types of failure such as slippage of grout relative to the duct, bar pullout with partial grout pullout, and bar pullout with complete grout pullout were also observed.

The authors proposed a design equation for embedment length \(l_d\) of bar in the grout-filled duct connection as follows:

\[
l_d = \max(8d_b, 12 \text{ in.}, \frac{\beta f_y d_b}{180 \sqrt{f'_c}}, \frac{\beta f_{s,cr} d_b}{45 \sqrt{f'_c}})
\]

\[
l_d = \max(8d_b, 305 \text{ mm}, \frac{\beta f_y d_b}{14.95 \sqrt{f'_c}}, \frac{\beta f_{s,cr} d_b}{3.74 \sqrt{f'_c}})
\]

where \(d_b\) (in. or mm) is bar diameter, \(f_y\) (psi or MPa) is specified yield stress of bar, \(f_{s,cr}\) (psi or MPa) is the calculated tensile stress in bar corresponding to the critical load combination, \(f'_c\) (psi or MPa) is the specified compressive strength of concrete, \(\beta\) is a
modification factor for duct material taken as 1.0 for galvanized steel duct and 1.3 for plastic duct, and $\gamma$ is a modification factor to account for group effects, calculated based on the number of ducts subjected to simultaneous tension under the design load combination.

Restrepo et al. (2011) carried out a series of 42%-scale column-cap beam connection tests incorporating different ABC techniques suitable for seismic zones (Fig. 2.8). One of those specimens utilized grout-filled duct (GD) system. In the GD specimen, closely spaced 1.75-in (45-mm) diameter, 22-gage (0.028 in. or 0.71 mm) corrugated ducts were used in the bent cap filled with high-strength, non-shrink, cementitious grout to anchor the column longitudinal reinforcement. The column diameter was 20 in. (508 mm). The column was reinforced longitudinally with 16-#5 (Ø16 mm) bars ($\rho_{l}=1.58\%$) and transversely with #3 (Ø10 mm) hoops spaced at 1.5 in. (38 mm) ($\rho_{s}=1.73\%$). The column height was 45 in. (1.14 m). Test results of cyclic loading showed that the GD model is emulative of a cast-in-place model with stable hysteretic behavior without appreciable strength degradation. A displacement ductility capacity of 8 was achieved in the GD model that was 80% of that of the cast-in-place model.

Seventeen pullout tests of large-diameter bars embedded in the grout-filled pipes/ducts (Fig. 2.9) were carried out by Steuck et al. (2008). The bar size ranged from #8 (Ø25 mm) to #18 (Ø57 mm). The effects of embedment length (ranged from 2 to 14 bar diameter), bar size, grout type (conventional and fiber-reinforced), and specimen scaling were investigated in the tests. Eight-inch (203-mm) nominal diameter corrugated steel pipes were used in fifteen specimens with #10 (Ø32 mm), #14 (Ø43 mm), and #18 (Ø57 mm) bars. The pipe wall thickness was 0.068 in. (1.7 mm), which was three times thicker than 4-in. (102-mm) diameter corrugated steel ducts used for the two specimens with #8 (Ø25 mm) bar. A thicker pipe was used to provide more confinement for grout and to enhance the bond behavior. The bars were A706 Grade 60 steel. The test day strength of grout was 7500 psi (51.7 MPa) to 8500 psi (58.6 MPa). Also, the test day strength of concrete was approximately 7400 psi (51.0 MPa). The fiber added to the grout was Fibermesh 150 polypropylene with dosage of 3 lb/yr$^3$ (1.77 kg/m$^3$).

Test results showed that bars pulled out from pipes with some grout attached in specimens with short embedment length. Either grout or bar failure was observed in specimens with longer embedment length. The results also showed that adding fibers to the grout had minor effect on the bond behavior. The bar size had insignificant effect on bond behavior. The bond strength of scaled specimens was similar to the bond strength of full scale specimens. It was reported that the embedment length of $6d_b$ in the grout-filled pipe connection is sufficient to yield large-diameter bars and that $14d_b$ embedment length is sufficient to fully anchor the bar to fracture. The average bond strength of all the tests was 2290 psi (15.79 MPa) with a standard deviation of 700 psi (4.83 MPa).

Steuck et al. (2009) proposed a design equation for embedment length, $l_d$ (in. or mm), of large-diameter bar in grout-filled pipe connections as follows:

$$l_d = \frac{f_y d_b}{130. \sqrt{f'_{gy}}} + \left(\frac{d_{duct} - d_b}{2}\right)$$

(2-3)
where $f_y$ (psi or MPa) is bar yield stress, $d_b$ (in. or mm) is bar diameter, $f'_c$ (psi or MPa) is grout compressive strength, and $d_{duct}$ (in. or mm) is duct diameter. The second term in the equation presents length of cone in the conical pullout failure mode. If partial cone failure is prevented by thick pipe or sleeve, this term should be taken as zero.

Pang et al. (2008) utilized grout-filled pipe connections in 40%-scale column to cap beam connections to investigate their seismic performance (Fig. 2.10). A cast-in-place model was also tested. The cast-in-place column was reinforced with 16-#5 ($\Omega 16$ mm) bars whereas the columns in the precast models were reinforced with 6-#8 ($\Omega 25$ mm) bars. The column diameter and height were 20 in. (508 mm) and 60 in. (1.5 m), respectively. Transverse reinforcement consisted of 0.244-in. (6-mm) diameter, smooth wire spirals spaced at 1.25 in. (32 mm) on center. The column longitudinal bars were developed in 4-in. (102-mm) diameter corrugated metal ducts filled with grout that had a compressive strength of 8500 psi (58.6 MPa) at 5 days. The axial load was approximately 8% of the compressive strength times the cross-sectional area of the column. Cyclic loads were applied to the column to failure.

Test results showed that behavior of the precast connection was similar to a typical cast-in-place connection. Bars buckled then ruptured in the both columns. The majority of deformation of the precast system was concentrated at one large crack at the interface of the beam-column joint while in the cast-in-place reinforced concrete connection deformations were distributed over the column height.

### 2.2.3. Code Development Length

In this section, development length of straight deformed bars in tension for some of the United States design specifications is presented. ACI 318-11 requires that deformed bar or wire to be anchored with a minimum length $l_d$ (in. or mm) that is:

$$l_d = \frac{f_y d_b}{(10.8) \sqrt{f'_c}} + \left( \frac{d_{duct} - d_b}{2} \right)$$

(2-3 SI)

where $f_y$ (psi or MPa) is specified yield strength of reinforcement, $d_b$ (in. or mm) is nominal diameter of bar, $f'_c$ (psi or MPa) is specified compressive strength of concrete, $\psi_t$ is reinforcement location factor, $\psi_e$ is reinforcement coating factor, $\psi_s$ is reinforcement size factor, $\lambda$ is lightweight concrete factor, $C_b$ is smaller of (a) the distance from center of a bar or wire to nearest concrete surface, and (b) one-half the center-to-center spacing of bars or wires being developed (in. or mm) and
\[ K_{tr} = \frac{40A_{tr}}{sn} \quad (2-5) \]

where \( n \) is the number of bars or wires being spliced or developed along the plane of splitting, \( s \) (\( \text{in.} \) or \( \text{mm} \)) is center-to-center spacing of longitudinal reinforcement, transverse reinforcement, prestressing tendons, wires, or anchors, and \( A_{tr} \) (\( \text{in}^2 \) or \( \text{mm}^2 \)) is the total cross-sectional area of all transverse reinforcement within spacing \( s \) that crosses the potential plane of splitting through the reinforcement being developed.

The AASHTO LRFD Bridge Design Specification (2010) requires another development length, \( l_d \) (\( \text{in.} \) or \( \text{mm} \)), equation for deformed bar that shall not be less than the product of the basic tension development length, \( l_{db} \) (\( \text{in.} \) or \( \text{mm} \)), and the modification factors as follows:

\[
l_{db} =
\begin{align*}
&\frac{1.25A_b f_y}{\sqrt{f'_c}} > 0.4d_b f_y \\
&\frac{2.7f_y}{\sqrt{f'_c}} \\
&\frac{3.5f_y}{\sqrt{f'_c}} \\
&\frac{0.95d_b f_y}{\sqrt{f'_c}}
\end{align*}
\quad (2-6)
\]

where \( A_b \) is area of bar or wire (\( \text{in.}^2 \)), \( f_y \) (ksi) is specified yield strength of reinforcing bar, \( f'_c \) (ksi) is specified compressive strength of concrete at 28 days, and \( d_b \) (\( \text{in.} \)) is diameter of bar or wire. Modification factors are applied depending on the aggregate type, epoxy coating of the bars, etc.

The Caltrans Seismic Design Criteria (SDC) (2010) require that the minimum column bar development length in the cap beam (\( l_{ac} \)) providing special joint shear reinforcement detailing, minimum bar spacing, and minimum transverse reinforcement to be

\[
l_{ac} = 24d_{bl} \quad (2-7)
\]

where \( d_{bl} \) (\( \text{in.} \) or \( \text{mm} \)) is nominal bar diameter of longitudinal column reinforcement.

### 2.3. Test Parameters and Test Matrix

In two test groups, several parameters were investigated by testing fourteen pullout specimens with UHPC-filled duct connections. The parameters were:

- Embedment length
- Bar size
- Duct diameter
- Number of ducts
- Bundling of bars
The test matrix is presented in Table 2.2. Straight #8 (Ø25 mm) and #11 (Ø36 mm) bars were used with embedment lengths of 3\(d_b\), 5\(d_b\), 8\(d_b\) and 12\(d_b\), where \(d_b\) is bar diameter. Ducts with nominal size of 3 in. (75 mm), 4 in. (100 mm) and 5 in. (125 mm) were used. Table 2.3 presents the nominal and actual diameters of the duct used in this study. The inner diameter of duct \((\text{d}_d)\) was used in analyses of data. Corrugated galvanized strip metal ducts conforming to ASTM A653 with 26-gauge (0.018 in. or 0.46 mm) wall thickness were used. Bundled bars consisting of two #8 (Ø25 mm) bars were used in three of the specimens. The effect of using double ducts spaced at clear distance of 3 in. (76 mm), each with single bar, was investigated in two specimens.

Several modes of failure are possible in grout-filled duct connections: (1) bar fracture, (2) bar pullout caused by bond failure, (3) grout pullout from the duct, and (4) duct pullout by either failure of bond between concrete surrounding the duct and the duct or conical failure of concrete (Fig. 2.11). It is obvious that there are two critical bond surfaces in this type of connections. One is the bar-grout interface and the other is the grout-duct-concrete interface. The former was used in all the previous bond studies to obtain “bar bond strength” determined as the ratio of the peak tensile force to the surface area of bar. This approach does not address directly the duct-concrete interface failure. Therefore, a new term was needed to account for bond failure at the interface between the duct and concrete. In this study, “duct bond strength” is introduced as the ratio of the peak tensile force to the surface area of duct.

Tests specimens were designed in two groups to find the duct bond strength in group I (10 specimens) and bar bond strength in group II (4 specimens). Figure 2.12 shows schematic view of specimens. Both groups had similar geometries but a large portion of the bars were debonded using 3/8-in. (9.5-mm) thick pipe insulation foams in group II. With this detail the entire length of the duct was mobilized in transferring the loads, and duct pullout was avoided.

### 2.4. Specimen Design and Fabrication

The study by Brenes et al. (2006) on the grout-filled duct connection showed that projected failure surface of a single bar in tension can be idealized as a square with sides equal to 15\(d_b\) (Figure 2.13). In the present study, specimen diameter \((D)\) was designed as sum of 15\(d_b\), spacing of ducts, if any, and 5 in. (127 mm) tolerance for concrete cover and lifting bolts. For construction purposes, two diameters were considered for specimens: 24 in. (610 mm) and 30 in. (762 mm). The height of specimens \((H)\) was assumed to be equal to the embedment length plus 5 in. (127-mm). Three heights were used: 16 in. (406 mm), 20 in. (508 mm) and 28 in. (711 mm). The dimensions of specimens are also presented in the Table 2.2. Details of some of the specimens with different test parameters are shown in Fig. 2.14.

All specimens were lightly reinforced longitudinally with 6-#3 (Ø10 mm) bars and transversely with #3 (Ø10 mm) spiral at 2-in. (51-mm) pitch (Fig. 2.15). The longitudinal and transverse steel ratios of specimens were 0.09-0.15% and 0.79-1.0%, respectively. Those two values are for specimens with 30-in. (762-mm) and 24-in. (610-mm)
diameters, respectively. Clear cover was 1 in. (25 mm) in all specimens. Specimen lifting bolts anchor is also shown in Fig. 2.15.

Bottom end of the ducts were plugged by duct tape. Figure 2.16 shows formwork for two of the specimens. Pencil rod at the bottom end of duct and plywood at the top end were used to hold the ducts in position. After casting and curing the concrete, the ducts were vacuumed and wiped with a wet cloth before casting UHPC.

Gravity tremie-tube method was used to fill the ducts to avoid air trapping (Fig. 2.17). In this method, a PVC pipe was inserted into the duct then UHPC was continuously poured from top passing through a funnel. At the same time, pipe was slowly pulled out, thus allowing the material to fill the duct by its own weight. Note that static and dynamic flow table tests of UHPC mix were 8.5 in. (216 mm) and 9.25 in. (235 mm), respectively. After filling the ducts with UHPC, mild bars were inserted into the ducts then covered for curing. Examples of two frames to fix the bars at the center of the ducts are shown in Fig. 2.18.

2.5. Pullout Test Setup

There are several test configurations with different bar sizes, multi ducts, and bundled bars. To accommodate these different configurations, a self-reacting pullout test setup was designed and built at UNR with pull force capacity of 300 kips (1335 kN). Figure 2.19 shows the details of test setup and Fig. 2.20 shows photographs of the setup.

Threaded pull out bar (or bars) of the specimen was bolted to the bottom plate of system. ANSI/ASME thread sizes 7/8-9 and 1 ¼ -7 were used for #8 (Ø25 mm) and #11 (Ø36 mm) bars, respectively. Four 1 1/8-in. (28-mm) diameter high-strength bolts connected the bottom plate with thickness of either 1.5 or 2 in. (38 or 51 mm) to top plate with thickness of 1.5 in. (38 mm). High-strength 2-in. (51-mm) diameter threaded rod attached the top plate to a 200 kips (889.6 kN) ram. The ram was placed on the top flange of a load spreader beam and was controlled manually by an oil pump with slow pumping rate resulting in force rate of 1000 lbs/sec (4500 N/sec) on average. The ram force was measured based on oil pressure of the system.

2.6. Measured Materials Properties

2.6.1. Concrete

Plastic cylinders with 6-in. (152-mm) diameter and 12-in. (305-mm) height were used for concrete sampling. The measured strength history of the concrete is shown in Fig. 2.21 and test day compressive strength of concrete for each specimen is presented in Table 2.4. At least three samples were used for compressive tests but only the average of test data was reported.
2.6.2. UHPC

A previous study showed that 3-in. (76-mm) cylinder specimen is an acceptable alternative to the standard 4-in. (102-mm) cylinder specimen for compressive testing of UHPC with strength ranged from 11.6 ksi (80 MPa) to 29 ksi (200 MPa) (Graybeal and Davis, 2008). In this study, plastic cylinders with 3-in. (76-mm) diameter and 6-in. (152-mm) height were used for UHPC sampling. There were two mixes for UHPC, one for group I and another for group II. In Fig. 2.22, strength history of both mixes is shown and test day strength of UHPC for each specimen in presented in the Table 2.4. At least three samples were used for compressive tests but only the average of test data was reported. Details regarding sample end preparation, and compressive mode of failure are presented in chapter 4.

2.6.3. Reinforcement

Grade 60 ASTM A615 bars with three sizes were used in the pullout specimens. Specimens were reinforced longitudinally and transversely with #3 (Ø10 mm) bars. Reinforcing bars that were anchored in the UHPC-filled ducts were #8 (Ø25 mm) and #11 (Ø36 mm) bars. Table 2.5 presents average mechanical properties of the bars and Fig. 2.23 shows measured stress-strain of the anchored bars. No yielding plateau was observed for #3 (Ø10 mm) bars. Therefore, the yield point was calculated using 2% offset method. The full stress-strain curve for #11 (Ø36 mm) bar could not be obtained due to bar slippage in grips of the UNR tensile test machine.

2.6.4. Duct

Corrugated galvanized strip metal ducts conforming to ASTM A653 were used with minimum specified yield strength of 33 ksi (227.5 MPa). Note that strength of ducts is controlled by the seams as they open before yielding of duct base material in tension.

2.7. Instrumentation

Strain gauges were installed on opposite faces of bars and ducts at depth of $6d_b$ from surface of the group I specimens where $d_b$ is bar diameter. Since embedment length was very short in group II specimens, strain gauges were only installed on ducts. However, two strain gauges were installed on all bars at the height of $6d_b$ from specimen surface to measure strain of the free bars. Slippage of ducts was measured by four position transducers, of which two were installed on the concrete and two on UHPC. The average measured displacements are reported in subsequent sections. Photographs of the instrumentation are shown in Fig. 2.24.

2.8. Test Results

Mode of failure and observed damage in the pullout tests are summarized in Table 2.6. For two specimens in group I, SP4 and SP11, the ducts pulled out with severe
damage of surrounding concrete and conical failure of concrete at a depth of 3.5 in. (89 mm) (Fig. 2.25). No damage was observed in UPHC. Only in one specimen in group II with $3d_b$ embedment length, SP6, bundled bars pulled out with no visible concrete or UHPC damage. To understand the failure, the specimen was vertically cut in half (Fig. 2.26). It was observed that both plastic deformation of ribs and crushing of surrounding UHPC next to the ribs are the causes of the bars pull out. Note that only four ribs were engaged with UHPC in this specimen. In other specimens, bar ruptured at the threads.

As mentioned before, for most of the tests bar ruptured at the thread instead of bar or duct pullout. Therefore, full bond-slip relationship of the system could not be well established. However, the initial stiffness of the system can be investigated. Force versus duct slippage of all specimens is shown in Fig. 2.27.

Bar slippage can be measured indirectly by subtracting the bottom plate displacement, bar elongation, and duct slippage assuming that the bar above the surface remains elastic. Only in SP6, this assumption was valid for the entire of the test. Force-slippage relationship of bars of SP6 is shown in Fig. 2.28.

In the previous section, duct ($u_d$) and bar ($u_b$) bond strengths were defined as the ratio of peak force to the surface area of duct and bar, respectively presented as:

$$u_d = \frac{\text{force}}{\text{surface area}} = \frac{F}{n_d \cdot \pi \cdot d_d \cdot L_{emb}}$$

$$u_b = \frac{\text{force}}{\text{surface area}} = \frac{F}{n_b \cdot \pi \cdot d_b \cdot L_{emb}}$$

where $d_b$ is the nominal diameter of bar (in. or mm), $d_d$ is the inner diameter of duct (in. or mm), $n_d$ is number of ducts in multiple duct system, $n_b$ is number of bars in bundled bar system, and $L_{emb}$ is embedment length (in. or mm). Table 2.7 summarizes the duct and bar bond strengths for the pullout tests. Note that in the majority of tests, bar fractured at the threads instead of bar/duct pullout, thus the values that are listed are the lower bound bond strength marked with an asterisk in the table.

Some of specimens with the lower bound bond strength are excluded from further analyses since similar specimens with shorter embedment length had the same mode of failure of bar fracture at the thread. These specimens are SP2, SP7, SP8 and SP10. For instance, the bar in SP1 with $8d_b$ embedment length ruptured at a force of 56.4 kips (388.9 kN) resulting in bond strength of 720 psi (4.96 MPa). Similarly, the bar in SP2 with $12d_b$ embedment length ruptured at a force of 55.0 kips (379.2 kN) resulting in bond strength of 467 psi (3.22 MPa). Noting that both specimens are similar but with different embedment lengths, there is no need to include lower bound bond strength of SP2 in analyses.

The duct bond strengths ($u_d$) were normalized to the square root of test day compressive strength of normal concrete ($\sqrt{f'_c}$) (Fig. 2.29). The average normalized duct bond strength for all tests in group I is 7.27 psi$^{0.5}$ (0.60 MPa$^{0.5}$) with a standard deviation of 1.33 psi$^{0.5}$ (0.11 MPa$^{0.5}$). The bar bond strengths ($u_b$) were normalized to the square root of test day compressive strength of UHPC ($\sqrt{f'_{UHPC}}$). The average normalized bar bond strength for all tests in group II is 33.4 psi$^{0.5}$ (2.77 MPa$^{0.5}$) with a standard deviation of 6.44 psi$^{0.5}$ (0.53 MPa$^{0.5}$).
Note that the average bar bond strength of group II specimens excluding SP8 is 5350 psi (36.9 MPa), which is approximately eight times stronger than that of conventional concrete based on Eq. 2-1.

The effect of bar bundling on the duct bond strength was investigated by comparing the normalized duct bond-slip curves of SP1 and SP4 (Fig. 2.30a). It can be inferred that the effect of bundling is minor on the duct bond behavior. The effect of bar size on the duct bond behavior is shown in Fig. 2.30b, which indicates the effect is negligible. Multiple duct effect could not be determined since bar fractured at small slippage (Fig. 2.30c). The duct slippage was divided to the duct diameter to determine the effect of duct size (Fig. 2.30d). Duct size had minor effect on the initial duct bond behavior. However, it should be noted that duct diameter is in the denominator of duct bond strength thus it has a significant effect on the bond strength. For example, even though pull force capacity of SP11 was only 85% of that of SP14, the normalized duct bond strength of SP11 was 13% higher than SP14 due to 24% smaller duct diameter. In other words, the larger the duct diameter, the lower the duct bond strength. Similar behavior exists in conventional bar bond strength (Fig. 2.31) in which the bar bond strength decreases as the bar size increases (Soroushian and Choi, 1989).

Figure 2.32 shows strain profiles of the bar and duct for specimens in which either the bar ruptured or the duct pulled out. Note that absolute strains are plotted. The measured strains were tensile for bars and compressive for ducts. Zero height denotes the surface of specimen and negative values are the embedment lengths. It can be seen that the bar strains are slightly higher in specimens with bar fracture. Also, the duct experienced higher strains in specimens in which the duct pulled out.

### 2.9. Design Equation for UHPC-Filled Duct Connections
#### 2.9.1. Embedment Length Based on Duct/Bar Bond Strength

As mentioned earlier, there are two types of bond strengths in the UHPC-filled duct connections, one for the bar and the other for the duct. In this section, design equations were developed based on the findings from the pullout tests.

Normalized duct and bar bond strengths were defined in the previous section. The average normalized duct bond strength for group I specimens, excluding SP2, SP7 and SP10, was $7.88 \text{ psi}^{0.5} (0.65 \text{ MPa}^{0.5})$ with a standard deviation of $1.02 \text{ psi}^{0.5} (0.085 \text{ MPa}^{0.5})$ (Fig. 2.33). The design duct bond strength ($\bar{u}_{d,\text{design}}$) was defined as average strength less one standard deviation, which was $6.86 \text{ psi}^{0.5} (0.57 \text{ MPa}^{0.5})$. For the sake of simplicity, the coefficient was rounded down to $6.75 \text{ psi}^{0.5} (0.56 \text{ MPa}^{0.5})$. By substituting $\bar{u}_d$ of Eq. 2.8 with $\bar{u}_{d,\text{design}}$ and rearranging the equation for embedment length, bar development length based on the duct bond strength is:

$$L_{d,\text{duct}} = \frac{F}{\bar{u}_{d,\text{design}} \cdot \pi \cdot d \cdot \sqrt{f_c}} = \frac{A_s \cdot f_s}{\bar{u}_{d,\text{design}} \cdot \pi \cdot d \cdot \sqrt{f_c}} = \frac{d_b^2 \cdot f_s}{4 \bar{u}_{d,\text{design}} \cdot d \cdot \sqrt{f_c}}$$  \hspace{1cm} (2-10)

where $f_s$ is bar stress, which is recommended to be $1.5f_y$ or $f_u$, whichever is greater. Other parameters were defined before.
For the bar bond strength, there were only three acceptable test data. To enrich the database, three pullout tests of bars anchored in UHPC cylinders [diameter of 15.74 in. (400 mm) and height of 7.87 in. (200 mm)] carried out by FHWA were also used in deriving the design equation that are presented in Table 2.8, even though these data were not for duct-field UHPC. The normalized bar bond strength from six tests is shown in Fig. 2.34 with an average of 34.9 $\text{psi}^{0.5}$ (2.89 $\text{MPa}^{0.5}$) and a standard deviation of 5.56 $\text{psi}^{0.5}$ (0.46 $\text{MPa}^{0.5}$). Similar to the recommended design duct bond strength, the design bar bond strength ($\bar{u}_{b,\text{design}}$) was recommended to be the average less one standard deviation. The coefficient was rounded to 30 $\text{psi}^{0.5}$ (2.49 $\text{MPa}^{0.5}$). The design equation for embedment length of bar based on the bar bond strength is as follows:

$$L_{d,\text{bar}} = \frac{F}{\bar{u}_{b,\text{design}} \cdot \pi \cdot d_b \cdot \sqrt{f'_{\text{UHPC}}}} = \frac{A_b \cdot f_s}{\bar{u}_{b,\text{design}} \cdot \pi \cdot d_b \cdot \sqrt{f'_{\text{UHPC}}}} = \frac{d_b \cdot f_s}{4 \bar{u}_{b,\text{design}} \sqrt{f'_{\text{UHPC}}}} \quad (2-11)$$

The recommended bar embedment length in the UHPC-filled duct connections is the larger of the lengths calculated using equations 2-10 and 2-11.

### 2.9.2. Summary of Design Equations

The proposed design equations are summarized as follows:

$$L_d = \max (L_{d,\text{duct}}, L_{d,\text{bar}})$$

<table>
<thead>
<tr>
<th>US Customary Units</th>
<th>SI Units</th>
</tr>
</thead>
<tbody>
<tr>
<td>$L_{d,\text{duct}} = \frac{d_b^2 \cdot f_s}{27 d_d \cdot \sqrt{f'_{c}}}$</td>
<td>$L_{d,\text{duct}} = \frac{d_b^2 \cdot f_s}{2.24 d_d \cdot \sqrt{f'_{c}}}$</td>
</tr>
<tr>
<td>$L_{d,\text{bar}} = \frac{d_b \cdot f_s}{120 \sqrt{f'_{\text{UHPC}}}}$</td>
<td>$L_{d,\text{bar}} = \frac{d_b \cdot f_s}{9.96 \sqrt{f'_{\text{UHPC}}}}$</td>
</tr>
</tbody>
</table>

where

- $L_d$: Development length for un-hooked deformed bar in UHPC-filled duct connections (in, mm)
- $L_{d,\text{duct}}$: Bar development length based on duct bond strength (in, mm)
- $L_{d,\text{bar}}$: Bar development length based on bar bond strength (in, mm)
- $d_b$: Nominal diameter of bar (in, mm)
- $d_d$: Inner diameter of duct (in, mm)
- $f_s$: Bar stress ($\text{psi}, \text{MPa}$); $1.5 f_y$ or $f_u$ whichever is greater
- $f'_{c}$: Compressive strength of concrete surrounding the duct ($\text{psi}, \text{MPa}$)
- $f'_{\text{UHPC}}$: Compressive strength of UHPC in the duct ($\text{psi}, \text{MPa}$)

It is expected that the duct bond strength controls the embedment length in most cases (Eq. 2-12) due to lower bond strength compared to the bar bond strength. Note that Eq. 2-13 can also be used as a stand-alone equation to determine the embedment length of un-hooked deformed bars in UHPC blocks such as UHPC-footing.

The embedment length can be substantially reduced in the UHPC-filled duct connections. Figure 2.35 shows bar stress versus development length for different design
equations presented in previous sections. Bar assumed to be #8 (Ø25 mm) with ultimate strength of 110 ksi (758 MPa). Compressive strength of concrete and UHPC are 5000 psi (34.5 MPa) and 20000 psi (137.9 MPa), respectively. All ACI development length factors are assumed to be one. For Eq. 2.12, three graphs are shown that are for different duct to bar diameter ratios of 2.83, 3.12 and 4.0.

To fracture the bar in a 4-in. (101-mm) diameter duct, bar needs to be embedded 15 in. (381 mm) in the UHPC-filled duct connection, whereas the bar development length in the grout-filled duct and conventional construction connections are 35 in. (889 mm) and 47 in. (1194 mm), respectively. Therefore, more than 50% reduction of embedment length can be achieved in the UHPC-field duct connection compared to other anchorage systems. Note that the other equations are independent of the duct diameter.

It can be seen in Fig. 2.35 that minimum bar embedment length based on Steuck et al., 2009 is 12\(d_b\). However, it should be noted that the grout-filled pipe system design equation, Eq. 2-3, was based on mostly pullout tests in which thick corrugated steel pipes rather than thin corrugated ducts, had been used. An UHPC-filled duct system with an 8-in. (200-mm) diameter duct would results in an embedment length of 7\(d_b\).

It is worth noting that designers should extend the ducts to extreme layer of reinforcements in cap or footing even though the design embedment length is shorter than the depth of connecting element. This is necessary to develop a strut-and-tie mechanism to transfer connection forces. However, depth of footing or cap beam can be reduced to fully anchor the bars.

### 2.10. Bond-Slip Models

Constitutive bar and duct bond-slip models were developed for the UHPC-filled duct connections. A bar bond-slip model (Fig. 2.36) developed by Eligehausen et al. (1982) has been widely used in previous studies:

\[
\begin{align*}
    u &= u_1 \left( \frac{s}{s_1} \right)^\alpha & 0 < s \leq s_1 \\
    u &= u_{\text{max}} & s_1 < s \leq s_2 \\
    u &= \frac{u_3 - u_1}{s_3 - s_2} (s - s_2) + u_1 & s_2 < s \leq s_3 \\
    u &= u_3 & s > s_3
\end{align*}
\]

where \(s_1=0.04\) in. (1.0 mm), \(s_2=0.12\) in. (3.0 mm), \(s_3=0.43\) in. (11.0 mm), \(u_1=1958\) psi (13.5 MPa), \(u_3=725\) psi (5.0 MPa), and \(\alpha=0.4\). In the present study, bond-slip models for duct and bar were formulated similar to Eligehausen’s model but the strengths and slippage were revised. Other significant difference is that the bond strengths and slippages are normalized in this study to account for the effect of the material strength and embedment length which were not included in the original model.
Figure 2.37 shows the normalized duct bond stress versus normalized duct slip, which is the ratio of the duct slip \((s_d)\) to the bar embedment length \((L_{emb})\) of the specimen. The constitutive duct bond-slip model (Fig. 2.37) is proposed in the US customary units \((psi, \text{ in.})\) as:

\[
\frac{u_d}{\sqrt{f'_{c}}} = \bar{u}_{d,max}\left(\frac{s_d}{0.004L_{emb}}\right)^{0.4}
\]

0 < \frac{s_d}{L_{emb}} ≤ 0.004 \hspace{1cm} (2-15a)

\[
\frac{u_d}{\sqrt{f'_{c}}} = \bar{u}_{d,max}
\]

0.004 < \frac{s_d}{L_{emb}} ≤ 0.0065 \hspace{1cm} (2-15b)

\[
\frac{u_d}{\sqrt{f'_{c}}} = \frac{3.5 - \bar{u}_{d,max}}{0.0185}\left(\frac{s_d}{L_{emb}} - 0.0065\right) + \bar{u}_{d,max}
\]

0.0065 < \frac{s_d}{L_{emb}} ≤ 0.025 \hspace{1cm} (2-15c)

\[
\frac{u_d}{\sqrt{f'_{c}}} = 3.5
\]

\frac{s_d}{L_{emb}} > 0.025 \hspace{1cm} (2-15d)

The bond-slip models need to be representative of actual behavior of connections. Therefore, \(\bar{u}_{d,max}\), is proposed to be the average normalized duct bond strength, 7.88 \(psi^{0.5}\) (0.65 \(MPa^{0.5}\)), instead of the design duct bond strength. The initial slope of duct bond-slip curve is 3600 \(psi^{0.5}\) (300 \(MPa^{0.5}\)) that can be used as stiffness of a linear duct bond-slip spring in well-anchored UHPC-filled duct connections. The model in SI units \((MPa, \text{ mm})\) is the same as this model but the value of 3.5 \(psi^{0.5}\) should be replaced with 0.3 \(MPa^{0.5}\) in Eq. 2-15c and Eq. 2-15d.

Figure 2.38 shows the normalized bar bond stress versus normalized bar slip, which is the ratio of the bar slip \((s_b)\) to the bar embedment length \((L_{emb})\). As mentioned before, complete bar bond-slip relationship was only established for SP6 since only in this specimen the bars pulled out without yielding. However, bond-slip relationships of six other specimens were also included in the figure up to the yielding of the threaded portion of the bar and were used to establish initial bond-slip relationship. Maximum normalized bar bond strengths for SP3, SP11, and FHWA UHPC pullout tests are also shown. The constitutive bar bond-slip model (Fig. 2.38) was proposed in the US customary units \((psi, \text{ in.})\) as:

\[
\frac{u_b}{\sqrt{f'_{UHPC}}} = \bar{u}_{b,max}\left(\frac{s_b}{0.06L_{emb}}\right)^{0.4}
\]

0 < \frac{s_b}{L_{emb}} ≤ 0.06 \hspace{1cm} (2-16a)

\[
\frac{u_b}{\sqrt{f'_{UHPC}}} = \bar{u}_{b,max}
\]

0.06 < \frac{s_b}{L_{emb}} ≤ 0.1 \hspace{1cm} (2-16b)

\[
\frac{u_b}{\sqrt{f'_{UHPC}}} = 12 - \bar{u}_{b,max}\left(\frac{s_b}{L_{emb}} - 0.1\right) + \bar{u}_{b,max}
\]

0.1 < \frac{s_b}{L_{emb}} ≤ 0.4 \hspace{1cm} (2-16c)

\[
\frac{u_b}{\sqrt{f'_{UHPC}}} = 12
\]

\frac{s_b}{L_{emb}} > 0.4 \hspace{1cm} (2-16d)

Similar to the duct bond-slip model, the maximum normalized bar bond strength, \(\bar{u}_{b,max}\), is proposed to be the average normalized bar bond strength that is 34.9 \(psi^{0.5}\) (2.89 \(MPa^{0.5}\)). The initial slope of the curve is 930 \(psi^{0.5}\) (77 \(MPa^{0.5}\)). Due to limited test data, the secondary branches of the model were obtained from Eligehausen’s model. Further
study is necessary to establish the full bar bond-slip model of UHPC-filled duct connections.

2.11. Concluding Remarks

To be able to deploy grouted duct connections in shallow cap beams and footings, it is proposed to use UHPC instead of conventional grout. In phase one of the performance evaluation of the UHPC-filled duct connection, fourteen pullout tests were carried out at UNR to determine the bond behavior of the connection. A summary of the findings of the pullout tests are as follows:

- The average normalized bar bond strength was 34.9 $psi^{0.5} (2.89 \text{ MPa}^{0.5})$.
- The bond strength of UHPC is approximately 8 times stronger than of conventional concrete.
- The average normalized duct bond strength was 7.88 $psi^{0.5} (0.65 \text{ MPa}^{0.5})$.
- The bar size had minor effect on the duct bond behavior.
- Bundling of bars had negligible effect on the duct bond strength.
- The duct size had minor effect on the initial bond behavior.
- Duct bond strength is reduced when duct size increases.
- The critical bond surface is typically UHPC-duct-concrete surface.
- Using UHPC-filled duct connection results in at least 50% reduction in the required embedment length compared to conventional construction.
- Duct and bar bond-slip models were proposed to be used in analytical modeling of UHPC-filled duct connections.

Test results confirm that it is feasible to incorporate the UHPC-filled duct system to connect precast column to shallow cap beams or footings.
Chapter 3: Column Test Models

3.1. Introduction

Bridge columns are allowed to undergo inelastic deformations under seismic loads while maintaining integrity of the bridge. In other words, the columns are the most important elements of the bridge in terms of performance during severe events, safety and serviceability after the event. In ABC, connections of the columns to adjacent members are challenging since connections should be able to transfer forces while undergoing large inelastic cyclic deformations.

Five half-scale bridge column models incorporating new types of column-to-footing connections suitable for ABC in high seismic zones were previously designed and tested at the University of Nevada, Reno (UNR) (Table 3.1). Grouted couplers (GC) were utilized in plastic hinge of two of those models. Headed bar couplers (HC) were incorporated in two other models. The first model was a cast-in-place (CIP) standard column to serve as a benchmark model (Haber, 2013). The models had similar geometries and bar arrangements but different types of column base connections were investigated. A 12-inch (305-mm) high pedestal was used in two precast models to investigate the effect of lower moment demand over coupler location on the seismic performance of the columns.

The displacement ductility capacity of CIP was 7.36 (equal to 10% drift capacity) with no strength degradation before bar fracture at 10% drift ratio. The force-displacement relationship (Fig 3.1) and energy dissipation of the precast models were similar to those of the CIP model, indicating emulative behavior. However, the average displacement ductility capacity and drift ratio capacity of the GC models were 4.52 and 6%, respectively, which are approximately 60% of those of the CIP model. The average displacement ductility capacity of the HC models was 6.78 with 10% drift ratio capacity. In the present study, 3 half-scale precast column models were designed and tested at UNR. These models incorporated either couplers or advanced materials in the plastic hinge (Table 3.1).

Bond studies of the UHPC-filled duct connection were presented in the previous chapter. The results showed that it is feasible to incorporate this type of connection in bridge columns. Therefore, a precast column model labeled “PNC” was designed and tested utilizing UHPC-filled duct connection at the column base.

The main shortcoming of the GC models found in the previous UNR study was the relatively low displacement ductility as mentioned before. The grouted couplers behaved the same as large diameter reinforcements resulting in a stronger section. The precast pedestal in the GC models was made using grout-filled corrugated ducts. The higher compressive strength of the grout as well as the high level of confinement provided by the ducts made the precast pedestal stronger than the rest of the columns. Therefore,
damage was shifted away from the coupler region and precast pedestal and limited the
displacement ductility capacity. Some of the column longitudinal bars fractured 4 in. (102 mm) below the column-footing interface in the GC models. To overcome this shortcoming, a new model (GCDP) was designed with unbonded longitudinal bars in a cast-in-place pedestal. Debonding allows spreading of yielding in the bar and avoids strain concentration.

Eight different materials, conventional and advanced, were incorporated in the third column model (HCS) tested in the present study. In this column superelastic shape memory alloy (SE SMA) and engineered cementitious composite (ECC) were used in addition to UHPC-filled duct connection at the footing. The objective of using novel materials in the column was to enhance seismic performance of the column compared to the conventional reinforced concrete. SE SMA is known to substantially reduce residual displacements and ECC is known to minimize damage even under large rotations.

Previous studies on the SMA-mild bar connections were presented in chapter 1. However, to connect the SMA bar to the mild bar, an extensive research was carried out at UNR to make a new SMA-mild bar connection with headed couplers. Four #4 (Ø13 mm) SMA bars and 8 #10 (Ø32 mm) SMA bars each with 20 to 40 in. (508 to1016 mm) length were headed at either one end or both ends then connected to the same or one size larger headed mild bar/s using HRC coupler/s. Figure 3.2 shows photographs of a SMA-mild bar connection for #10 (Ø32 mm) bars.

Design, construction, and test setup of the new column models, PNC, GCDP, and HCS, are presented in this chapter. A short review of the benchmark CIP model is also presented. In addition, information regarding the SMA-mild bar connection tests is provided.

3.2. Design and Construction of Column Models

The cross section of all the column models was circular with a diameter of 24 in. (610 mm) and the height of all the models was 9 ft. (2.74 m) from the top of the footing to the axis of the hydraulic actuator used to apply lateral loads.

3.2.1. CIP Column Model

A half-scale conventional cast-in-place column model (CIP) was designed based on Caltrans Seismic Design Criteria (SDC) version 1.4 (2006) with an aspect ratio of 4.5. The CIP model was a standard bridge column but with a thicker clear cover (Table 3.2) to account for the size of coupler in the other models. The CIP model served as a reference column to be compared with the precast models.

The column was reinforced longitudinally with 11-#8 (11-Ø25 mm) bars and transversely with #3 (Ø10 mm) spiral at a 2-in. (51-mm) pitch resulting in longitudinal and transverse steel ratios of 1.92% and 1.05%, respectively. The axial load index, which is the ratio of the axial load to the product of column gross section area and the compressive strength of column concrete, was 10%. The expected compressive strength
of concrete and the expected yield strength of reinforcements were 5000 psi (34.5 MPa) and 68 ksi (468.8 MPa), respectively. Column was initially designed for a minimum displacement ductility capacity of 5 but with final detailing (Fig. 3.3), the calculated displacement ductility capacity of the column was 7.

3.2.2. PNC Column Model

Feasibility of using the UHPC-filled duct connection at the base of precast columns was investigated in the duct system bond study presented in the previous chapter. To accomplish the second phase of investigation of seismic performance of the connection, a half-scale precast column model labeled “PNC” was constructed incorporating the UHPC-filled duct connection. The precast model had a similar geometry, bar size, and bar arrangement (Table 3.2) to CIP thus its performance was assumed to be emulative of the conventional construction. There was no additional design limitation for PNC with respect to CIP.

Figure 3.4 shows PNC and Fig. 3.5 shows the base connection in detail. The clear cover was 1.5 in. (38 mm) in the column. Corrugated galvanized steel ducts with a nominal 3-in. (75-mm) diameter were used in the footing to be filled with UHPC (Fig. 3.6). The confinement of the duct cage was similar to the column and was provided by #3 (Ø10 mm) spiral spaced at a 2-in. (51-mm) pitch. The column longitudinal bars were extended 28 in. (711 mm) at the base for insertion into the ducts. However, the required embedment length was only 19 in. (483 mm) based on the design equations presented in chapter 2 assuming the concrete compressive strength is 5000 psi (34.5 MPa), the UHPC compressive strength is 20000 psi (137.9 MPa), and #8 (Ø25 mm) bars had an ultimate strength of 110 ksi (758.4 MPa). The duct length was 1 in. (25 mm) longer than the extended bar as a construction tolerance. The bottom end of the ducts was plugged with thin plywood attached to the duct with a duct tape.

It was found that the bond strength of UHPC is 8 times stronger than the normal concrete. Therefore, strain concentration could occur a short distance below the column-footing interface, possibly limiting the overall column ductility. To help spread bar yielding, 4 in. (102 mm) of the column longitudinal bars were debonded above and below the column-footing interface (Fig. 3.5). Therefore, the effective bar embedment length in the UHPC-filled duct connection of PNC was 24 in. (610 mm), only 5 in. (127 mm) longer than the required development length.

To minimize the precast column weight for transportation, hollow core circular section with a 6-in. (152-mm) wall thickness was used at initial stage of construction. After installing the column, the column core was filled with self-consolidating concrete (SCC). Construction stages of PNC were as follows (Fig. 3.7):

- Casting the footing with ducts (Fig. 3.8)
- Casting the hollow column with extended longitudinal bars at the column base (Fig. 3.9)
- Filling the ducts with UHPC using a tremie tube method (Fig. 3.10) then erecting and installing the precast column (Fig. 3.11)
- Filling the core and casting the head, both with SCC

The average static and dynamic flow table test results for UHPC mix were 8.75 in. (222 mm) and 9.25 in. (235 mm), respectively. Two mix control tests were performed for SCC: (1) Slump flow test according to ASTM C1611-09b, and (2) static segregation test according to ASTM C1610-10. Acceptance criteria were based on the Standard Specification for the State of California (2010) presented in Table 3.3. The SCC and UHPC mix designs used in this study are presented in Tables 3.4 and 3.5.

The slump flow of the SCC mix was 19.9 in. (505 mm) only 0.5% lower than the minimum requirement of 20 in. (508 mm). Furthermore, it took 2.6 sec for the SCC to spread 20 in. (508 mm) ($T_{50}=2.6$). This time is also within the acceptable range of 2-7 sec. Visual stability index (VSI) was evaluated as 1.0, which indicates the SCC mix is stable (Fig. 3.12). The static segregation of the core SCC was 14.9%, which is less than 15%. Overall, the SCC mix was accepted for casting based on the tests results.

### 3.2.3. GCDP Column Model

It was mentioned that the previous GC column models showed emulative behavior compared to CIP but the drift ratio capacity and displacement ductility capacity of those models were limited to approximately 60% of those of CIP. It was also found that in GCPP the 12-in. (305-mm) precast pedestal did not improve the displacement capacity. This was contrary to the expectation. The lack of improvement is attributed to the grouted ducts inhibiting yielding of the bars. In both GC models, longitudinal bar ruptured at approximately 4 in. (102 mm) below the column-footing interface.

To spread yielding and avoid strain concentration, debonding of longitudinal bars in a cast-in-place pedestal was proposed in the new GC column model labeled “GCDP” (Fig. 3.13). GCDP had similar properties as those of CIP, therefore emulative behavior was expected. The key design parameters of GCDP are presented in the Table 3.2. Figure 3.14 shows the details of connection.

The clear cover for the section with couplers was 1 in. (25 mm) and for the sections away from the couplers was 1.75 in. (44 mm). The intended height of the pedestal was 12 in. (305 mm). However, due to a minor construction error the actual pedestal height was 11 in. (279 mm). Approximately 0.5 in. (13 mm) was added to the pedestal height after closure of pedestal-column gap (Fig. 3.21). The longitudinal bars were debonded only in the pedestal using two layers of duct tape. Similar to PNC, the hollow core column was filled with SCC after the column installation. The SCC mix properties and tests results were similar to those of PNC presented in the previous section (Fig. 3.12).

The grout-filled mechanical bar coupler was NMB Splice Sleeve (Fig. 3.15). The sleeve material properties conform to ASTM A536-85. The sleeves were filled with non-shrink high-early-strength grout labeled “SS Mortar” with a minimum 28-day compressive strength of 11000 psi (75.8 MPa).
Construction stages of GCDP were as follows (Fig. 3.16):

- Casting the footing with extended bars (Fig. 3.17)
- Casting the pedestal with debonded longitudinal bars
- Casting the hollow column with embedded couplers (Fig. 3.18)
- Erecting and installing the hollow column (Fig. 3.19)
- Injecting the SS-Mortar to the sleeves (Fig. 3.20)
- Filling the gap between the pedestal and the column (Fig. 3.21)
- Filling the core and casting the head, both with SCC

The construction gap between the pedestal and the precast column was filled with non-shrink, high-strength grout by dry packing technique.

### 3.2.4. HCS Column Model

Conventional materials were used in plastic hinges of the seven column models that were designed and tested at UNR to develop new column-to-footing connections for ABC in high seismic zones. In chapter 1, new materials such as SMA and ECC were discussed. The seismic performance of a half-scale bridge column model labeled “HCS” incorporating those materials in the plastic hinge was investigated. Similar to the other seven models, HCS was a precast column but was connected to the footing using a UHPC-filled duct connection. Totally, 8 different materials were used in HCS: conventional concrete, reinforcing steel bars, corrugated galvanized steel ducts, UHPC, reinforcing SMA bars, ECC, head reinforcement couplers, and SCC.

The geometry of the model was similar to the CIP geometry but bar arrangement was modified since the mechanical properties of SMA bars are different from steel bars. Nickel-Titanium (NiTi or Nitinol) superelastic SMA bars with approximate austenite finish temperature ($A_f$) of $32^\circ F$ ($0^\circ C$) were used. SMA remains superelastic at any temperature above $A_f$. HCS was designed such that its flexural strength was the same as the CIP flexural strength.

A comprehensive study of mechanical properties of reinforcing SMA and analytical model is presented in chapter 6. The properties of the reinforcing SMA used in the HCS model were extracted from tensile test data for #10 (Ø32 mm) SMA bars provided by the SMA manufacturer. Figure 3.22 illustrates the backbone curve of reinforcing SMA model used in the analyses. The modulus of elasticity and yield strength of the SMA were 5400 ksi (37231.7 MPa) and 55.6 ksi (383.3 MPa), respectively. The post-yield stiffness and secondary post-yield stiffness were 355 ksi (2447.6 MPa) and 1620 ksi (11169.5 MPa), respectively. The maximum superelastic strain was assumed to be 6% with an ultimate strain of 10%. The confined and unconfined properties of ECC were assumed to be similar to those of conventional concrete in CIP. The test day concrete compressive strength of CIP was used in the analyses instead of the design strength.

Moment-curvature analyses were carried out using OpenSees (2013) to determine the SMA bar arrangement (Fig. 3.23). The analyses showed that a model, with 10-#10 (Ø32
SMA bars (\(\rho_l=2.8\%\)) exhibits the same flexural capacity as the CIP model, which had 11-#8 (Ø25 mm) steel bars.

Since SMA bars are costly (approximately $80-$100 per pound), it was decided not to incorporate them over the entire length of the column but only in the plastic hinge zone with a 20-in. (508-mm) length. The SMA bars are connected to adjacent #11 (Ø36 mm) mild bars with headed couplers as described before. Nonlinearity in the reinforcing steel is expected to be minor since the reinforcing steel is one size larger than the reinforcing SMA with higher yield strength. The transverse reinforcement was similar to the CIP transverse reinforcement. Table 3.2 summarizes the key design parameters of HCS.

Figure 3.24 shows HCS in detail. The column base detail is shown in Fig. 3.25. Four-inch (102-mm) diameter corrugated galvanized metal ducts were used in the footing and later were filled with UHPC. Note that using the design equation presented in the previous chapter and the basic material strength as assumed for PNC, an embedment length of 28.5 in. (724 mm) is required to fully anchor the #11 (Ø36 mm) steel bars in the UHPC-filled duct system. However, the reinforcing SMA bars in HCS fails before the reinforcing steel bars since they are softer and one size smaller than the steel bars thus a shorter embedment length is expected. As mentioned before, the bond strength of bars in UHPC is substantially higher than that of conventional concrete. Therefore, 4 in. (102 mm) of the longitudinal steel bars were debonded below the coupler level to avoid localized failure because minor nonlinearity could still occur in the mild bars. The effective embedment length in HCS was 24 in. (610 mm). The SMA bars were connected to headed mild bars at the ends using HRC couplers. The coupler material properties conform to ASTM A576-06 Grade 1141. The shear reinforcement (\(\rho_s=1.04\%\)) of HCS was similar to the other column models. Thirty six inches (914 mm) of the height of the shell (1.5 times of the column diameter) was cast using ECC with a 28-day design compressive strength of 4500 psi (31.0 MPa). The remainder of the shell was cast with conventional concrete with the same design compressive strength. A minimum cover of 1.31 in. (33 mm) was used in the sections with the couplers. However, the clear cover was 1.62 in. (41 mm) elsewhere. HCS was initially hollow, but the core was filled with SCC after column installation.

The construction stages of HCS were as follows:

- Casting the footing with embedded ducts (Fig. 3.26)
- Connecting SMA bars to mild bars then assembling the bar cage (Fig. 3.27)
- Casting ECC portion of the shell (Fig. 3.28)
- Casting conventional concrete for remainder of the shell
- Erecting and positioning precast column (Fig. 3.29)
- Filling the ducts with UHPC (Fig. 3.30)
- Column shell Installation (Fig. 3.31)
- Filling the column core and casting the head, both with SCC

The ends of the ducts were plugged with galvanized steel duct caps (Fig. 3.32). A rectangular 2 in. (51 mm) by 3 in. (76 mm) plastic gutter was used to cast ECC from top of the column to avoid fiber segregation. The length of the gutter was sufficient to reach
the column plastic hinge from top. The UHPC material for the footing ducts were placed from the top using a scoop.

SCC, UHPC, and ECC mix designs used in this study are presented in Tables 3.4 to 3.6. The quality of UHPC and SCC mixes were evaluated before casting. The average static and dynamic flow table test results for UHPC were 7.44 in. (189 mm) and 8.75 in. (222 mm), respectively. The slump flow of the SCC mix was 20 in. (508 mm), which was more than the minimum required (Table 3.3). $T_{50}$ was 2.0 sec, which is within the acceptable range of 2-7 sec. Visual stability index (VSI) was evaluated as 0.0, which indicates the SCC mix is stable (Fig. 3.33). The static segregation of SCC was 10.3%, which is less than 15%. Overall, the UHPC and SCC mixes met all the requirements.

### 3.3. Instrumentation

Local and global responses of the column models were measured by a large number of transducers. Strains of the reinforcements were measured by strain gauges installed at different levels. Figures 3.34 to 3.37 show the location of strain gauges. Photographs of the strain gauge installed on the bar, duct, and grouted coupler are shown in Fig. 3.38. Rotations and curvatures of the columns at plastic hinges were measured by vertical displacement transducers placed at opposite faces of the columns in the loading plane (Fig. 3.39). Columns lateral displacements were measured by three displacement transducers (string pots) installed on the column heads. Column lateral forces were measured by the actuator load-cell.

As mentioned before, performance of new SMA-mild bar connection was investigated by tensile tests. To measure mechanical properties of SMA bars connected to mild bars using headed couplers, four strain gauges were installed at the mid-height of the SMA bars for each test sample (Fig. 3.40). Two to four strain gauges were also installed a few inches away from coupler on each mild bar. Strain of the SMA bar was also measured by a laser extensometer, which was used as input of controller of the tensile test machine. At least one extensometer was used to measure slippage of the coupler. The axial force was measured by the load-cell in the tensile test machine.

### 3.4. Test Setup

A single cantilever configuration test setup was used for column tests (Fig. 3.41). Support for actuator was provided by mounting and prestressing four 4 ft ×4 ft ×8 ft (1.22 m ×1.22 m ×2.44 m) concrete blocks on the strong floor. A 220-kip (978-kN) servo-hydraulic actuator was used to apply loads to the column models. Axial load was applied to the columns using two 200-kip (890-kN) hollow core jacks installed on a spreader beam perpendicular to the loading direction.

A self-reacting high-force servo-hydraulic test system was used to test SMA-mild bar connections (Fig. 3.42). The machine has static and dynamic test capabilities with different types of control mechanisms.
3.5. Loading Protocol

The column models were subjected to slow cyclic loads using displacement-control loading. The drift ratio is the ratio of the lateral displacement to the height of the column measured from the top of the footing to the center line of the horizontal actuator. Figure 3.43 shows the drift loading protocol for the column tests. Two full cycles were completed at each drift level. Two displacement rates of 1 \( \text{in/min (25 mm/min)} \) and 5 \( \text{in/min (127 mm/min)} \) were used in the tests. The former rate was used to capture yielding, which was expected from 0.25% to 3.0% drift ratio. The latter rate was to measure post-yield strength of models from 3% drift ratio to failure. The rates are based on ASTM limits for strain rates of bar tests.

The performance of SMA-mild bar connection was investigated by applying strain-control half-cycle loads (Fig. 3.44). A strain rate of 0.02 \( \%/\text{sec (1.2 %/min)} \) was applied in all coupler connection tests.
Chapter 4: Column Test Results

4.1. Introduction

The key configuration and novelty of the eight precast column models were presented in the previous chapter. The seismic performance of five of those was evaluated by Haber (2013). In this study, the seismic performance of three other column models, PNC, GCDP, and HCS, was investigated.

In this chapter, the measured strength of materials and the test results for the latter three column models are presented. The test results include observed damage, force-displacement relationships, strain profiles, moment-rotation relationships, and energy dissipation.

4.2. Measured Materials Properties

Several types of materials were used in construction of the column models: conventional concrete, SCC, ECC, UHPC, reinforcing steel, reinforcing SMA, corrugated galvanized steel ducts, and two types of mechanical bar splices. The measured or the ASTM minimum required strength of those materials is presented in this section.

4.2.1. Conventional Concrete

Conventional concrete was used in the footing of all models, the column and the head of CIP, the full-height in the shell of PNC and GCDP, and a partial-height in the shell of HCS. For the compressive testing, 6-in. (152-mm) by 12-in. (305-mm) cylinders were used. Table 4.1 presents the measured compressive concrete strength for the conventional concrete at 7-day, 28-day, and the column test-day for each model. At least three samples were tested according to ASTM C39/C39M-12 but only the average of the test data is reported.

4.2.2. SCC

SCC was used in the core and the head of all the precast hollow columns. The measured compressive strength of SCC is presented in Table 4.1. The sample size and the test procedure were similar to the conventional concrete samples.
4.2.3. ECC

ECC was used only in the shell plastic hinge zone of HCS over a 3-ft (914-mm or 1.5 the column diameter) height from the column-footing interface. The compressive test samples were 4-in. (102-mm) by 8-in. (203-mm) cylinders. The compressive test procedure was the same as the conventional concrete. The summary of the compressive test results is presented in Table 4.1.

4.2.4. UHPC

In two column models, PNC and HCS, UHPC was used to fill the corrugated ducts placed in the footings. As mentioned in chapter 2, 3-in. (76-mm) by 6-in. (152-mm) cylinders were used for the UHPC compressive test sampling instead of the standard molds. The UHPC manufacturer established its own sample preparation and compressive test method that consists of: sample end saw cutting (Fig. 4.1a), sample end grinding (Fig. 4.1b), and testing at a compressive stress rate of 145 psi/sec (1 MPa/sec) to failure. To avoid point loading on the sample during the compressive tests, the angle from the center of the sample to any point at the sample end face was not more than 0.5°. No cap was used during the tests since the strength of UHPC is usually higher than any caps. Photographs of the mode of failure of UHPC are shown in Fig. 4.2. At least three samples were used for the UHPC compressive testing but only the average of the test data is presented in Table 4.1.

4.2.5. Mortar and Grout

A non-shrink high-early-strength grout, SS-Mortar, was injected into the grouted couplers used in GCDP. A high strength non-shrink grout was used to fill the construction pedestal-column gap of GCDP using the dry packing technique. For sampling of the both materials, 2-in. (51-mm) cube molds were used. The compressive test was according to ASTM C109/C109M-11b. The average compressive test results are summarized in Table 4.1.

4.2.6. Reinforcing Steel

Two types of reinforcing steel bars conforming to ASTM A615 and ASTM A706 were used in the models as longitudinal and transverse steels (Table 4.2). #3 (Ø10 mm) bars were used for spirals. #6 (Ø19 mm) bars were used for the footing and the column head reinforcements. #8 (Ø25 mm) and #11 (Ø36 mm) bars were used as the column longitudinal reinforcement. The tensile test procedure of reinforcing steel was according to ASTM E8. Figure 4.3 shows the measured stress-strain curves of the longitudinal and transverse steel bars.
4.2.7. Reinforcing SMA

Twenty-in. (508-mm) long #10 (Ø32 mm) SMA bars were used in the plastic hinge of HCS. To date, NiTi superelastic SMA (SE SMA) related ASTM standards are either to explain the material terminologies or how to perform a tensile test suitable for medical applications. However, there is no standard to determine the mechanical properties of reinforcing SMA from structural engineering viewpoints. Definition of those properties as well as a method to measure them from tensile tests is presented in Chapter 6. A summary of the measured mechanical properties of NiTi SE reinforcing SMA used in HCS is presented in Table 4.3. Figure 4.4 shows the measured stress-strain curves of the SE SMA bars used in this study. The second tensile test SMA sample was fractured at the head during the first cycle of 2% strain. Therefore, only the austenite modulus of elasticity was determined and other mechanical properties could not be established for this SMA bar sample. The SMA bars had an austenite finish temperature (\(A_f\)) less than 0°C (32°F). SMA remains superelastic at any temperature above \(A_f\).

4.2.8. Galvanized Steel Ducts and Couplers

Corrugated galvanized steel ducts were used in the footing of PNC and HCS. Headed reinforcement couplers and grouted couplers were used in the plastic hinge of HCS and GCDP, respectively. In this study, no coupon test was performed on the base material of the ducts and couplers. However, the manufacturers have used standard materials in their products that the properties of which are presented in Table 4.4.

4.3. PNC Column Model

PNC, the column with a UHPC-filled duct connection at the column base, was tested according to the slow reversed cyclic loading protocol presented in Chapter 3. The performance of PNC is presented in this section.

4.3.1. Observed Damage

The PNC cross-section orientation was shown in Fig. 3.4. The column longitudinal bars were labeled as shown in Fig. 3.4. The column was loaded in the North-South direction. The push load was defined as the loading from North to South and the pull load was designated to the loading from South to North (Fig. 3.41). Table 4.5 presents the detailed observed damage for each push/pull load at different drift levels for PNC. Figures 4.5 to 4.22 show the PNC plastic hinge damage in the second cycle of various drift levels.

Flexural cracks were observed during the first cycle of 0.25% drift ratio. Shear cracks were observed during the first cycle of 0.5% drift ratio (Fig. 4.5-4.6). A crack was formed at the column-footing interface during the second cycle of 0.5% drift ratio. The column experienced its first yielding in the pull direction at bar B7 at 0.79% drift ratio of
1% drift cycle under a 41.2-kip (183.3-kN) force (Fig. 4.8). Concrete spalling was observed on the South-East side of the column during the 3% drift cycle (Fig. 4.11-4.12). Bar B7 was exposed during the second cycle of 5% drift ratio (Fig. 4.16) then buckled during 8% drift cycle (Fig. 4.19-4.20). Finally, four longitudinal bars fractured during 10% drift cycle, three on the North-side and one on the South-side (Fig. 4.21-4.22).

The PNC column mode of failure was longitudinal bar buckling followed by bar fracture above the column-footing interface during 10% drift cycles. No damage of the UHPC-filled duct connection such as bar pullout, duct pullout, or conical failure of the footing concrete was observed.

4.3.2. Force-Displacement Relationship

The measured lateral force-drift hysteretic and envelope responses of PNC are shown in Fig. 4.23. The envelope is shown up to 85% of the push/pull base shear capacity. PNC exhibited no strength degradation up to 8% drift ratio neither in the push nor in the pull direction. However, substantial strength and stiffness loss was observed during the following cycles due to the bar rupture. The column was slightly stronger and more ductile in the pull direction than the push due to the uneven number of longitudinal reinforcements as well as a 7° rotation of the bar cage from North to the East in the column test setup plan view (Fig. 3.4 and 3.41). The longitudinal bar yielded in the push direction at 1.02% drift ratio under a 39.2-kip (174.5-kN) force. The bar yielded in the pull direction at -0.79% drift ratio under a -41.2-kip (183.3-kN) force.

The average push and pull envelope is shown in Fig. 4.24. The average yield drift ratio and the average yield lateral force of PNC were 0.89% and 40.3 kips (179.4 kN), respectively. Failure of a reinforced concrete column is usually considered at the point that the column lateral load resistance drops to 85% of its peak strength due to either bar rupture or the column core concrete crushing. According to this criterion, the drift capacity (or the ultimate drift) of PNC was 8.96%. Displacement ductility is defined as the ratio of the ultimate displacement to the effective yield displacement, which can be calculated using a bilinear curve in which the area under the bilinear curve from the yield displacement to the ultimate displacement is equal to that of the actual column force-displacement relationship from the yield to the ultimate point. Example of the bilinear curve is shown in Fig. 4.24 for PNC. The effective yield drift ratio and the effective lateral force were 1.42% and 63.7 kips (283.4 kN), respectively. The displacement ductility capacity of PNC was 6.30.

4.3.3. Strain Profiles

PNC reinforcing steel bars were instrumented with 71 strain gauges installed at nine levels of the column. Figures 4.25 to 4.29 show the maximum measured tensile strain of bars B1, B2, B6, B7, and B11 versus the height of the column.
Strain profile was uniform along the column height prior to bar yielding. However, strain was larger in the plastic hinge of the column at and above 2% drift ratio at which strains exceeded the yield strain significantly. Debonding of the longitudinal bars was a successful technique to spread the strain in the footing and above the column-footing interface, which resulted in prevention of strain concentration in UHPC. Outside the debonded region in the footing, the longitudinal bars experienced a higher stress. For example, Fig. 4.30 shows the measured force-strain of strain gauges SG18 and SG12 installed on Bar B1, which were only 1 in. (25 mm) apart, but former was in the debonded region 4 in. (25 mm) below the column-footing interface and the latter was outside the debonded region and deeper in the footing. It is obvious that the strain of the bar outside the debonded region was higher than the strain measured inside the unbounded area confirming the effectiveness of debonding in preventing localized failure.

The measured strains in the spirals in the compressive zone for PNC are shown in Fig. 4.31 at different levels. The spirals remained elastic almost in all drift levels. The spirals strain in the compression zone was well distributed above 12 in. (305 mm or half of the column diameter) from the column-footing interface but was slightly higher at the column base. Due to limitation of data acquisition system at the time of testing, five of the strain gauges installed on the spirals in the East and West sides of the column were not connected. Therefore, the data in the shear cracking zone was not obtained. Nonetheless, the measured data of the remaining gauges showed that the spirals did not yield during the entire test.

4.3.4. Measured Rotation and Curvature

The vertical displacement transducers (DT) installed in the loading plane measured relative displacements that were converted to rotations and curvatures in the plastic hinge. Figure 4.32 shows displacement instrumentation plan for PNC. Figure 4.33 shows a schematic view of a set of DTs installed on a column as well as parameters that are required in rotation (θ) and curvature (φ) calculations:

\[
\theta = \frac{\Delta L_L - \Delta L_R}{D + d_L + d_R} \tag{4-1}
\]

\[
\varphi = \frac{\Delta}{h_{ave}} \tag{4-2}
\]

where \(\Delta L_L\) and \(\Delta L_R\) (in. or mm) are respectively the measured relative displacements at the left and right sides of the column in the loading direction, \(D\) (in. or mm) is the diameter of the column, \(d_L\) and \(d_R\) (in. or mm) are the distances of the left and right DTs from the column faces, respectively. Since the instruments installed on the two sides of the column may not have always the same gage length due to slight variation during installation, the average height \((h_{ave})\) was used. In PNC, the rotations and curvatures were measured at five levels at the plastic hinge zone.

The measured base moment-rotation (closest level to the footing) of PNC is shown in Fig. 4.34. The column curvature profile, the column height versus the peak curvature, is
shown in Fig. 4.35. The base rotation and curvature were always the highest among the five levels mainly because of the cracking and bar slip at the column-footing interface. Prior to the bar yielding (approximately 1% drift ratio), the column curvature was almost uniform along the height but it was more concentrated at the base at the larger drift levels.

4.3.5. Energy Dissipation

Dissipated energy is defined as area under the force-displacement hysteretic loops. Figure 4.36 shows the cumulative dissipated energy for PNC at different drift levels. The dissipated energy of the column was negligible up to 1% drift ratio prior to reinforcements yielding. However, after the bars yielding in higher drifts, the hysteretic loops became wider resulted in higher energy dissipation.

4.4. GCDP Column Model

The seismic performance of the grouted coupler column, GCDP, is presented in this section.

4.4.1. Observed Damage

The cross-section orientation of GCDP was shown in Fig. 3.13. The loading protocol, loading direction, and push/pull definition are the same as those of the PNC column test presented in the previous section. Detailed description of the observed damage of GCDP at different drift levels is presented in Table 4.6. The strain gauge instrumentation plan is shown in Fig. 3.36.

Figures 4.37 to 4.54 show the GCDP column plastic hinge damage at the end of the second cycle of various drift levels. Cracking at the column base was observed during the second pull of 0.5% drift ratio (Fig. 4.37-4.38). The first longitudinal bar yielded at bar B7 at a 0.83% drift ratio during the first 1% drift ratio cycle under a 35.7-kip (158.9-kN) force. Spalling of concrete was observed during the first cycle of 2% drift ratio (Fig. 4.41-4.42). During the 3% drift ratio cycle, a small portion of the footing concrete failed in a conical shape at the North-side of the column (Fig. 4.43), which may be attributed to a higher water/cement ratio near the footing surface. The spiral was exposed on the South-side of the column during the first cycle of 4% drift ratio. Bars B11 and B7 were exposed on the South-side of the column during the first push cycle of 6% drift ratio. Bars B6 and B7 buckled during the second push cycle of 6% drift ratio (Fig. 4.49). A spiral fractured during the second push cycle of 8% drift ratio (Fig. 4.51). Bar B6 fractured during the second pull cycle of 8% drift ratio (Fig. 4.52). Then, the column was pulled from 8 to 10% drift ratio with no more bar fracture. Finally, two more bars fractured during the push cycle of 10% drift ratio (Fig. 4.54).
It can be seen in the figures that most of the column damage was concentrated in the pedestal. The reason is that the bulky grouted couplers behaved as large size reinforcements, which made the column stronger in the coupler area and shifted the damage to the weaker region. Minor cracks were observed in and above the coupler region. The GCDP column mode of failure was bar fracture during the second pull cycle of 8% drift ratio.

4.4.2. Force-Displacement Relationship

The measured lateral force-drift hysteretic and envelope responses of the GCDP column are shown in Fig. 4.55. Similar to PNC, the end point of the envelope curves are taken at a point where the lateral force has dropped to 85% of the peak measured base shear. No strength degradation was observed up to 5% drift ratio with minimal strength degradation up to 8% drift ratio. Significant strength degradation occurred when the longitudinal bars ruptured. The column exhibited 9 kips (40 kN) higher base shear capacity and 0.9% higher drift capacity in the pull direction compared to the push direction. The reason for those differences could not be determined. The first longitudinal bar yielded in the push direction at 0.83% drift ratio with a 35.7-kip (158.9-kN) force. The first pull yielding was occurred at 0.79% drift ratio with a 43.1-kip (191.6-kN) force.

Figure 4.56 shows the average of the measured push and pull envelope as well as the idealized curve for GCDP to be used in the displacement ductility calculation. The column average yield drift ratio and the average yield lateral force were 0.81% and 39.4 kips (175.3 kN), respectively. The effective yield drift ratio and the effective lateral force were 1.23% and 59.9 kips (266.6 kN), respectively. The ultimate drift capacity of GCDP was 8.73%. The displacement ductility capacity of the column was 7.07.

4.4.3. Strain Profiles

Similar to PNC, five longitudinal bars of GCDP were instrumented with strain gauges at different levels. Figures 4.57 to 4.61 show the strain profiles of the column. No bars were instrumented inside the sleeves but the sleeves were instrumented on the outer surface at their mid-length. The sleeve strains are also shown in the figures. It can be seen that the strain was well distributed along the height of the pedestal due to debonding of the bars. As an example, Fig. 4.62 shows the measured lateral force-strain hysteretic curves of two strain gauges, SG18 and SG23, which were both installed in the debonded region of bar B11 but 5.5 in. (140 mm) apart. It is obvious that the strains at two levels of the column are similar due to the debonding. The measured strains of the sleeves were significantly lower than those of the longitudinal bars due to larger size of the sleeves.
4.4.4. Measured Rotation and Curvature

Figure 4.63 shows the displacement transducers in the GCDP column plastic hinge zone. The rotation and curvatures were measured at six levels. Figure 4.64 shows the column base moment-rotation curve. The curvature profile is shown in Fig. 4.65. It can be seen that the curvature at the bottom of the couplers (level 4) was higher than the reminder of the coupler region mainly because of the gap opening at the end of pedestal as well as the coupler bond-slip effect. The curvature of the column at the base (level 1) was the highest because of the longitudinal bar slip.

4.4.5. Energy Dissipation

Figure 4.66 shows the cumulative dissipated energy of GCDP at different drift levels. Similar to PNC, the dissipated energy was negligible up to 1% drift ratio because of the elastic behavior of the system. However, the longitudinal bar yielding in the higher cycles resulted in higher energy dissipation.

4.5. HCS Column Model

Both conventional and advanced materials were used in HCS. In this section, the seismic performance of HCS is presented.

4.5.1. Observed Damage

The cross-section orientation of HCS was shown in Fig. 3.24. The loading protocol, loading direction, and push/pull definition are the same as those defined for the other two columns as presented in the previous sections. Detailed description of the observed damage of HCS at different drift levels is presented in Table 4.7. The strain gauge instrumentation plan was shown in Fig. 3.37. Figures 4.67 to 4.86 show the HCS column plastic hinge damage at the end of the second cycle of various drift levels.

Due to using ECC and SMA, plastic hinge damage of HCS was relatively minor even under large drifts (Fig. 4.81 to 4.86). Cracking at the column base was observed during the first push of 0.75% drift ratio. The longitudinal SMA bar yielded at bar B10 at 1.44% drift ratio during the first 2% drift ratio cycle under a 44.6-kip (198.3-kN) force. At 3% drift level, spalling of the cover concrete was initiated (Fig. 4.73-4.74). However, no spiral was exposed during the entire of the test. A major crack was developed on both sides of the column approximately at a 10-in. (254-mm) high above the column-footing interface in which the SMA bars were visible under large drifts (Fig. 4.75 to 4.86). The average width of crack was 1.31 in. (33 mm) at 8% drift level (Fig. 4.81-4.82). No longitudinal bar was exposed at zero-force at any of the drift levels, which indicates that the plastic hinge damage of HCS was limited to only the cover concrete damage. The column withstood one full cycle of 10% drift ratio without any bar fracture. However, the first bar rupture was observed exactly at the end of the first pull cycle of 10% drift.
ratio. No more bar fracture occurred during the second cycle of 10% drift ratio. Two more bars ruptured during the first push cycle of 12% drift ratio (Fig. 4.85) and one more bar fractured during the first pull cycle of 12% drift ratio (Fig. 4.86).

It can be seen that most of the damage was concentrated in a major crack, which was nearly closed by SMA restoring forces even under large drifts after removing the lateral force (Fig. 4.87 to 4.93). The HCS column mode of failure was bar fracture at the end of one full cycle of 10% drift ratio.

**4.5.2. Force-Displacement Relationship**

The measured lateral force-drift hysteretic and envelope responses of HCS are shown in Fig. 4.94. As described for the previous models, the end points of the envelopes are assumed where the lateral force drops to 85% of the maximum base shear. No strength degradation was observed up to 10% drift ratio prior to the longitudinal bars fracture. The column behavior was almost symmetric in push and pull directions. The first longitudinal bar yielded in the push direction at 1.44% drift ratio under a 44.6-kip (198.3-kN) force. The first pull yielding was occurred at 1.15% drift ratio under a 37.5-kip (166.7-kN) force.

Figure 4.95 shows the average of the measured push and pull envelope of HCS. The column average yield drift ratio and the average yield lateral force were 1.29% and 41.0 kips (182.5 kN), respectively. The effective yield drift ratio and the effective lateral force were 2.16% and 68.29 kips (303.8 kN), respectively. The displacement ductility capacity of the column was 4.80. However, it should be noted that the displacement ductility is not a good representative of ductility of SMA-reinforced structures since the yield strain of reinforcing SMA is approximately 5 times of reinforcing steel yield strain resulting in a higher effective yield displacement and very small ductility. For example, the displacement ductility capacity of HCS was only 65% of that of CIP. However, the drift capacity of both columns was 10%.

**4.5.3. Strain Profiles**

Six longitudinal bars of HCS were instrumented with strain gauges at different levels. On each longitudinal bar, two strain gauges were installed on the SMA part and four strain gauges were installed on the steel parts. Figures 4.96 to 4.101 show the longitudinal bar strain profiles. As mentioned before, a major crack was developed on both sides of the column approximately at 10 in. (254 mm) above the column-footing interface (mid-length of the SMA bars). It can be seen that the highest strains were measured in the vicinity of this crack on the SMA bars. The peak measured strain of the steel bars was only four times higher than the yield strain of steel indicating a minor plasticity in the steel bars. Note that the ultimate strain of a steel bar is usually 50 times of its yield strain. Similar to the other two columns, the strain distribution was uniform in the debonded area below the column-footing interface.
The measured strains of the spirals in the compressive zone and the shear cracking zone of HCS are shown in Fig. 4.102 and 4.103, respectively. It can be seen that the spirals were yielded in both zones. However, the spiral strains were higher leading to yielding earlier in the column compression zone compared to the shear cracking zone. The spirals yielded at 4% drift ratio due to the confinement effect in the compression zone. The shear cracks were observed in the first cycle of 5% drift ratio (Table 4.7), but spirals did not yield in the shear crack zone until the column reached 8% drift ratio.

4.5.4. Measured Rotation and Curvature

The as-built displacement transducer installation plan is shown in Fig. 4.104. The rotation and curvatures were measured at five levels. Figure 4.105 shows the column base moment-rotation curve. The curvature profile is shown in Fig. 4.106. It can be seen that the curvature in the vicinity of the major crack was the highest almost under all drift levels.

4.5.5. Energy Dissipation

The cumulative dissipated energy of HCS is shown in Fig. 4.107 at different drift levels. The dissipated energy was negligible up to 1% drift ratio. However, after initiation of phase transformation in the SMA bars under the higher drifts, the energy dissipation was increased.

4.6. Summary of Column Test Results

Three half-scale columns, PNC, GCDP, and HCS, incorporating novel column-to-footing connections and advanced materials were tested under slow cyclic loading to failure. The summary of the experimental findings is as follows:

- The mode of failure of all three specimens was the longitudinal bar rupture.
- The drift ratio capacity of PNC, GCDP, and HCS was 8, 8, and 10%, respectively.
- The damage was well distributed in the plastic hinge of PNC. The GCDP column plastic hinge damage was concentrated in the 12-in. (305-mm) pedestal. The plastic hinge damage of HCS was minor and limited only to the cover concrete due to using the high performance reinforced concrete, ECC.
- No column-to-footing connection damage was observed in any of the three column models.
- Debonding was a successful technique to spread the strain in the plastic hinge and to avoid strain concentration.
Chapter 5: Evaluation of Column Performance

5.1. Introduction

The test results of three new precast column models, PNC, GCDP, and HCS, were individually presented in the previous chapter. In this chapter, the seismic performance of those columns is compared with a reference cast-in-place column (CIP) as well as other counterpart precast models that were tested by Haber (2013).

5.2. PNC and CIP Column Models

5.2.1. Mode of Failure

PNC was a precast column model that did not incorporate any couplers. The column bars in PNC extended into UHPC-filled ducts placed in the footing. The longitudinal bar buckling followed by bar fracture was the failure mode of both CIP and PNC columns (Table 5.1). PNC withstood two full cycles of 8% drift ratio without any strength degradation. Buckling of the bars was observed in this drift level. However, four longitudinal bars fractured during the following loading to 10% drift. Three of those bars were located above the column-footing interface. The location of the fourth bar fracture could not be identified, and it is suspected that it occurred inside the footing. The first bar buckling in CIP was observed during the second push cycle of 10% drift ratio followed by bar fracture during the second pull cycle of 10% drift ratio. Two more bars fractured in the following cycle. All the fractured bars located above the column-footing interface. The drift capacity of the PNC and CIP columns was 8 and 10%, respectively.

5.2.2. Plastic Hinge Damage

The plastic hinge damage in PNC and CIP is shown in Fig. 5.1 to 5.7 for selected drift levels. The PNC and CIP column plastic hinge damage for all drift levels can be found in Appendix A. The damage in PNC was similar to CIP damage nearly at all drift levels. However, the cover concrete deterioration was slightly more extensive in PNC mainly because of 1150 psi (7.93 MPa) lower concrete compressive strength compared to that in CIP. For example, the first longitudinal bar in PNC was exposed during 5% drift cycle while the longitudinal bar was first exposed during 6% drift cycle in CIP. A small portion of the footing around the CIP column failed in a conical shape, which is attributed to either poor quality of concrete above the top layer reinforcements of the footing or strain penetration into the footing. However, no damage of the UHPC-filled duct
connection such as bar pullout, duct pullout, or conical failure of the footing was observed in PNC.

5.2.3. Force-Displacement Relationship

The lateral force-drift hysteretic curves for PNC and CIP are shown in Fig. 5.8. The CIP column exhibited minor strength degradation at 2.5% drift ratio but maintained its strength after 3% drift ratio to the second cycle of 10% drift ratio when some of the longitudinal bars fractured. The PNC model showed wider hysteretic loops than the CIP model in the push direction indicating higher energy dissipation. The CIP model was stronger than the PNC model in the push direction up to the 5% drift ratio but exhibited the same capacity in the following cycles. However, the PNC model was slightly stronger than the CIP model in the pull direction. These minor strength differences are because of the difference in the materials strength as well as variations in the actual bar locations in the models.

Figure 5.9 shows the average push and pull force-drift envelopes for PNC and CIP. The envelope of PNC is essentially the same as CIP envelope up to 8% drift ratio. The displacement ductility capacity of PNC and CIP using the idealized curves were 6.30 and 7.36, respectively. The lower displacement ductility capacity of PNC (14%) was because of 1150 psi (7.93 MPa) lower concrete compressive strength of the shell compared to the CIP column concrete, which reduced the column resistance against bar buckling. The first longitudinal bar was exposed in PNC at 5% drift ratio while the first CIP bar exposure was at 6% drift ratio. Consequently, the first longitudinal bar buckling in PNC occurred at 8% drift ratio while the first bar buckling in CIP was observed at 10% drift ratio. It is clear that the premature loss of the cover concrete due to the lower compressive strength in PNC is the cause of the lower displacement capacity compared to CIP.

5.2.4. Strain Profiles

The peak tensile strain profiles of extreme bars B1, B2, B6, and B7 (Fig. 3.4 and 3.24) measured in the plastic hinge region of PNC and CIP are shown in Fig. 5.10 at 2, 4, and 5% drift ratios. Note that the measured yield strain was 2270 με. The strains for higher drift ratios are not shown because the data were not reliable for some of the strain gauges. The strain was well distributed along the height of the PNC column similar to the strain profile in CIP. Debonding of the bars in PNC resulted in an approximately uniform strain distribution in the debonded area. Furthermore, the debonding of the bars below the footing surface led to shifting of higher strains to a higher depth into the footing. No yielding of the transverse reinforcements was observed even at 10% drift ratio in the columns.
5.2.5. Measured Rotation and Curvature

The base moment-rotation hysteretic curves of PNC and CIP are shown in Fig. 5.11. Both columns showed the same moment-rotation behavior in the push direction up to 8% drift ratio. However, PNC exhibited higher rotations than CIP in the pull direction even in low drift levels. Generally PNC rotations were higher because of the debonded bars at the column-footing interface. The maximum measured curvature profile for PNC and CIP at each drift level versus the column height is shown in Fig. 5.12. The curvature in PNC was approximately the same as the CIP curvature except for that at the column base where the curvature in CIP was slightly higher under various drift levels.

5.2.6. Energy Dissipation

The cumulative dissipated energy of PNC and CIP are shown in Fig. 5.13 at different drift levels. The end point of the curve is the largest drift level at which the column withstood at least one full cycle without any bar fracture. It can be seen that the energy dissipation was comparable in the two columns with slightly larger energy dissipation in PNC. The higher energy dissipation in PNC is more visible under larger drift ratios and it is attributed to the debonding of the longitudinal bars that spread the longitudinal bar yielding over a larger portion of these bars.

5.3. GCDP, CIP, and GCPP Column Models

Two grouted coupler column models were tested by Haber (2013), one with a partial precast pedestal at the column base (GCNP) and the other with no pedestal (GCNP). Both columns showed 40% lower drift and displacement ductility capacities than those of CIP mainly because of the strain concentration below the column-footing interface. The shifting of the grouted couplers above the pedestal by one-half of the column diameter did not improve the drift capacity in GCNP. This was because the ducts in the pedestal confined the grout and the combination of the bars and ducts behaved similarly to large size reinforcements with little yielding, thus shifting the nonlinearity to the footing.

In the present study, the longitudinal bars in the pedestal were debonded in GCDP to improve the displacement capacity. The seismic performance of GCDP is compared with CIP and GCNP in detail in this section. The global response of GCNP is also included.

5.3.1. Mode of Failure

Failure in all column models with grouted couplers was due to fracture of the longitudinal bars (Table 5.1). GCDP withstood a full cycle of 8% drift ratio but five of its longitudinal bars fractured in the following cycles. Only two of those were visible, located 4 in. (102 mm) above the column-footing interface. The first bar fracture in the CIP column was observed during the second cycle of 10% drift ratio followed by two more bar fracture in the following cycle, all located above the column-footing interface.
In summary, the drift capacity of GCDP and CIP were 8 and 10%, respectively. The drift capacity of GCPP was 6% with two fractured longitudinal bars located approximately 4.94 in. (125 mm) below the column-footing interface on average. The drift capacity and the location of the bar fracture for GCNP was the same as those of GCPP.

5.3.2. Plastic Hinge Damage

The plastic hinge damage of GCDP, CIP, and GCPP are shown in Fig. 5.14 to 5.19 for selected drift levels. The plastic hinge damage of those columns for all drift levels is presented in Appendix B. In CIP, the damage was well distributed along the plastic hinge. However, the damage was concentrated in the pedestal of GCDP and GCPP with minor flexural and shear cracks in and above the coupler region. The reason is that the bulky grouted sleeves behaved as large size reinforcements resulting in stronger section with minor damage.

5.3.3. Force-Displacement Relationship

The lateral force-drift hysteretic curves of GCDP, GCPP, and CIP are shown in Fig. 5.20. All three models showed wide and stable hysteretic loops with minimal strength degradation up to the first longitudinal bar rupture. The lateral load capacity of GCDP was approximately 18% less than CIP and GCPP base shear capacity in the push direction but it was almost the same as the CIP and GCPP base shear capacity in the pull direction. The reason for the force difference in push and pull directions could not be clearly identified.

The average push and pull lateral force-drift envelope for all the grouted coupler columns as well as CIP is shown in Fig. 5.21. GCDP showed 56% higher displacement ductility capacity with respect to the previous grouted coupler models (GCPP and GCNP) and only 4% less displacement ductility capacity compared to CIP. As mentioned before, the lower drift capacity of GCDP (8% drift ratio) compared to CIP (10% drift ratio) was because of 1235 psi (8.51 MPa) lower concrete compressive strength of the shell compared to CIP, which reduced the column resistance against bar buckling.

5.3.4. Strain Profiles

The peak tensile strain profiles for GCDP, GCPP, and CIP are shown in Fig. 5.22 at different drift levels for extreme bars B2, B6, B7, and B11. The couplers strains measured on the outer face of the sleeves are also shown at 20 in. (508 mm) from the column-footing interface. It can be seen that in GCPP, most of the bar large plasticity was concentrated in the bottom half of the pedestal while the strain was well distributed in the plastic hinge of GCDP due to debonding of the longitudinal bars in the pedestal. The strain was also well distributed in the plastic hinge of CIP. The longitudinal reinforcements of GCDP experienced the largest strains among all columns.
5.3.5. Measured Rotation and Curvature

The moment-rotation hysteretic curve for GCDP, GCPP, and CIP are shown in Fig. 5.23. The rotation at the end of the first cycle of 6% drift ratio is marked in the figure. The rotation at the base of GCDP was large and similar to the CIP column rotation. However, the base rotation of GCPP was less than the other columns base rotations due to the presence of the pedestal with grouted ducts. The grouted ducts incorporated in the precast pedestal increased the stiffness and strength of the section resulted in a lower section ductility.

The curvature profile for GCDP, GCPP, and CIP are shown in Fig. 5.24 at different drift levels. It can be seen that GCPP exhibited lower curvature than the other models. The curvature profile of GCDP was similar to the CIP column.

5.3.6. Energy Dissipation

The cumulative dissipated energy versus drift level is shown in Fig. 5.25 for the grouted coupler models as well as CIP. GCDP dissipated higher energy than the other columns because of the distribution of the bar plasticity in the debonded region. Compared to CIP, GCDP exhibited 17% higher dissipated energy, an average from 2 to 8% drift ratio. The GCPP and GCNP columns exhibited similar energy dissipation to CIP up to 5% drift ratio. However, GCNP dissipated 10% higher energy than the CIP and GCPP columns at 6% drift ratio.

5.4. HCS, CIP, and HCNP Column Models

Eight different materials, conventional and advanced, were incorporated in the HCS column. The seismic performance of HCS is compared with that of CIP as well as HCNP (the headed coupler column with no pedestal) performance since the headed reinforcement couplers were utilized in both HCS and HCNP. The global responses of HCPP (the headed coupler column with partial pedestal) are also included.

5.4.1. Mode of Failure

The failure mode of all four columns was the longitudinal bar fracture (Table 5.1). All four columns withstood at least one full cycle of 10% drift ratio without any bar fracture. No evidence of the reinforcing SMA bar buckling was observed in HCS.

5.4.2. Plastic Hinge Damage

The plastic hinge damage of HCS, CIP, and HCNP are shown in Fig. 5.26 to 5.33 for selected drift levels. The plastic hinge damage of the columns for all drift levels is
presented in Appendix C. It is clear that the plastic hinge damage of HCS was minimal and significantly less than CIP and HCNP plastic hinge damage due to utilizing the high performance fiber reinforced concrete, ECC. In CIP and HCNP, the damage was distributed along the plastic hinge in which the longitudinal bars were exposed and the core concrete was crushed. However, in HCS, no significant spalling occurred until 8% drift and only the cover concrete spalled with no longitudinal bar exposure even after 12% drift cycle. A major crack was developed on both sides of HCS approximately at 10-in. (254-mm) high (mid-length of the SMA bars) from the column-footing interface. However, the crack was almost completely closed after removing the lateral forces even at large drifts because of the SMA bars self-centering forces (Fig. 4-87 to 4.93).

5.4.3. Force-Displacement Relationship

The lateral force-drift hysteretic curves of HCS, CIP, and HCNP are shown in Fig. 5.34. CIP and HCNP showed wide and stable hysteretic loops with minimal strength degradation up to the first longitudinal bar rupture. However, the hysteretic loops of HCS were significantly different than the other columns with a flag-shape behavior due to utilizing superelastic reinforcing SMA bars in the plastic hinge. Not only the lateral load capacity was maintained with no degradation in HCS, but also the rate of gaining strength was increased after 6% drift ratio due to phase transformation of SMA bars, which is not seen in conventional RC columns.

The average push and pull lateral force-drift envelope for all the headed bar coupler columns as well as CIP is shown in Fig. 5.35. In low drift cycles, the initial stiffness of HCS was the same as the other columns stiffness due to the elastic behavior. However, after the concrete cracking under higher drifts in which the reinforcement effect is dominant, the stiffness of HSC was lower than the other columns stiffness since the modulus of elasticity of reinforcing SMA is only 20% of that of reinforcing steel. It is evident that the displacement capacity of the precast columns was equal or better than the cast-in-place column. The lateral load capacity of HCS was 12% higher than that of CIP, HCNP, and HCPP on average.

5.4.4. Strain Profiles

The peak tensile strain profiles for HCS, CIP, and HCNP are shown in Fig. 5.36 at different drift levels. Note that due to using a different bar arrangement in HCS compared to the other columns, strains of bars B5 and B10 of HCS were compared with those of CIP (and HCNP) bars B6 and B11, respectively. It can be seen that the strain was well distributed in the plastic hinge of CIP and HCNP. However, high strains were measured in HCS in the vicinity of the single crack near to the mid-length of SMA bars.
5.4.5. Measured Rotation and Curvature

The moment-rotation hysteresis for HCS, CIP, and HCNP is shown in Fig. 5.37. The rotation at the end of the first cycle of 8% drift ratio is also illustrated in the figure. It can be seen that the base rotations of HCS and HCNP were less than those of CIP because of presence of the headed bar couplers at or above the column-footing interface. In addition, #11 (Ø36 mm) reinforcing steel bars were used in the footing of HCS while #8 (Ø25 mm) reinforcing steel bars were used in CIP and HCNP footing, which caused smaller rotations in HCS compared to the other columns.

The curvature profiles for HCS, HCNP, and CIP are shown in Fig. 5.38 at different drift levels. It can be seen that the HCS base curvature was the smallest among the other columns base curvature. HCS exhibited higher curvature than the other models approximately at the mid-length of SMA bars due to a concentrated crack that was developed on both sides of the column approximately at 10 in. (254 mm) from the footing surface.

5.4.6. Energy Dissipation

Figure 5.39 shows the cumulative dissipated energy versus drift levels for the headed bar coupler models as well as CIP. The energy dissipation in HCS was lower than the other columns since the SMA flag-shape behavior controlled the force-drift hysteretic curves in HCS resulting in narrower loops with less enclosed area. Note that the lower energy dissipation of HCS is not necessarily a concern since the column showed higher strength and displacement capacity than the conventional column, satisfying all design specification limitations. Furthermore, the lower cracked stiffness of HCS compared to other columns results in longer vibration period and generally smaller seismic forces, which could reduce energy dissipation demand.

5.4.7. Residual Displacements

In cyclic responses, residual displacement is the displacement at the intersection of the unloading curves with the abscissa. Figure 5.40 shows the HCS, HCNP, and CIP columns residual drift versus the peak drift. The residual drift is the ratio of the residual displacement to the column height, which was 108 in. (2.74 m) for all column models. It is evident that the residual displacements of the SMA-reinforced column, HCS, were substantially lower than those of HCNP and CIP, which were reinforced with steel bars. For example, the residual displacement of HCS was on average 79% smaller than that of CIP for drift ratios of 2 to 10%, a range with significant residual displacements for CIP.

5.5. Summary and Overall Evaluation

A summary of the seismic performance of the precast columns with emphasis on PNC, GCDP, and HCS is presented in this section. The performance parameters that were considered are: mode of failure, displacement capacity, distribution of plasticity, dissipated energy, and residual displacements.
5.5.1. Mode of Failure

The longitudinal bar fracture was the failure mode in all eight columns. Table 5.1 presents the failure mode of the columns, the number, and the location of the ruptured bars. Note that a reinforced concrete column is considered to have failed when either longitudinal bars fracture or the core concrete fails in compression, whichever happens earlier resulting in 15% reduction of the lateral load resistance of the system. Table 5.2 presents the percent reduction of the lateral load strength at each drift level (the ratio of the peak base shear measured in the second cycle of each drift level to the first cycle peak base shear at that drift level). It is clear that 15% reduction in the base shear occurred at drift levels during which the first longitudinal bar ruptured. The transverse reinforcement fracture and confined concrete failure at the core edge were observed in some of the column models but they were not considered to constitute failure since the lateral load strength dropped only by a small amount (a maximum of 6%).

5.5.2. Displacement Capacity

The displacement capacity and displacement ductility capacity of the ABC columns are presented in Table 5.3. Figure 5.41 shows the measured average push and pull envelope of PNC, GCDP, HCS, and CIP hysteretic curves. The displacement capacity (the displacement at the point where the lateral load capacity has dropped by 15%) of PNC was 9.67 in. (246 mm), which was 10% lower than that of CIP, 10.7 in. (272 mm). Note that in the previous sections, the drift capacity of PNC and CIP was reported as 8 and 10%, respectively, which was the drift level of the cycle in which the first longitudinal bar fractured. The displacement capacity of GCDP was 9.43 in. (240 mm), 12% lower than that of CIP. It was pointed out before that the lower displacement capacity of PNC and GCDP compared to CIP was because of the lower compressive strength of the column shell. Compared to the previous grouted coupler columns, GCPP and GCNP, the displacement capacity of GCDP was 47% higher on average. The displacement capacity of HCS was 11.19 in. (284 mm), 5% larger than that of CIP.

In terms of displacement ductility capacity, PNC and GCDP showed 14 and 4% lower ductility than CIP, respectively. The displacement ductility evaluation is not recommended for SMA-reinforced structures since the yield strain of SMA is approximately 5 times the steel yield strain resulting in smaller apparent displacement ductility, a misleading number when compared to ductility of conventional RC members.

5.5.3. Distribution of Plasticity

Based on the measured strains, the location of longitudinal bar large plasticity (strains greater than four times the steel bar yielding, approximately 10,000 με) was identified for each column model. Figure 5.42 illustrates the PNC and CIP bar large nonlinearity in the plastic hinge. It can be seen that the bar plasticity pattern for PNC was similar to that of CIP. The bar large plasticity for grouted coupler column models as well as CIP is shown.
in Fig. 5.43. It can be seen that only in GCDP, the bar nonlinearity pattern is comparable with that of CIP, which was because of the bar debonding in the pedestal resulting in 56% higher displacement ductility capacity compared to GCNP and GCPP. In HCS, the large plasticity was observed in the 20-in. (508-mm) long SMA bars and small portion of the steel bars under the footing surface (Fig. 5.44) and the plasticity pattern was comparable to that of CIP.

5.5.4. Dissipated Energy

The cumulative dissipated energy for PNC, GCDP, HCS, and CIP are shown in Fig. 5.45. It can be seen that PNC and GCDP dissipated 13 and 17% more energy than CIP (on average for 2 to 8% drift ratio), respectively mainly because of the bar debonding. The dissipated energy of HCS was 44% lower than that of CIP (on average for 2 to 10% drift ratio) due to the flag-shape behavior of the reinforcing SMA bars.

5.5.5. Residual Displacements

Figure 4.46 shows residual drift versus peak drift for PNC, GCDP, HCS, and CIP. It can be seen that the residual displacements of the SMA-reinforced column, HCS, were substantially smaller than those of steel-reinforced columns, which ensures post-earthquake serviceability of SMA-reinforced bridges even after severe ground shaking.

5.5.6. Overall Evaluation

In this section, overall seismic performance of the precast column models of the present study in contrast with cast-in-place column model is presented.

The UHPC-filled duct connection incorporated in PNC was emulative of the conventional connection since:

1. The ultimate capacities of the column were developed and high drift ratios were achieved,
2. No connection damage such as bar pullout, duct pullout, or conical failure of the footing was observed in the PNC column base connection,
3. Mode of failure, base-shear capacity, and strength and stiffness degradation of PNC was nearly the same as those of CIP. However, PNC showed slightly higher energy dissipation due to the debonding of longitudinal bars above and below the column-footing interface.

Overall, UHPC-filled duct connections are proposed as alternative to cast-in-place connections in high seismic regions to connect precast columns to shallow cap beams and footings. When the footing or the cap beam depth is sufficient, high-strength grouts may be used in lieu of UHPC.
The seismic performance of the grouted coupler column with pedestal presented in this study, GCDP, was emulative of CIP since:

1. Mode of failure and strain distribution in the plastic hinge of GCDP was similar to those of CIP. GCDP dissipated more energy than CIP because of the longitudinal bar debonding in the pedestal,
2. The displacement ductility capacity of GCDP was only 4% lower than that of CIP,
3. GCDP reached its ultimate capacities without any connection damage or premature failure of the reinforcements.

In summary, the mechanical grouted sleeve splice connection presented in this study is proposed as a suitable ABC column-to-footing connection in high seismic zones even though most design specifications prohibit utilizing mechanical bar splices in plastic hinge of reinforced concrete members.

The ABC SMA-reinforced concrete bridge column presented in this study, HCS, exhibited improved seismic performance over CIP since:

1. The displacement capacity of HCS was higher than that of CIP,
2. The plastic hinge damage of HCS was limited only to the cover concrete while the damage penetrated into the CIP core concrete,
3. HCS reached its ultimate capacities without any connection damage,
4. Residual displacement of HCS was substantially lower than that of CIP ensuring post-earthquake functionality of the bridge.

In summary, ABC columns with connection and details similar to HCS are expected to perform better than conventional columns in seismic zones.
Chapter 6: NiTi Superelastic SMA Reinforcements for Concrete Structures

6.1. Introduction

Shape memory alloy (SMA) is an advanced material with large strain recovery and high energy dissipation capacity that may be used as an alternative to conventional reinforcing steel in civil engineering structures. Previous studies regarding general applications of superelastic SMA in civil engineering were presented in chapter 1. In this chapter, behavior of SE SMA as reinforcement is described in detail. There are several constitutive models for stress-strain behavior and design of SMA in different austenite and martensite phases. However, they are based on very limited test data. A lack of well-established procedure to determine key points (e.g. yield point) of the stress-strain curves from uniaxial tests is another shortcoming of previous models.

In this chapter, first behavior of SMA is illustrated. Large strains in SMA can be recovered by either heating known as shape memory effect or unloading known as superelastic (SE) effect (Otsuka and Wayman, 1998). Only Nickel-Titanium (NiTi or Nitinol) SE SMA is the interest of this research because of its many advantages such as high strength capacity, high ductility capacity, high strain recovery, and high corrosion resistance. Previous studies regarding simple SE SMA constitutive models are then briefly presented. A standard tensile test method for NiTi SE SMA bars and wires is described. The key points of the model from structural engineering viewpoints are identified, and a procedure is proposed to determine these key points from test data. Finally, a structural design specification is proposed for NiTi SE SMA reinforcements with either minimum acceptable or expected mechanical properties.

6.2. Previous Studies

6.2.1. NiTi SMA Stress-Strain Behavior

The behavior of SMA is generally affected by: (1) temperature changes, (2) whether SMA is under tension or compression, (3) the number of loading cycles, and (4) loading rate. The effect of these factors on the hysteretic behavior is presented in this section.

Strnadl et al. (1995) tested a dog-bone NiTi SMA specimen at different temperatures under tensile loading (Fig. 6.1). Austenite finish temperature ($A_f$) was 44°C (111°F) for this specimen. Note that SMA remains superelastic at any temperature above $A_f$. The cross section of the specimen was rectangular at the middle portion with a dimension of 0.04 in. (1 mm) by 0.157 in. (4 mm). The strain rate was $4 \times 10^{-4} s^{-1}$. It can be seen in Fig. 6.1 that the strength and stiffness of SMA increase when temperature rises. SMA
behaves similarly to conventional reinforcing steel at temperature below $A_f$ but superelastic behavior is dominant above this temperature.

Limited test data is available regarding stress-strain behavior of SE SMA under compressive loads. Plietsch and Ehrich (1997) performed uniaxial tensile and compressive tests on an hourglass NiTi SE SMA specimen machined from wire at a strain rate of 0.01 $s^{-1}$. The diameter of specimen was 0.12 in. ($3 \text{ mm}$) at the neck of the specimen. Figure 6.2 shows the measured full-cycle stress-strain relationships. It can be seen that the compressive strength and stiffness are higher than those in tension.

Frick et al. (2004) tested hot-rolled and cold-drawn NiTi SE SMA specimens under tensile and compressive loads (Fig. 6.3). Tensile flat dog-bone shape specimen had a length of 1 in. ($25 \text{ mm}$) and a $0.12$-in. $\times$ $0.04$-in. ($3 \text{ mm} \times 1 \text{ mm}$) rectangular cross section. The compressive specimen was also a rectangular section with dimensions of $0.16$-in. $\times$ $0.16$-in. $\times$ $0.31$-in. ($4 \text{ mm} \times 4 \text{ mm} \times 8 \text{ mm}$). Similar to the previously described study, higher stiffness and strength were observed for SE SMA under the compressive loads compared to tensile loads.

Miyazaki et al. (1986) investigated cyclic behavior of NiTi SE SMA wires at different temperatures (Fig. 6.4). Increasing number of cycles resulted in lower strength at inducing martensite (first yield) and higher residual displacements. For example, under 100 cycles of loading at a temperature of $298.5^o\text{K}$ ($25.3^o\text{C}$ or $77.5^o\text{F}$), the first yield strength dropped by approximately 20% and the residual strain increased by approximately 0.006 in./in. ($mm/mm$).

Strain rate effect on NiTi SE SMA was investigated by McCormick (2006). Figure 6.5 shows the SE SMA stress-strain behavior of a dog-bone shaped bar at loading rate of 0.025 $Hz$ (static loading), 0.5 $Hz$, and 1.0 $Hz$ (approximate earthquake loading). The diameter of the reduced section of the bar was 0.5 in. ($12.7 \text{ mm}$). A loading frequency of 1.0 $Hz$ made the hysteric loops narrower with an approximately 20% increase in the yield strength. Equivalent viscous damping deceased from 3.9% for the static loading to 2.4% and 1.8% for the 0.5 and 1 $Hz$ loading frequencies, respectively. The residual strain was insensitive to the loading rate.

It is clear that there are several parameters affecting the stress-strain behavior of SE SMA. To facilitate adoption of SMA in civil engineering structures, a simple constitutive model was used in this study to reproduce the actual behavior with minor acceptable discrepancies. There are some supporting facts that even simple approximate models are sufficiently accurate to estimate seismic performance of SMA-reinforced members. First, reinforcing SMA is not subjected to severe temperature variations since it is embedded in concrete. Figure 6.6 shows temperature profiles for a circular column with a diameter of 11.8 in. ($300 \text{ mm}$) exposed to fire loading (EVN 1992-1-2, 1996). Only one quarter of the section is shown. Noting that the minimum column cover is 2 in. ($50.8 \text{ mm}$) based on AASHTO LRFD 2010, at least 50% reduction of temperature is expected at the reinforcement layer compared to the ambient temperature. For example, if the column ambient temperature rises to 1000$^o\text{C}$ ($1800^o\text{F}$), the reinforcements only experience 500$^o\text{C}$ ($900^o\text{F}$), in the worst-case scenario. For the lower temperature rises such as weather temperature changes, the reduction factor is expected to be even higher. Second,
asymmetric behavior may be included in the simple models. Third, a structure may experience only a few large cycles but many small ones during an earthquake. Therefore, the strength and stiffness degradation due to the multi-cycle loading is minor.

6.2.2. Atanackovic’s Model

Moment-curvature relationships for a rectangular beam made of superelastic SMA were parametrically investigated by Atanackovic and Achenbach (1989) using the stress-strain model shown in Fig. 6.7. They stated that the yield in loading starts at the point \((\sigma_2, \varepsilon_2)\) and ends at \((\sigma_4, \varepsilon_4)\). The lines \(OB\) and \(RR''\) are assumed to be parallel with a slope of \(E_I\). The constitutive model was presented with parameters as shown but the key points were not quantified and no procedure was presented to determine the points in the model from tests.

6.2.3. Graesser’s Model

Graesser and Cozzarelli (1991) proposed another simple model for SMA under uniaxial loads (Fig. 6.8). The model is able to reproduce SE behavior up to the hardening of the SMA after the transition to martensite (approximately 8% strain). The model also takes into account the strain rate effect. However, no relation between the uniaxial test data and the model was provided and no procedure to determine different parameters was described in the study.

6.2.4. Auricchio’s Model

A one-dimensional model was proposed by Auricchio and Sacco (1997) for SE SMA that takes into account the effect of asymmetry in stress-strain behavior (Fig. 6.9). Four critical points of the curve are defined in tension and compression. Even though values for the critical points were provided for only two SE SMA wires, there was no procedure to relate these points to the actual test data. This model has been widely used in finite element software packages such as ANSYS and SeismoStruct.

Several other complex models are available for SMA in different martensite and austenite phases. However, the simple model developed by Auricchio was adopted in this study and key parameters were identified to suit structural engineering perspectives.

6.3. Standard Tensile Test for NiTi SE SMA

There is only one ASTM standard regarding tensile testing of NiTi SE SMA, ASTM F2516-07 (2007), which was originally developed for medical and surgical materials and devices to determine the upper plateau strength, lower plateau strength, residual elongation, tensile strength, and elongation. These terminologies for NiTi SE SMA are according to ASTM F2005-05 (2010). However, those parameters do not sufficiently
address the interest of structural engineers. The aforementioned ASTM standard test procedure was adopted in this study to either define or extract the key points of interest.

Figure 6.10 shows an example of a SE SMA sample tested using the ASTM procedure. The tensile test procedure includes loading to 6% strain, unloading to 1-ksi (7-MPa) stress or less then pulling to failure. The key points can be determined using new parameters are listed below. Full stress-strain hysteretic curve can be developed using these parameters.

- Observed yield strength \( f_{yo} \) is the stress at the initiation of nonlinearity on the first cycle of loading to the upper plateau.
- Austenite modulus \( k_1 \) is the average slope between 15 to 70% of \( f_{yo} \).
- Post yield stiffness \( k_2 \) is the average slope of curve between 2.5% and 3.5% of strain on the upper plateau of the first cycle of loading to 6% strain.
- Austenite yield strength \( f_y \) is the stress at intersection of line passing through origin with slope of \( k_1 \) and line passing through stress at 3% strain with slope of \( k_2 \).
- Lower plateau inflection strength \( f_i \) is the stress at the inflection point of lower plateau during unloading from the first cycle to 6% strain.
- Lower plateau stress factor, \( \beta = 1 - (f_i/f_y) \).
- Residual strain \( \varepsilon_{res} \) is the tensile strain after one cycle to 6% and unloading to 1 ksi (7 Mpa).
- Recoverable superelastic strain \( \varepsilon_r \) is maximum strain with at least 90% strain recovery capacity. Using the ASTM standard for tensile testing, \( \varepsilon_r \leq 6\% \).
- Martensite modulus \( k_3 \) is the slope of the curve between 8 to 9% strain, subsequent to one cycle of loading to 6% strain, unloading to 1 ksi (7 Mpa) and reloading to the ultimate stress.
- Secondary post-yield stiffness ratio, \( \alpha = k_3/k_1 \).
- Ultimate strain \( \varepsilon_u \) is strain at failure.

Note that there is no standard test procedure for NiTi SE SMA under compressive loads. However, the same parameters are defined in compression to establish the complete hysteretic behavior.

6.4. SE SMA Model

As mentioned before, a flag-shape hysteretic behavior according to Auricchio’s model is used in this study (Fig. 6.10 and 6.11). The following constitutive stress-strain variation rules are proposed in this study using the aforementioned parameters measured from tensile tests as follows:

1. Upon loading, the path is a line starting from origin (elastic behavior) with a slope of \( k_1 \) up to \( f_y \). Upon unloading at any strain between 0 and \( f_y/k_1 \), the path is on the same line but toward the origin.
2. After \( f_y \), the slope changes to \( k_2 \) and remains constant up to 6% strain. Upon unloading at any strain between \( f_y/k_1 \) and 6%, the path is a line with the slope of \( k_1 \)
until the stress reduces by $\beta_f$. Then, unloading path is a line with the slope of $k_2$ until intersecting with the initial elastic line where the unloading path is the same as of that in step (1).

3. The loading path beyond 6% strain is a line with the slope of $k_3$ up to $\varepsilon_u$. Upon unloading at any strain between 6% and $\varepsilon_u$, the path is similar to the loading line but toward 6% strain then unloading path is the same as the unloading path of the step (2).

Compressive behavior can be modeled either symmetrically or asymmetrically with similar constitutive rules as mentioned for tension.

### 6.5. Design Specification

An extensive literature review was conducted to statistically determine a range for the mechanical properties of NiTi SE SMA to be used in structural design of the SMA-reinforced structures. Measured tensile or compressive stress-strain curve presented in each study was used to extract the model parameters (Table 6.1). Most of the test samples were SMA circular bars but a few were wires or rectangular section samples. In the cases that either test was not according to the ASTM standard or it was a cyclic test, the closest loop to 6% strain was used for the data extraction. Figure 6.12 shows all test data used in this study except SAES (2012 and 2013). An example of extracted model is shown in Fig. 6.13.

Noting that the mechanical properties presented in the table are for NiTi SE SMA samples produced by different manufacturers and tested with different methods, the average measured data are proposed as expected mechanical properties for design (Table 6.2). Based on communications with experts from the SMA industry, it is not necessary to specify minimum mechanical properties for all parameters. Considering the relatively small size of the database on NiTi SE SMA properties, the industry uses a large safety factor for SMA products calculated based on the average properties minus three standard deviations. For seismic design of SMA-reinforced members, it is recommended to use the expected mechanical properties.

Since there is no standard test procedure to determine the compressive mechanical properties of NiTi SE SMA, only the expected values are proposed (Table 6.3), which are the average of available test data.

At the time of this study, only plain NiTi SE SMA wires and bars are available. The available bar sizes are from #4 (Ø12.7 mm) to #10 (Ø32 mm) (Table 6.4). It is recommended that the austenite finish temperature ($A_f$) of NiTi SE SMA to be 14°F (-10°C) or average low temperature of the site of the structure less 9°F (5°C), whichever is smaller. SMA remains superelastic at temperatures above $A_f$. Density and Poisson’s ratio of SMA may be considered as 405 lb/ft³ (6500 kg/m³) and 0.33, respectively (McCormick, 2006). Coefficient of thermal expansion of SE SMA is $6.1 \times 10^{-6} ^\circ F$ ($11 \times 10^{-6} ^\circ C$) (Otsuka, et al, 1998). Electrical resistivity of SE SMA may be used as 32.3 $\mu\Omega$-in. (820 $\mu\Omega$-mm) (Faulkner et al., 2000). Research has shown that welding process is difficult for NiTi SMA since SMA may become brittle by reacting to oxygen, nitrogen,
and hydrogen at high temperature (Schlossmacher et al, 1997). Therefore, welding of SMA is not recommended.

6.6. Concluding Remarks

The actual behavior of NiTi superelastic (SE) SMA was presented in this chapter. It was shown that four factors affect the stress-strain hysteresis of NiTi SE SMA: (1) ambient temperature, (2) loading direction, (3) number of loading cycles, and (4) strain rate. A simple constitutive stress-strain model was adopted in this study for SE SMA, and key parameters of the model were identified from structural engineering viewpoints. Then, a procedure was developed to determine these parameters using the ASTM standard tensile test method for NiTi SE SMA. Test data presented in previous studies was used to extract the key parameters of the model and to determine a range for each mechanical property. The average of all available test data was proposed as expected mechanical properties to be used in seismic design of SMA-reinforced concrete members. However, minimum mechanical properties were specified to be used in material production.
Chapter 7: Analytical Modeling

7.1. Introduction

The experimental results for 14 large-scale pullout tests and three half-scale column tests were presented in previous chapters. Analytical modeling methods for those tests are presented in this chapter. A finite element computer program, OpenSees (2013), was used for simulations.

Several types of constitutive material models are available in OpenSees for concrete, reinforcements, and other materials. Different types of elements exist for beams, columns, and other members. Materials and elements that were used in the present study are described in this chapter. The modeling method for the pullout tests and the column tests (CIP, PNC, GCDP, and HCS) are presented. A new analytical model was developed and presented to include the effect of bond-slip in simulation of reinforced concrete (RC) members using a modified stress-strain model for reinforcements. In addition, a new model was developed to account for the effect of bar debonding on seismic responses of RC members. Concluding remarks are presented at the end of the chapter.

7.2. Material Models

Several types of cementitious materials were used in this study (conventional concrete, SCC, ECC, and UHPC), which were unconfined or confined. For analytical investigation presented here or in the following chapter, four uniaxial constitutive concrete material models were used for the cementitious materials: “Concrete01”, “Concrete02”, “Concrete01WithSITC”, and “Concrete04”. The envelope and the key parameters of those models are shown in Fig. 7.1. “Concrete01” has no tensile strength. The tensile behavior of concrete is modeled in “Concrete02” and “Concrete04”. The compressive strength after concrete crushing (stress at strains greater than ε_cu) is neglected in “Concrete04” but the residual strength (f'_{cu}) is modeled in other material models. The compressive modulus of elasticity (E_c) in all concrete models is calculated automatically. For example, the modulus of elasticity for “Concrete01” and “Concrete02” is 2f'_{cu}/ε_{cu}. Figure 7.1d shows the “Concrete01WithSITC” material model, which has similar compressive constitutive rules to “Concrete01” but a trigger tensile strain (ε_t) is used to change the unloading path from tensile field to compressive field. This is to model the effect of crushed concrete trapped in cracks during unloading resulting in an improved seismic analyses in terms of capturing residual displacements (Lee and Billington, 2010). In the following sections of this chapter, the key parameters of the concrete material models used in simulations are presented.

Two types of uniaxial constitutive steel material models were used in this study for reinforcements: “ReinforcingSteel” and “Steel02” (Fig. 7.2). The former steel model,
which was specifically developed for reinforcing steel bars, was extensively used in this study. However, in a few cases the latter steel model was used to improve convergence as well as the overall responses. The mechanical properties used for each model are presented in the following sections.

At the time of this study, no constitutive material model was available in OpenSees for reinforcing SMA. However, “SelfCentering” material, which was originally developed for self-centering steel members, was used for SMA bar modeling. In Chapter 6, a model was proposed for reinforcing SMA (Fig.7.3). Table 7.1 presents relationships between the SMA model parameters and parameters of the “SelfCentering” material model. Residual strain may be simulated using “slip strain” of the “SelfCentering” material model. For example, if 1% residual strain is desired at and above 6% strain cycles, the “slip strain” should be “bearing strain” less 1% strain. These and other parameters used for HCS column simulations are presented later in this chapter.

7.3. Elements

Several types of elements are available in OpenSees to model different members. Two types of nonlinear elements are usually used for RC members (Fig. 7.4): (1) element with distributed plasticity, and (2) element with lumped plasticity at the member ends with a linear-elastic segment in between. Only force-based elements are used in this study. Details regarding the elements used in modeling of each test specimen are presented in subsequent sections.

7.4. Bond-Slip Modeling

Longitudinal bars slippage relative to the surrounding concrete when stressed under tensile forces is known as the bond-slip effect. The slippage usually affects the local and global response of RC members.

7.4.1. Previous Studies

Many bond-slip models are available in the literature and the most cited one is the model proposed by Eligehausen et al. (1982). However, to directly incorporate them in structural analysis of RC members requires additional nonlinear bond-slip springs or additional fiber-section at connections.

Monti and Spacone (2000) presented a fiber-section beam element formulation that includes bond-slip effects in which the steel fiber state is modified (Fig. 7.5a). In other words, the element formulation was derived using a modified stress-strain behavior for reinforcing steel fibers. The modified behavior was obtained by connecting the original steel fibers to a series of bond-slip springs (using Eligehausen’ model) at the element ends. Examples of modified stress-strain relationship for steel fiber are shown in Fig. 7.5b. It can be seen that the modified behavior of steel fiber was softer than that in the
original steel fiber. Note that “full bond” represents the original steel fiber behavior with no bond-slip effect and “normal bond” is for the steel fiber including the bond-slip effect. “Weak bond” is for the steel fiber with insufficient anchorage length at which bar pulls out. This element requires an optimization for the number of bond-slip elements and is not available in most finite element computer programs including OpenSees.

Zhao and Sritharan (2007) proposed a constitutive stress-slip model (Fig. 7.6) for reinforcing steel to be used in fiber-section analysis of RC members. To use this bar model, extra elements (such as zero-length element) at the member ends are required. Using the proposed stress-slip model, they obtained good correlation between the calculated local and global responses and those measured in the column and joint tests. This stress-slip bar model was used in finite element models with only displacement-based elements.

Wehbe et al. (1997) developed a method to include bond-slip effects in seismic responses of RC bridge columns using a modified moment-rotation relationship. The modified behavior is included in the model using additional springs or elements at the member ends. Since the modified moment-rotation is based on an initial moment-curvature analysis of the column section, the effect of axial load variation during the column analysis is ignored in the bond-slip spring (or element).

In the present study, an efficient simple method was developed using a modified stress-strain relationship for reinforcing steel fibers to implicitly include the bond-slip effect in response analysis. The method does not require additional elements or pre-nonlinear analysis and can be used in fiber-section analysis of RC members.

### 7.4.2. Bond-Slip Effect in Conventional Connections

Figure 7.7 shows a schematic view of a single bar anchored in a conventional concrete connection. The effective strain of the bar at the surface of concrete (level A) can be calculated based on the combined deformation of the bar force-deformation spring and the bar bond force-slip spring in series. The modified strain of the bar (\(\varepsilon_s'\)) is:

\[
\varepsilon_s' = \varepsilon_s + \left(\frac{F}{k_b}\right)/L
\]

(Eq. 7.1)

\[
k_b = 78.5d_de_m\text{d}_b\mu
\]

(Eq. 7.2)

\[
u = \begin{cases} 
9.5\sqrt{f'_{ec}}/d_b & \leq 800 \text{ psi, for \#11 bars and smaller} \\
6\sqrt{f'_{ec}}/d_b & \text{for \#14 and \#18 bars}
\end{cases}
\]

(Eq. 7.3)

\[
L = \frac{F}{\pi d_b \mu} = \frac{f_s d_b}{4\mu} \leq L_{emb}
\]

(Eq. 7.4)

where \(\varepsilon_s\) is the strain of the bar (in./in.), \(F\) is the bar force (lbs), \(k_b\) is the bond force-slip stiffness (lbs/in.), \(d_b\) is the diameter of the bar (in.), \(L_{emb}\) is the embedment length of the
bar in the connection (in.), $u$ is the bond strength of the bar (psi), $f' c$ is the compressive strength of concrete (psi), $L$ is the effective development length (in.), and $f_s$ is the bar stress (psi). In the present study it is proposed to modify the modulus of elasticity of the bar to account for the softening effect of bond-slip on the overall bar stiffness:

$$E' = \frac{f_y}{\varepsilon_y}$$

(Eq. 7.5)

where $f_y$ is the yield strength of the bar and $\varepsilon_y'$ is the modified yield strain.

For a well anchored bar in which bar pullout is avoided, a linear-elastic bond-slip behavior (Eq. 7.2) may be assumed using a secant stiffness as shown in Fig. 7.7. Eligehausen’s bond-slip model (Chapter 2) was adopted and modified in this study to calculate $k_b$ in which the bond strength ($u$) was calculated according to ACI 318-63 (1963) instead of the original model to take into account the effect of the concrete compressive strength and the bar size (Eq. 7.3). The slip at the peak bond stress was 0.04 in. (1 mm) based on the Eligehausen’s bond-slip model. Using $u = F / (\pi d b L_{emd})$, the secant stiffness can be formulated as presented in Eq. 7.2.

The proposed method may be used to account for the bond-slip effect in any reinforcing steel model (such as those shown in Fig. 7.2). However, note that only strain-related parameters are modified. Figure 7.8 shows an example of original and modified reinforcing steel models using the proposed method. It can be seen that the modified steel fiber stress-strain behavior including the bond-slip effect is softer than that of the original model with no bond-slip effect, as expected. A similar behavior was reported by Monti and Spacone (2000) (Fig. 7.5) for a bar embedded $20d_b$ in concrete. To validate the proposed method, the modified stress-strain of a #8 (Ø25 mm) bar, which was anchored $20d_b$ in a concrete with 5000-psi (34.5-MPa) compressive strength, was compared with that calculated by Monti and Spacone (2000) (Fig. 7.9) using finite element analysis. The proposed method resulted in a softer behavior for steel fiber since the proposed method: (1) use secant stiffness instead of Eligehausen’s full bond-slip model, and (2) utilizes the ACI bond strength, which is 40% or more lower than that of Eligehausen’s model.

The modified stress-strain steel material model may be used only in the fiber sections located at connections, and the original steel fibers may be used elsewhere. No extra fiber section or elements is needed and no preliminary analysis is required. Overall, it is recommended to use the proposed method in analytical modeling of RC members at which the bond-slip effect is significant because of its simplicity, generality, and ease of modeling.

### 7.4.3. Bond-Slip Effect in UHPC-Filled Duct Connections

Bond behavior of UHPC-filled duct systems and application of those systems in column-to-footing connections were presented in previous chapters. In this section, a similar method to that proposed for conventional connections is presented to include the bond-slip effect in seismic analyses of UHPC-filled duct connections.
Since in a well-designed UHPC-filled duct connection duct or bar pullout is prevented, only initial stiffness of duct or bar bond-slip relationship needs to be considered in model. The initial slope of bar and duct bond-slip curves (section 2.10) are 930 psi^{0.5} (77 MPa^{0.5}) and 3600 psi^{0.5} (300 MPa^{0.5}), respectively. To include the bar and duct bond-slip effect in column response analysis, stress-strain of the longitudinal bars immediately above the column-footing interface (Fig. 7.10) is modified using a series of spring. The series include the reinforcing steel force-deformation spring, the bar force-slip spring, and the duct force-slip spring. The modified strain of the bar (\( \varepsilon_s' \)) is:

\[
\varepsilon_s' = \varepsilon_s + \left( \frac{F}{k_d} + \frac{F}{k_b} \right) / L_{emd}
\]  
(Eq. 7.6)

\[
k_d = 11310d_d \cdot \sqrt{f_c'}
\]  
(Eq. 7.7)

\[
k_b = 2920d_b \cdot \sqrt{f_{UHPC}'}
\]  
(Eq. 7.8)

where \( \varepsilon_s \) is the strain of the bar (in./in.), \( F \) is the bar force (lbs), \( k_d \) is the duct bond force-slip stiffness (lbs/in.), \( k_b \) is the bar bond force-slip stiffness (lbs/in.), \( L_{emd} \) is the embedment length of the bar in the connection (in.), \( f_c' \) is the compressive strength of concrete (psi), \( f_{UHPC}' \) is the compressive strength of UHPC (psi), \( d_b \) is the diameter of the bar (in.), and \( d_d \) is the inner diameter of the corrugated galvanized duct (in.). To account for the softening effect of bond-slip, the modulus of elasticity of the longitudinal bars is modified as:

\[
E_s' = f_y / \varepsilon_y'
\]  
(Eq. 7.9)

where \( f_y \) is the yield strength of the bar and \( \varepsilon_y' \) is the modified yield strain. Note that only the strain-related parameters of reinforcing steel material model are modified. Examples are presented in subsequent sections of this chapter.

### 7.5. Bar Debonding Modeling

To help spread plasticity, the longitudinal bars were debonded at the connection region in the three column models investigated in this study. Debonding tends to soften the connection and hence should be included in analyses especially for the GCDP column model in which the debonded length was relatively long.

When a bar is debonded from concrete, the strain compatibility assumption between the bar and the surrounding concrete is not valid, thus making analytical modeling of debonded bars very complex. No study regarding modeling of debonded reinforcements in RC members was found in the literature. Therefore, a method was developed in the present study to include the bar debonding effect in response analysis of RC members using a modified stress-strain behavior for reinforcement.
7.5.1. Debonding Effect in Conventional Connections

Experimental studies have shown that the bond strength of plain bars is less than 30% of that of deformed bars (Mo and Chan, 1996; Verderame et al., 2009). A European design code recommends a plain bar bond strength of only 10% of the deformed bar bond strength (CEB-Fib Model Code, 1993). It was therefore decided to ignore the bond strength of plain bars in the present study. The bond behavior of debonded deformed bars was assumed to be the same as the plain bar bond behavior with negligible bond strength. Thus, it can be assumed that behavior of a debonded bar embedded in concrete is similar to behavior of a bar that is not connected on its side surface to concrete. Level B shown in Fig. 7.7 illustrates this condition at which the bar is debonded from level A to B (or is free from level A to B). The modified strain of the debonded bar at level B is calculated based on cumulative displacements at this level, which consists of: (1) the bar deformation at level B assuming full bond (original bar force-deformation relationship), (2) displacement caused by the slippage of the bar at level A due to bond slip, and (3) the bar elongation at level A. The modified strain of the debonded bar ($\varepsilon_s'$) at level B is:

$$\varepsilon_s' = \varepsilon_s + \left(\frac{F}{k_b}\right)/L + \varepsilon_{\text{elong}}$$

(Eq. 7.10)

where $\varepsilon_{\text{elong}}$ can be found using Wehbe’s method (Wehbe et al., 1997) as follows:

$$\varepsilon_{\text{elong}} = \begin{cases} \varepsilon_s/2 & f_s \leq f_y \\ \varepsilon_y + \varepsilon_sL_i/2L & f_s > f_y \end{cases}$$

(Eq. 7.11)

$$L_1 = \frac{(f_s - f_y)d_h}{4u} \leq L$$

(Eq. 7.12)

All parameters were defined in 7.4.2. The first two terms of Eq. 7.10 are the same as Eq. 7.1 terms. The third term in Eq. 7.10 is the additional strain at level B caused by the bar elongation at level A (Fig. 7.7).

7.5.2. Debonding Effect in UHPC-Filled Duct Connections

A method similar to that presented in the previous section can be used to determine the modified stress-strain for debonded bars in UHPC-filled duct connections (Fig. 7.10). The modified bar strain ($\varepsilon_s'$) at level B is:

$$\varepsilon_s' = \varepsilon_s + \left(\frac{F}{k_d} + \frac{F}{k_b}\right)/L_{\text{emb}} + \varepsilon_{\text{elong}}$$

(Eq. 7.13)

$$\varepsilon_{\text{elong}} = \begin{cases} \varepsilon_s/2 & f_s \leq f_y \\ \varepsilon_y + \varepsilon_sL^*/2L_{\text{emb}} & f_s > f_y \end{cases}$$

(Eq. 7.14)
\[ L^* = \frac{(f_s - f) d_b}{4u_b} \leq L_{emb} \]  
(Eq. 7.15)

\[ u_b = 30 \sqrt{f'_{UHPC}} \]  
(Eq. 7.16)

All parameters were defined in 7.4.3.

Examples are presented in subsequent sections of the chapter.

### 7.6. Pullout Test

#### 7.6.1. Modeling Method

A one-dimensional finite element model was developed to simulate the pullout tests responses (Fig. 7.11). Three portions of the bar were modeled. The first portion was the embedded segment of the bar, the second was from the concrete surface to the threads, and the third portion was the threaded segment of the bar. “Stee02” material was used to model the steel bar in all segments. The embedded portion of the bar was divided into 99 elements attached to a series of nonlinear bar and duct bond-slip springs. This was done to determine the stress and strain distribution along the height of the bar. However, if global responses such as duct or bar force-slip are desired, only one bar element working in series with one bar bond-slip spring and one duct bond-slip spring is sufficient. The bar area was reduced in the third segment to account for the reduced size due to threading. “MultiLinear” material model was used in OpenSees to model the bar and duct bond-slip springs. This material utilizes multiple stress-strain points to constitute the hysteretic behavior. Thirteen stress-strain points, ten points to construct the initial nonlinear curve and three points for the linear parts of bond-slip models, were used in the present study to construct the nonlinear bond spring envelopes. The bond-slip models were presented in chapter 2.

#### 7.6.2. Analytical Results

All 14 specimens were analyzed using the modeling method presented in the previous sections. The test day compressive strength of conventional concrete and UHPC (Table 2.4), and the measured yield and ultimate strength of bars (Table 2.5) were used in analyses. Figure 7.12 shows the calculated bar stress, bar bond stress, and duct bond stress profiles for specimen SP1. The bar yielding, the bar fracture, and the duct and the bar bond capacities are also shown. It can be seen that the model can duplicate the bar or duct bond strength as well as the failure mode. For example, the calculated pull force capacity for SP1 was 50.65 kips (225.3 kN), which underestimated the measured force capacity by 10%. The analytical results for all specimens are summarized in Table 7.2. The calculated mode of failure matched the observed mode of failure in eight of the specimens. Since the bond-slip models were based on the average of the test data, the model failed to reproduce the observed mode of failure in the other specimens and bar or duct pulled out before bar fracture.
The calculated and measured force-strain relationships of the bars are shown in Fig. 7.13 for selected specimens. The responses are at a depth of six bar diameter in UHPC. It can be seen that the model was able to simulate the measured bar strains with a reasonable accuracy.

Duct pullout was observed in SP4 and SP11. Figure 7.14 shows the measured and calculated force-duct slip relationships. It can be seen that the model was able to reproduce the measured duct behavior with good accuracy. Bar pullout was observed in SP6. Figure 7.15 shows the measured and calculated force-bar slip curves. It can be seen that the initial behavior of the analytical model was in a good agreement with the test but the model overestimated the force capacity by 22%. The reason is that the bar bond-slip model was developed based on the average test data of six pullout tests, and the bond strength of SP6 was 80% of the average bond strength (Fig. 2.38). Therefore, the calculated pull force for SP6 was overestimated. More test data is required to evaluate the model behavior at and above peak responses.

Table 7.2 presents a summary of the analytical results for all pullout tests. The error between the measured and calculated pull forces was 7.7% on average with a standard deviation of 6.7%. Figure 7.16 shows the measured and calculated pull forces with a ±10% error band. Only in three specimens (group II specimens in which the bar bond behavior was investigated) the calculated pull force showed more than 10% error.

In summary, the proposed finite element model may be used for analyses of UHPC-filled duct connections for further bond study or seismic analysis of elements incorporating these types of connections.

7.7. Analysis of CIP Column

CIP was a conventional cast-in-place column tested by Haber (2013). In this section, analytical modeling method and results for CIP are presented.

7.7.1. Modeling Method

A three-dimensional finite element fiber-section model was constructed in OpenSees (Fig. 7.17). The footing and the column head were modeled using elastic elements each with a stiffness calculated based on the test day compressive strength of concrete (Table 4.1). The column element was modeled using a force-based element, “forceBeamColumn”, with five integration points. Table 7.3 presents material model parameters used in the CIP model. The test day compressive strength of column concrete (Table 4.1) was used for the unconfined concrete fibers, which were modeled using “Concrete01”. The Mander’s model was used to determine the confined concrete model parameters, which was also “Concrete01”. The section discretization is shown in Fig. 7.17. The core concrete was divided into 30 circumferential by 10 radial fibers, and the cover concrete was divided into 10 circumferential by 10 radial fibers. At the first integration point located at the column base, steel fibers were modeled using
“ReinforcingSteel” with a modified stress-strain behavior accounting for bond-slip effects (section 7.4.2). Table 7.4 presents the original and modified mechanical properties for the CIP steel bars and Fig. 7.18 illustrates the original and modified steel stress-strain curves. From the second to the fifth integration points, the steel fibers were modeled using “Steel02”. The material model parameters of these steel fibers are presented in Table 7.3. The peak axial load measured during the CIP column test, 221.8 kips (986.6 kN), was applied to the model, and the P-∆ effect was included.

7.7.2. Analytical Results

The measured and calculated force-drift hysteretic curves for CIP are shown in Fig. 7.19. The calculated responses exhibited good agreement with those measured in the test, especially the strength at each cycle, the loading and unloading paths, the residual drifts upon unloading, and the pinching effect. The measured and calculated force-drift envelopes, averaged for the push and pull loading direction, are shown in Fig. 7.20. The initial stiffness was slightly overestimated, and the calculated base shear capacity was 5% higher than that measured in the test.

The model was also able to simulate the local responses with reasonable accuracy. For example, the measured and calculated base moment-curvature hysteretic relationships for CIP are illustrated in Fig. 7.21, which shows a reasonable match. The CIP base curvature was measured over 1-in. (25-mm) length of the column immediately above the column-footing interface. In Fig. 7.22, the measured and calculated longitudinal bar strains at the CIP column base section are shown. The model overestimated the bar tensile strains. Note that estimated bar strains in cracked reinforced concrete members at best present a crude approximation. This is because the fundamental assumption of plane section remaining plane in analytical models is violated as soon as the concrete member cracks. Even over a short length of a longitudinal reinforcing bar, the actual strain may be highly variable during the tension stiffening between the cracks. Despite these considerations, the calculated strains were compared with the measured data to determine the trend in the correlation between the two.

It was found that the model with bond-slip effect reproduces better global and local responses compared to a model without the bond-slip effect. For example, Fig.7.23 shows the calculated longitudinal bar B7 strains at the column base with and without the bond-slip effect. It can be seen that the calculated strains including the bond-slip effect were in a better agreement with the measured strains. This also shows the robustness of the proposed bond-slip modeling method (section 7.4) in finite element analyses of concrete members.

Overall, the proposed modeling method for CIP may be used for analytical investigations or design of conventional reinforced concrete bridge columns.
7.8. Analysis of PNC

A UHPC-filled duct connection was used in PNC to connect the precast column to the footing. Conventional materials were used in the plastic hinge of PNC. In this section, analytical modeling method to simulate the PNC column global and local responses is presented.

7.8.1. Modeling Method

A four-node fiber-section model was used for PNC. Figure 7.24 shows the model in detail. Similar to the CIP model, the footing and the column head were modeled using elastic elements, each with a stiffness calculated based on the test day compressive strength of concrete (or SCC for the head) (Table 4.1). The column element was a force-based nonlinear element, “forceBeamColumn”, which is a distributed plasticity element. Five integration points were used. The PNC column section discretization is shown in Fig. 7.24. Four types of fibers can be distinguished: cover concrete, core concrete, core SCC, and reinforcements. For cover concrete and core SCC, 10 circumferential by 10 radial fibers were used. However, the confined concrete was discretized into 30 circumferential by 10 radial fibers. The cover concrete fibers were modeled using “Concrete01” material. For confined concrete and confined SCC, “Concrete02” material was used with properties calculated according to the Mander’s model. The modulus of rupture was according to ACI318-11 (2011), and the tensile secondary stiffness, $E_t$, was calculated assuming that the ultimate tensile strain is 3%. Table 7.5 presents the fiber properties used in the PNC column simulation.

In the first integration point located at the column base, a modified stress-strain was used for steel fibers (according to section 7.4.3) to account for bond-slip effects (Fig. 7.25). However, the original steel fiber was used for the rest of the column. “ReinforcingSteel” material model was used for steel fibers in all integration points. The measured peak axial load, 200.5 kips (891.8 kN), was applied on node 4 of the model, and the P-Δ effect was included.

7.8.2. Analytical Results

The measured and calculated lateral force-drift hysteretic curves for PNC are shown in Fig. 7.26. The model overestimated the initial stiffness in the push direction but the strength at each loop, the loading and unloading paths, and the pinching effect were successfully reproduced. The measured and calculated force-drift envelopes for PNC are shown in Fig. 7.27. The calculated envelope showed good agreement with that measured in the PNC column test. Local responses also show good agreement with those measured in the test. For example, Fig. 7.28 shows the measured and calculated base moment-curvature relationships for PNC. The column base curvature was measured over a 3-in. (76-mm) length of the column (section 4.3.4) immediately above the footing. It can be seen that the model was able to reproduce the local responses with a good accuracy. The underestimation of curvatures under larger loads is due to concentrated cracking at the
base that is affected by bond slip. This effect is not reflected in the moment-curvature analysis for the section.

7.9. Analysis of GCDP

Grouted mechanical bar splices were used in the plastic hinge of the GCDP. A cast-in-place pedestal was used above the column-footing interface with debonded longitudinal bars.

7.9.1. Modeling Method

Similar to other column analytical models, a three-dimensional four-node fiber-section system was developed for the GCDP simulation. Details regarding the GCDP model are shown in Fig. 7.29. The footing and the column head were modeled as elastic elements. The column element was a nonlinear force-based element, “forceBeamColumn”, with 10 integration points. The GCDP column section discretization was similar to that in the PNC model. Table 7.6 presents the fiber material model parameters utilized in the GCDP model. In the first integration point located at the column base, the steel fiber stress-strain was modified according to section 7.4.2 to take into account the bond-slip effect. Figure 7.30 shows the original and modified steel fiber model. The bars were debonded in the pedestal area. Therefore, the steel fibers in the second integration point were further modified according to section 7.5.1 to account for debonding (Fig. 7.31). At other integration points, the original steel fibers were used. The peak measured axial force, 205.2 kips (912.8 kN), was applied on node 4 of the model, and the P-\(\Delta\) effect was included.

7.9.2. Analytical Results

The measured and calculated lateral force-drift hysteretic responses of GCDP are shown in Fig. 7.32. It was mentioned in the previous chapters that the lateral load capacity of GCDP in push direction was 18% lower than that in pull direction and the reason could not be identified. The analytical model estimated nearly the same lateral load capacity in the push and pull directions leading to an excellent match in the pull direction but overestimated the push strength. Figure 7.33 shows the measured and calculated force-drift envelopes of the hysteresis curves. The calculated initial stiffness was slightly higher than the measured stiffness, and the calculated lateral force capacity was 8% higher than that measured in the test.

Haber et al. (2013) developed a detailed model to simulate the seismic behavior of grouted coupler columns in which the pedestal was modeled as an individual element, the coupler hysteretic behavior was developed and was used as reinforcements in the fiber sections, and the bond-slip effect at the column-footing interface and the bottom of the coupler level was included. The model successfully reproduced the grouted coupler column tests behavior. Figure 7.34 shows the calculated force-drift hysteretic responses
for GCDP using the proposed model presented in this chapter and the detailed model. Both calculated responses are essentially the same. Therefore, the proposed simple model may be sufficient to conduct analytical investigation of columns with grouted couplers.

Figure 7.35 shows the measured and calculated base moment-curvature relationships for GCDP. The calculated curvatures showed good agreement with those measured in the test. The curvature was measured over a 3-in. (76-mm) length of the column (section 4.4.4). The curvature was underestimated under larger drifts because of the column-footing interface cracking.

Overall, the proposed modeling method is recommended for general analysis and design of columns with grouted couplers.

7.10. Analysis of HCS

Eight different materials were incorporated in HCS. Advanced materials, ECC and reinforcing SMA bars, were used in the plastic hinge of HCS. The precast column was connected to the footing using a UHPC-filled duct connection.

7.10.1. Modeling Method

Similar to other column analytical models, a three-dimensional four-node fiber-section model was developed for HCS. Figure 7.36 shows the model details. The footing and the column head were modeled with elastic elements. A nonlinear force-based element, “forceBeamColumn”, was used for the column element with seven integration points. The HCS column section discretization was similar to that in PNC and GCDP models. Table 7.7 presents the fiber material model parameters in the HCS model. The shell was made with ECC from footing surface to a height of 1.5 column diameter. Confined properties of ECC was calculated according to Motaref et al. (2011) as shown in Fig. 1.19. However, Mander’s model was used to calculate confined properties of SCC. ECC fibers were modeled using “Concrete02” material model but the tensile strength and stiffness were ignored. Better overall agreement with test data was observed, especially the initial stiffness and unloading paths, when ECC fibers were modeled with “Concrete02” material model with negligible tensile properties instead of “Concrete01” model, which is a model with no tensile strength. The difference between the two models in this case was the unloading paths in their constitutive stress-strain behavior. Core SCC fibers were modeled with “Concrete01” material model.

At the first integration point located at the column base, the steel fiber stress-strain relationship was modified according to section 7.4.3 to take into account bond-slip effects. Figure 7.37 shows the original and modified steel fiber models. The surface of SMA bars is smooth thus debonding is expected starting at low drift levels. Therefore, the SMA bar fibers at the second integration point were modified according to section 7.5.2 accounting for debonding effects (Fig. 7.38). At the third integration point, original
SMA fiber was used since the headed couplers and deformed mild steel bars restricted the SMA bar slippage at this level. SMA fibers were modeled with “SelfCentering” material. At other integration points, the original steel fibers were used. Since only minor nonlinearity was expected above the ECC level, ECC fibers were used for the column shell at all integration points, and the effect of conventional concrete above the ECC level was ignored. The peak measured axial force, 215.6 kips (959.0 kN), was applied on node 4 of the model, and the P-Δ effect was included.

7.10.2. Analytical Results

The measured and calculated lateral force-drift hysteretic responses for HCS are shown in Fig. 7.39. It can be seen that the analytical model was able to reproduce the hysteretic behavior with a good accuracy. The initial stiffness, strength at each cycle, flag-shape behavior, and residual displacements were successfully simulated. Figure 7.40 shows the measured and calculated force-drift envelopes for HCS. The model successfully simulated the column test pushover curve.

A single wide crack was developed on both sides of HCS at 10 in. (254 mm) above the footing surface under 4% drift and resulted in large curvatures and rotations at this level. Figure 7.41 shows the measured and calculated moment-curvature relationships at this level. The column curvature was measured over a 7-in. (179-mm) length of the column from level 2 to level 3 (Fig. 4.104). The calculated moment-curvature as a local response was in close agreement with that measured data.

Modeling of longitudinal SMA bar strain was also investigated. Figure 7.42 shows the measured and calculated force-strain of SMA bar B2 and B7 at a height of 8.12 in. (206 mm) above the column-footing interface. The calculated strains were successfully simulated in tension. Since the SMA material model was symmetrical, the calculated compressive strains were not in good agreement with the measured compressive strains but this shortcoming had a negligible effect on overall responses of HCS column model as shown previously. This also confirms that a symmetrical stress-strain material model for reinforcing SMA is a viable alternative to the actual asymmetric SMA behavior because it simplifies the modeling method and yet results in minimal discrepancies with actual global response.

Overall, the proposed modeling method for HCS was found to be sufficiently accurate in simulation of the more important local and global responses and may be used for design or analytical investigations of SMA-reinforced concrete bridge columns.

7.11. Concluding Remarks

In this chapter, analytical modeling methods were proposed to simulate the global and local responses of the pullout test specimens as well as the column models tested in the present study. A one-dimensional finite element model was developed for pullout tests in which the anchored portion of the bar was connected to a series of nonlinear duct and bar
A new simple method was developed to take into account bond-slip effects in analytical modeling of reinforced concrete (RC) members. A simple method was also developed to include longitudinal bar debonding effects on the response analysis of RC members. In both methods, stress-strain relationship of reinforcement is modified. Finite element models were developed for each column model. The models were able to simulate the seismic responses of the column model tests with good accuracy. Overall, the proposed models may be used for general analysis and design of members detailed similar to those in the present study.
Chapter 8: Parametric Studies

8.1. Introduction

Analytical modeling methods were presented in the previous chapter for all column models using a finite element computer program, OpenSees (2013). Many analytical studies have investigated the seismic behavior of conventional columns but analytical studies of columns with advanced materials, especially reinforcing SMA bars, are scarce. A parametric study was conducted to investigate the effect of each mechanical property of the reinforcing SMA model (presented in Chapter 6) on moment-curvature, pushover, cyclic, and dynamic responses of bridge columns. The objective of the parametric study was to reveal the most important material parameter/s that affects the seismic analysis and design of SMA-reinforced bridge columns. This chapter presents details of the parametric studies and the results.

8.2. Reinforcing SMA Model

The mechanical properties for reinforcing SMA bars were defined and a constitutive material model (Fig. 6.11) was proposed in Chapter 6. A range for each mechanical property was provided (Table 6.1) and a design specification was proposed (Table 6.2 and Table 6.3). The information listed in those tables was used in the present chapter for parametric investigation of SMA-reinforced bridge columns.

“Hysteretic” material model from OpenSees library was used in the moment-curvature and pushover analyses to generate the SMA symmetric and asymmetric stress-strain envelope curves. However, cyclic stress-strain behavior of SMA was modeled with “SelfCentering” material model.

8.3. SMA-Reinforced Bridge Column Analytical Model

A model was proposed for the HCS column test in Chapter 7 (section 7.10) and was found to reproduce the measured data with reasonable accuracy. This model was used in parametric studies for moment-curvature, pushover, and cyclic analyses. However, for dynamic analysis part of the parametric studies, because of a lack of dynamic test data for SMA-reinforced columns, the analytical model of a full-scale steel-reinforced concrete bridge column tested on a shake table was used instead of the analytical model for HCS. The analytical model for the full scale steel-reinforced concrete column had led to good correlation with the dynamic test data (Tazarv and Saiidi, 2013). Therefore there was sufficient confidence in its accuracy to be used for parametric studies.
A symmetric SMA model based on the “expected tensile mechanical properties” (Table 6.2) was used as initial input for all analyses in lieu of using the measured mechanical properties of the SMA bars incorporated in the HCS column. This was done to better understand the applicability of the proposed SMA model and to generalize outcomes of the parametric study.

**8.4. Sensitivity of Responses to Reinforcing SMA Mechanical Properties**

Sensitivity analyses was performed to investigate the effect of each mechanical property of the reinforcing SMA model on moment-curvature, pushover, cyclic, and dynamic responses of SMA-reinforced bridge columns.

**8.4.1. Moment-Curvature Analysis**

In Table 6.1, a range was listed for each reinforcing SMA mechanical property. Moment-curvature analysis was performed on the HCS analytical model using the lower bound, average, and upper bound of the mechanical properties. The parameters of the tensile symmetric model were used as initial inputs in all the analyses. However, to generate each moment-curvature relationship (or other curves presented later in pushover, cyclic, or dynamic analysis sections), only the parameters of the interest as indicated on the graphs (such as Fig. 8.1) were changed with respect to the symmetric model.

The effect of the lower bound, average, and upper bound of each individual parameter of the reinforcing SMA model on the moment-curvature relationship of the HCS column model is shown in Fig. 8.1a to 8.1h. The moment-curvature relationship of the column model using the symmetric expected tensile mechanical properties is shown with a solid black line, while the measured HCS column moment-curvature curve is shown with a dashed black line. It is clear that the effect of individual tensile or compressive mechanical property is minor on the overall moment-curvature relationships. However, these responses are slightly more sensitive to the tensile mechanical properties compared to the compressive properties. For example, at a small curvature of 0.00063 rad/in. (0.025 rad/m), the moment in the SMA-reinforced column with the upper bound tensile $k_1$ was 9% higher than that of curve with the upper bound compressive $k_1$.

Figure 8.1i shows the simultaneous effect of all the tensile mechanical properties on the moment-curvature curves of the SMA-reinforced column. Similarly, the simultaneous effect of all the compressive mechanical properties is shown in Fig. 8.1j. It is observed that the results are somewhat more sensitive to the simultaneous effect of all the tensile properties than that of the compressive properties. For instance, at a large curvature of 0.005 rad/in. (0.2 rad/m), the moment of the HCS analytical model using the lower bound, average, and upper bound of all the tensile mechanical properties was 92, 100, and 109% (a range of 17%) of the measured HCS moment at that curvature, respectively. In contrast, at the same curvature, the column moment using the lower bound, average, and upper bound of all the compressive mechanical properties was 109, 113, and 116% (a range of 7%) of the measured HCS moment, respectively. It can be
inferred that the effect of variation in the tensile properties is somewhat more significant than the compressive properties effect.

An extremely rare condition is when all the tensile and compressive mechanical properties of the reinforcing SMA assume either the lower or upper bound at the same time. It can be seen in Fig. 8.2 that the results can vary significantly for this extreme range of variation of parameters. For example, at a curvature of 0.005 rad/in. (0.2 rad/m), the moment of the HCS analytical model using the lower bound, average, and upper bound of all the SMA properties was 98, 113, and 127% of the measured HCS moment at the same curvature respectively. The moment of the SMA-reinforced column using the symmetric expected tensile mechanical properties was the same as the HCS column moment at this curvature. It can be also concluded that moment-curvature relationships of the column with a SMA model based on the average tensile and compressive mechanical properties (an asymmetric stress-strain model) is close to that of the column model with a symmetric model based on the expected tensile mechanical properties. In other words, a symmetric stress-strain SMA model is sufficiently accurate to be used instead of the asymmetric model to perform the moment-curvature analysis of SMA-reinforced elements.

Comparing the calculated moment-curvature curves with the measured HCS moment-curvature curve, the calculated moments before the concrete cracking and the moments in the second slope of the SMA model (strains from \( f_y/k_1 \) to 6%) are essentially the same as the measured moments. However, the differences are observed after the concrete cracking and before the SMA bar yielding since the moment-curvature analysis is a sectional analysis but the measured moment-curvature curve was obtained over a 7-in. (178-mm) gauge length of the column over which the concrete cracking and the SMA bars slippage soften the behavior. Another reason is the difference between the actual mechanical properties of the reinforcing SMA bars used in the HCS column test (which were measured and presented in Table 4.3) and the assumed properties used for the reinforcing SMA model in the analysis (Table 6.2).

### 8.4.2. Pushover Analysis

The effect of each mechanical property of the reinforcing SMA on force-drift relationship of the HCS column analytical model was investigated (Fig. 8.3a to 8.3h). The average envelope of the measured HCS column force-drift hysteretic curve is also shown with a dashed bold line. In addition, pushover response using symmetric expected tensile mechanical properties is shown with a solid black line. It can be seen that the tensile and compressive mechanical properties had individually minor effect on the force-displacement behavior of the HCS column model. However, the tensile austenite modulus \( (k_1) \), the tensile post yield stiffness \( (k_2) \), and the tensile austenite yield strength \( (f_y) \) affected the pushover curves slightly more than the other parameters. The tensile \( k_1 \) altered the pushover curves only over the drift ratio of 0.5 to 3.5%. The tensile \( k_2 \) affected the pushover curves at drift ratios greater than 3.5%. The tensile \( f_y \) effect on the pushover curves can be observed at drift ratios exceeding 2%. Results from the moment-curvature and pushover analyses (Fig. 7.1 to 7.4) show that including the compressive
mechanical properties of the SMA model (asymmetric stress-strain behavior) in the analyses usually results in a higher base shear compared to the symmetric SMA model.

It is worth mentioning that the effect of debonding of the SMA bars in the second integration point of the HCS column analytical model was ignored (section 7.10) and the original SMA model was used in the second and third integration points to solely investigate the effect of the model parameter variations. That is the analytical force-drift curves after the concrete cracking are stiffer than the force-drift curve measured in the HCS column testing.

The simultaneous effect of all the extreme values of the tensile mechanical properties on the pushover curve is shown in Fig. 8.3i. Likewise, the simultaneous effect of all the extreme values of the compressive mechanical properties is shown in Fig. 8.3j. It is evident that the pushover response of SMA-reinforced columns is more sensitive to variations in the tensile properties. For example, at 5% drift ratio, the lateral force resistance of the HCS analytical model using the lower bound, average, and upper bound of all the tensile SMA properties was 86, 82, and 98% of the measured HCS lateral force at the same drift, respectively, a range of 12%. In contrast, the column force using the lower bound, average, and upper bound of all the compressive mechanical properties was 96, 99, and 100% of the measured HCS force at the same drift, respectively, a range of 4%.

Fig. 8.4 shows simultaneous effect of extreme values for all the mechanical properties. It can be observed that even with the extreme mechanical properties, the model can estimate the pushover behavior with a reasonable accuracy. For example, at 5% drift ratio, the calculated force was in a range of 89 to 108% of the measured force at the same drift level. The best correlation with the test data, a 100% match with the measured forces at and above 4.5% drift ratios, was achieved when an asymmetric SMA model based on the average compressive and tensile mechanical properties (Table 6.1) was utilized in the analysis. However, to facilitate adoption of reinforcing SMA in structural application, a symmetric SMA model based on the “expected tensile mechanical properties” (Table 6.2) is proposed. This model underestimated the measured HCS column forces in high drift levels by 9% on average.

The yield point and the response at 6% SMA bar strain are also marked in Fig. 8.4. The calculated yield displacements of SMA-reinforced columns using different mechanical properties were 30 to 70% higher than the measured yield displacement of the HCS column, which was 1.4 in. (35 mm). It should be noted that the HCS original analytical model presented in Chapter 7 led to only 10% overestimation of the measured yield displacement and only 4% overestimation of the measured yield force. The calculated drifts using different mechanical properties that caused a 6% tensile strain in the extreme SMA bar was approximately the same as the measured drift associated with 6% tensile strain in the HCS column extreme SMA bar. In other words, the calculated SMA bar strains are in good agreement with the measured strains even using the extreme properties in the reinforcing SMA model. Another conclusion is that a high drift ratio can be achieved for SMA-reinforced bridge columns even if the SMA bars resist only 6% tensile strain without fracture. From Table 6.1, it can be seen that the ultimate strain of SMA bars is more than 20%.
8.4.3. Cyclic Analysis

The effect of several parameters of the reinforcing SMA model on monotonic response was investigated in previous sections. However, some parameters of the model might only affect the hysteretic responses of the columns. Therefore, cyclic analyses were performed to determine the sensitivity of the hysteretic behavior to mechanical property of the reinforcing SMA model.

As mentioned before, no constitutive SMA material model was available in OpenSees at the time of this study. As a result the “SelfCentering” material model was used, which is a symmetric model. It was found from the previous moment-curvature and pushover analyses that a symmetric model based on tensile mechanical properties may be used as an alternative to the asymmetric SMA model. Because of these facts, only tensile properties were incorporated in the “SelfCentering” material model, and the effect of asymmetric material behavior was not investigated in cyclic and dynamic analyses.

Figure 8.5 shows hysteretic force-drift responses of HCS using different mechanical properties. It can be seen that the austenite modulus ($k_1$) and the lower plateau stress factor ($\beta$) have considerable effect on the cyclic behavior. To better show these effects, cumulative dissipated energy of the model using different properties is shown in Fig. 8.6. The dissipated energy was defined as the enclosed area in each force-displacement loop. It is clear that only $k_1$ and $\beta$ altered the hysteretic behavior of the SMA-reinforced column. For example, at 10% drift ratio, the cumulative dissipated energy of the column using the lower bound, average, and upper bound of $k_1$ was 48, 65, and 76% of that of the HCS column test.

Note that the lower dissipated energy of the analytical model compared to the HCS column test is because analysis underestimated residual displacements and resulted in narrower hysteretic loops. This analytical issue can be easily fixed (footnote of Table 7.1) but it is not within the scope of this parametric study.

Even though each mechanical property of the reinforcing SMA model somewhat affected the hysteretic behavior, only two parameters of the model, $k_1$ and $\beta$, were found to have considerable effect on the hysteretic behavior of SMA-reinforced columns and effects of the other parameters were negligible.

8.4.4. Dynamic Analysis

The effect of each mechanical property of the reinforcing SMA model on dynamic responses was investigated. Tazarv and Saiidi (2013) developed a robust analytical modeling method, which closely reproduced a full-scale RC bridge column test responses. The column was tested on a shake table at the University of California, San Diego (UCSD) with the test data being available online (Concrete Column Blind Prediction Contest, 2010). The column height from the footing surface to the center of inertial mass was 27 ft (8.23 m). The column diameter was 4 ft (1.22 m). The models
developed by the authors for the steel-reinforced test column and analytical SMA-reinforced column were used in this section. More details regarding the column geometry and the modeling method are presented in the paper.

Near-fault motions are known as the most destructive ground motions with distinct pulse-like waves in ground velocity history (Fig. 8.7). Baker (2007) proposed a quantitative method for classification of near-fault ground motions using wavelet analysis. Using this method, ninety-one records from the next generation attenuation (NGA) project ground motion library (2008) were classified by Baker as the near-fault motions. From those motions, fault-normal records with a peak ground velocity (PGV) of 100 cm/sec (40 in./sec) or greater was selected for the parametric study (Table 8.1), resulting in 15 records. It should be noted that one of the criteria of classifying a record as near-fault motion was having a PGV \( \geq 30 \) cm/sec (12 in./sec). Thus, selected motions are the most severe near-fault ground motions in the NGA database.

The effect of each mechanical property of the reinforcing SMA model on the peak and residual displacements of an assumed SMA-reinforced version of the UCSD column model is shown in Fig. 8.8. The UCSD column analytical model (entitled "RC Column" in the figure) responses are also included for comparison. The column analytical models were allowed for at least 10 seconds of free vibration after each earthquake. Residual displacement was the mean displacement of the last 10 seconds of each analysis. It can be seen that peak displacements were more sensitive to the austenite modulus \( k_1 \) and the austenite yield strength \( f_y \). However, residual displacements were more affected by variation of \( k_1, f_y, \) and the lower plateau stress factor \( \beta \).

In general, peak displacement demands of the SMA-reinforced column were higher than those of the conventional column. For example, the average peak displacement of 15 near-fault motions using the lower bound, average, and upper bound of all mechanical properties for the SMA-reinforced column model was 122, 117, 113% of that of the steel-reinforced column model, respectively (Fig. 8.9a). In contrast, residual displacements of the SMA-reinforced column were significantly lower than those of the steel-reinforced column. For instance, the average residual displacement of 15 near-fault motions using the lower bound, average, and upper bound of all mechanical properties for the SMA-reinforced column model was 32, 31, 42% of that of the steel-reinforced column model, respectively (Fig. 8.9b). The Japanese seismic design specifications for highway bridges limit the residual drift ratio to 1% (Kawashima, 2000). It can be seen that the SMA-reinforced column never exceeded this limit even when using the extreme values of the mechanical properties (Fig. 8.9b) but the conventional column failed to meet this limitation under seven out of 15 near-fault motions.

### 8.5. Concluding Remarks

The effect of mechanical properties of the reinforcing SMA model (presented in Chapter 6) on the seismic responses of SMA-reinforced concrete bridge columns was investigated. The results of moment-curvature, pushover, cyclic, and dynamic analyses were presented in this chapter. It was found that variation of each mechanical property
had individually minor effect on the seismic responses. Among the parameters, the response was generally more sensitive to the tensile properties. The cyclic and dynamic analyses showed that the austenite modulus \( (k_i) \), the austenite yield strength \( (f_y) \), and the lower plateau stress factor \( (\beta) \) are the more dominant properties of the reinforcing SMA model in controlling the calculated seismic response of SMA-reinforced columns. That is the reason for specifying the minimum mechanical properties for these parameters (Table 6.2) to ensure functionality of SMA-reinforced members under severe ground motions.

Even though including the compressive mechanical properties of the reinforcing SMA bars (asymmetric stress-strain model) resulted in better agreement between the calculated and measured responses, a symmetric stress-strain SMA model based on only the “expected tensile properties” (Table 6.2) is proposed for general analysis and design of SMA-reinforced concrete members because it is sufficiently accurate and it simplifies the analysis. Using a simple model for SMA is proposed to facilitate adoption of SMA in civil engineering applications.
Chapter 9: Design Considerations

9.1. Introduction

New generation of bridge columns for accelerated bridge construction (ABC) were experimentally and analytically investigated and discussed in previous chapters. Ultra-high performance concrete (UHPC) filled duct connections, mechanical bar splice connections, and a low-damage plastic hinge were incorporated in the column models. General design considerations are provided in this chapter and in-depth recommendations are proposed in Appendix D to facilitate design and to ensure functionality of precast columns that are similar to those presented in this document.

9.2. UHPC-Filled Duct Columns

UHPC-filled duct connections are categorized as grouted duct connections (Fig. 9.1) in which column longitudinal bars are anchored in corrugated ducts placed in adjoining members such as footings and cap beams. UHPC may be incorporated as duct filler instead of normal-strength grout to reduce the embedment length in shallow members. Design considerations discussed in this section for UHPC-filled duct columns are based on findings from 14 pullout tests as well as two half-scale bridge column tests.

9.2.1- Bridge columns incorporating UHPC-filled duct connections can be designed similarly to conventional columns based on a design code adopted in the region since these connection types are emulative of conventional columns.

9.2.2- Since UHPC is usually field-cast in actual bridge construction, a lower strength is expected compared to steam-cured laboratory UHPC. Field-cast 28-day compressive strength for UHPC is usually higher than 18000 psi (124 MPa).

9.2.3- Previous studies showed that duct material has a significant effect on bond strength in grouted duct connections. Plastic ducts have lower bond strength than galvanized ducts. Therefore, only galvanized ducts are recommended in UHPC-filled duct connections.

9.2.4- The duct diameter should be sufficiently large to provide the necessary bond strength as well as large tolerance for the anchored bar. These were achieved in the previous tests when the duct diameter was at least three times the anchored bar diameter. For bundled bars, a duct diameter equal to 2.8 times the equivalent bar diameter of the group of bars may be used.

9.2.5- Bar embedment length in the UHPC-filled duct connections is according to Chapter 2, section 2.9.2.
9.2.6- It was found that bond strength of bar embedded in UHPC is eight times that in conventional concrete. Therefore, localized failure due to strain concentration especially at the interface of connecting members might occur. To prevent premature failure and to spread yielding, debonding of column longitudinal bars should be considered in the vicinity of the adjoining members interface during construction stage. Wrapping bars with two layers of duct tape was found as a successful debonding technique in the column model tests.

9.2.7- Transverse reinforcements of the columns should be extended into adjoining members. A larger diameter for transverse reinforcements is expected in those members due to presence of ducts.

9.3. Mechanical Grouted Sleeve Bar Splice Columns

Column longitudinal bars and footing dowels are anchored in sleeves then sleeves are filled with a high-strength grout in mechanical grouted bar coupler connections. Location of couplers (Fig. 9.2) usually affects seismic performance of columns due to size of sleeves. Design considerations are provided in this section for mechanical grouted sleeve bar splice columns and design recommendations are presented in Appendix D to ensure that the seismic performance of these types of columns is emulative of conventional columns.

9.3.1- Bridge columns incorporating grouted couplers shifted away from the column ends are emulative of conventional columns provided conditions listed in the following sections are met. Consequently, these column types can be designed similarly to conventional columns according to a design code adopted in the region.

9.3.2- Grouted coupler columns are constructed in two segments: pedestal and precast segment. Pedestal should be cast-in-place in which longitudinal bars are debonded. The precast segment with embedded couplers is installed immediately above pedestal (Fig. 9.2d).

9.3.3- Test results showed that a height of one-half column diameter for pedestal is sufficient for emulative behavior.

9.3.4- Two layers of duct tape are sufficient to debond the column longitudinal bars from concrete.

9.3.5- Minimum cover concrete should be provided for all sections including sections with grouted couplers. This leads to cover concrete on steel reinforcements that is thicker than normal.

9.3.6- Transverse reinforcements of pedestal should be extended over the entire length of column including sections with grouted coupler as well as footings and cap beams. A slight increase in transverse reinforcement diameter is inevitable in sections with coupler.

9.4. SMA-Reinforced ECC Columns

Low-damage materials such as engineered cementitious composite (ECC) and shape memory alloy (SMA) may be incorporated in conventional or accelerated bridge
These materials are usually used in plastic hinge of columns to improve the seismic performance over conventional columns. Design considerations are provided in this section for SMA-reinforced ECC columns for either conventional or accelerated bridge construction. Design recommendations are presented in Appendix D.

9.4.1- Experimental studies have confirmed that the seismic performance of SMA-reinforced ECC columns is better than conventional steel-reinforced concrete columns. SMA-reinforced ECC columns can be designed similarly to conventional columns in accordance to a bridge code adopted in the region even though their performance is better.

9.4.2- Reinforcing SMA model is based on the design specification presented in Chapter 6, section 6.5. A symmetric stress-strain model based on “expected tensile properties” (Table 6.2) was found to be a viable alternative to asymmetric behavior and may be used in general design and analysis of SMA-reinforced members.

9.4.3- SMA and ECC are more expensive than conventional materials. Therefore, these materials may be used only in the plastic hinge area to save cost.

9.4.4- Reinforcing SMA bars are connected to reinforcing steel bars with mechanical bar splices such as headed bar couplers or threaded couplers.

9.4.5- SMA-reinforced ECC columns may be built cast-in-place or precast. UHPC-filled duct connections may be incorporated in precast columns as shown in Fig. 9.3b.
10.1. Summary

Accelerated bridge construction (ABC) utilizes advanced planning, new construction techniques, and innovative detailing to facilitate construction. ABC offers many advantages over conventional construction, the most important of which is the reduction of onsite construction time. According to the Federal Highway Administration (FHWA), more than 150,000 bridges in the USA need rehabilitation, repair, or total replacement. ABC is a viable alternative to cast-in-place construction to alleviate the economical, social, and industrial costs or impact associated with long bridge construction duration.

Even though ABC has been widely used in low seismic regions of the country mostly in superstructure, application of ABC in seismic areas has been limited due to the lack of seismic performance data regarding substructure connections, which are critical in moderate and high seismic zones. The main objective of this study was to develop new ABC connections for bridge columns using novel detailing and advanced materials.

Three low-damage materials were incorporated in this study: (1) ultra-high performance concrete (UHPC), (2) Nickel-Titanium shape memory alloy (NiTi SMA), and (3) engineered cementitious composite (ECC). Furthermore, two types of mechanical bar splices were utilized: (1) grouted coupler and (2) headed bar coupler. Grouted duct connections have been used in actual bridges to connect columns to precast cap beams. UHPC was proposed as duct filler instead of conventional grout to reduce bar embedment length in these connections. Fourteen large-scale pullout specimens were tested to determine the bond behavior of UHPC-filled duct systems. After observing satisfactory performance, UHPC-filled duct connections were incorporated in two of three large-scale column models to connect the precast columns to footings. Connection of the third precast column to the footing was provided using grouted coupler connections. All columns were half-scale models. SMA and ECC were incorporated in the plastic hinge of one of the UHPC-filled-duct columns to improve the overall seismic performance of the column and post-earthquake serviceability. Headed bar couplers were utilized to connect SMA bars to steel bars.

Design equations for bar embedment length and bond-slip models were developed for UHPC-filled duct connections. New simple methods were developed to take into account bond-slip effects and bar debonding effects in response analyses of reinforced concrete members. These methods rely on the modification of stress-strain behavior of reinforcements. Material model and design specifications were proposed for NiTi superelastic reinforcing SMA bars. Analytical investigation was then conducted to simulate global and local responses of the pullout and three column model tests. A parametric study was performed to investigate the effect of SMA material model parameters on overall bridge column seismic response. Furthermore, design
considerations and design recommendations were proposed for bridge columns incorporated the abovementioned ABC connections or low-damage plastic hinge to facilitate their implementations in actual bridges.

10.2. Conclusions

Findings from experimental and analytical studies on precast bridge column connections and low-damage materials used in critical areas of precast members led to the following conclusions:

1. Bond strength of deformed bars in UHPC is eight times higher than that in conventional concrete. This results in relatively low bar embedment length in UHPC-filled duct connections compared to conventional or grouted duct connections.
2. Duct bond strength, which was introduced in the present study, was found to control the UHPC-filled duct connection behavior and the required bar embedment length in these systems.
3. UHPC-filled duct connections incorporated in column-to-footing connections of two column model tests exhibited no damage even under 12% drift cycles.
4. Column model tests confirmed that UHPC-filled duct connections are emulative of conventional connections in which precast columns can be designed in accordance to current bridge codes with no limitations.
5. Detailing proposed in the present study for grouted coupler columns by shifting the couplers and debonding longitudinal bars in the plastic hinge (“GCDP” column details), improved the seismic performance compared to detailing investigated previously (Haber et al. 2013). The displacement capacity and displacement ductility capacity were increased by 47 and 56%, respectively. GCDP column displacement ductility was only 4% lower than the reference cast-in-place (CIP) column ductility.
6. Debonding was a successful technique to spread bar yielding and prevent premature failure of reinforcements in UHPC-filled duct connections and grouted coupler column pedestal.
7. The SMA-reinforced ECC column (“HCS”) showed improved seismic performance over CIP. The plastic hinge exhibited substantially less damage than steel-reinforced concrete hinges. ECC damage was limited only to cover ECC even under 12% drift cycles. HCS column residual displacements were 79% lower than CIP residual displacements on average due to using superelastic NiTi SMA longitudinal reinforcement.
8. HCS column model test confirmed the feasibility of a new generation of precast columns in which columns can be built in a shorter time with better seismic performance and less post-event repair costs compared to conventional cast-in-place columns.
9. Analytical models presented for pullout tests and column model tests were found to be simple and sufficiently accurate. The models may be used for general design or analysis of these members and systems.
10. The proposed simple methods for taking into account bond-slip and bar debonding effects improved analytical model accuracy in the simulation of both global and local responses of column models.

11. The proposed reinforcing SMA material model used in the HCS column simulation resulted in good agreements between the calculated and the measured global and local responses. Parametric studies showed that a symmetrical stress-strain model based on the expected tensile mechanical properties is a viable alternative to the more realistic but complicated asymmetrical model.

12. It was found from parametric studies that the austenite modulus ($k_1$), the austenite yield strength ($f_y$), and the lower plateau stress factor ($\beta$) of the reinforcing SMA material model were the more dominant properties in controlling the calculated seismic response of SMA-reinforced columns. The response was more sensitive to the SMA tensile mechanical properties compared to compressive properties.

Overall, precast column connections proposed in the present study utilizing UHPC-filled duct connections and grouted coupler connections, as well as the low-damage plastic hinges were found to be viable alternatives to conventional connections or plastic hinges because they led to equal or improved seismic performance compared to conventional construction. UHPC-filled duct connections fully comply with current bridge codes. Even though using mechanical bar splices is prohibited in plastic hinge of reinforced members according to the most bridge seismic design codes, experimental findings from the present study showed that this limitation should be revisited and reevaluated in light of recent research data.
References


Tables
### Table 1.1- UHPC Mechanical Properties (Russell and Graybeal, 2013)

<table>
<thead>
<tr>
<th>Properties</th>
<th>Range</th>
<th>Equation</th>
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</thead>
<tbody>
<tr>
<td>Compressive Strength ($f'_{UHPC}$)</td>
<td>20 to 30 ksi, (140 to 200 MPa)</td>
<td>A time-dependent equation for UHPC strength is available.</td>
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<td>Tensile Cracking Strength ($f_{t,UHPC}$)</td>
<td>0.9 to 1.5 ksi, (6 to 10 MPa)</td>
<td>$f_{t,UHPC} = 6.7\sqrt{f'_{UHPC}}$ (psi)</td>
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<td>Modulus of Elasticity ($E_{UHPC}$)</td>
<td>6000 to 10000 ksi, (40 to 70 GPa)</td>
<td>$E_{UHPC} = 49000\sqrt{f'_{UHPC}}$ (psi)</td>
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<td>Poisson’s Ratio</td>
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<tr>
<td>Coefficient of Thermal Expansion</td>
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<td>Creep Coefficient*</td>
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<tr>
<td>Specific Creep*</td>
<td>(0.04 to 0.3)x10^{-6}/psi, (6 to 45)x10^{-6}/MPa</td>
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<tr>
<td>Total Shrinkage**</td>
<td>up to 900x10^{-6}</td>
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* Depends on curing conditions and age of loading

** Combination of drying shrinkage and autogenous shrinkage and depends on curing method

### Table 1.2- ECC Mechanical Properties (Li, 2008)

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<td>Compressive Strength</td>
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<td>First Crack Strength</td>
<td>0.4 to 1.0 ksi (3 to 7 MPa)</td>
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<td>Ultimate Tensile Strength</td>
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<td>Ultimate Tensile Strain</td>
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<td>Modulus of Elasticity</td>
<td>2600 to 5000 ksi (18 to 34 GPa)</td>
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<tr>
<td>Flexural Strength</td>
<td>1.5 to 4.5 ksi (10 to 30 MPa)</td>
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Table 2.1- Grouted Vertical Duct Test Matrix and Results (Matsumoto et al., 2001)

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<thead>
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<th>Test ID</th>
<th>Bars No.</th>
<th>Anchor</th>
<th>Embedment Length, in (mm)</th>
<th>Grout Brand</th>
<th>$f_{c}^{'}$, ksi (MPa)</th>
<th>$P_{max}$, kips (kN)</th>
<th>$u_{u}$, psi (MPa)</th>
</tr>
</thead>
<tbody>
<tr>
<td>VD01</td>
<td>#11</td>
<td>straight</td>
<td>12 (305)</td>
<td>MF928*</td>
<td>4.2 (28.9)</td>
<td>76 (338)</td>
<td>1430 (9.9)</td>
</tr>
<tr>
<td>VD02</td>
<td>#11</td>
<td>Upset Head</td>
<td>12 (305)</td>
<td>MF928</td>
<td>4.2 (28.9)</td>
<td>92 (409)</td>
<td>1730 (11.9)</td>
</tr>
<tr>
<td>VD03</td>
<td>#11</td>
<td>straight</td>
<td>18 (457)</td>
<td>MF928</td>
<td>5.7 (39.3)</td>
<td>119 (529)</td>
<td>1492 (10.3)</td>
</tr>
<tr>
<td>VD04</td>
<td>#11</td>
<td>straight</td>
<td>18 (457)</td>
<td>EHF†</td>
<td>3.1 (21.3)</td>
<td>94 (418)</td>
<td>1179 (8.1)</td>
</tr>
<tr>
<td>VD05</td>
<td>#11</td>
<td>straight</td>
<td>18 (457)</td>
<td>Sika‡</td>
<td>3.8 (26.2)</td>
<td>114 (507)</td>
<td>1430 (9.9)</td>
</tr>
<tr>
<td>VD06</td>
<td>#11</td>
<td>Upset Head</td>
<td>18 (457)</td>
<td>MF928</td>
<td>4.8 (33.1)</td>
<td>120 (534)</td>
<td>1505 (10.4)</td>
</tr>
<tr>
<td>VD07</td>
<td>#11</td>
<td>straight</td>
<td>24 (610)</td>
<td>MF928</td>
<td>5.2 (35.8)</td>
<td>100 (445)</td>
<td>941 (6.5)</td>
</tr>
<tr>
<td>VD08</td>
<td>#11</td>
<td>straight</td>
<td>24 (610)</td>
<td>EHF†</td>
<td>4.5 (31.0)</td>
<td>118 (525)</td>
<td>1110 (7.6)</td>
</tr>
</tbody>
</table>

* Masterflow 928; † Euclid High Flow; ‡ Sika 212
Table 2.2- Test Matrix for Group I & II of Pullout Tests

<table>
<thead>
<tr>
<th>SP. No.</th>
<th>Bar Size</th>
<th>Test Group No.</th>
<th>Embed. Length</th>
<th>Bundled Ducts</th>
<th>Duct Diam., $d_d$ in. (mm)</th>
<th>Multiple Ducts</th>
<th>Test Variable</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>8$d_b$</td>
<td>No</td>
<td>3.12 (79)</td>
<td>No</td>
<td>Embedment Length</td>
</tr>
<tr>
<td>2</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>12$d_b$</td>
<td>No</td>
<td>3.12 (79)</td>
<td>No</td>
<td>Embedment Length</td>
</tr>
<tr>
<td>3</td>
<td>#8 (Ø25)</td>
<td>II</td>
<td>3$d_b$</td>
<td>No</td>
<td>3.12 (79)</td>
<td>No</td>
<td>Embedment Length</td>
</tr>
<tr>
<td>4*</td>
<td>2#8 (2025)</td>
<td>I</td>
<td>8$d_b$</td>
<td>a pair</td>
<td>4 (102)</td>
<td>No</td>
<td>24×16 (610×406)</td>
</tr>
<tr>
<td>5*</td>
<td>2#8 (2025)</td>
<td>I</td>
<td>12$d_b$</td>
<td>a pair</td>
<td>4 (102)</td>
<td>No</td>
<td>24×20 (610×508)</td>
</tr>
<tr>
<td>6*</td>
<td>2#8 (2025)</td>
<td>II</td>
<td>3$d_b$</td>
<td>a pair</td>
<td>4 (102)</td>
<td>No</td>
<td>24×20 (610×508)</td>
</tr>
<tr>
<td>7</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>8$d_b$</td>
<td>No</td>
<td>4 (102)</td>
<td>No</td>
<td>Embedment Length</td>
</tr>
<tr>
<td>8</td>
<td>#8 (Ø25)</td>
<td>II</td>
<td>5$d_b$</td>
<td>No</td>
<td>3.12 (79)</td>
<td>No</td>
<td>Embedment Length</td>
</tr>
<tr>
<td>9**</td>
<td>2#8 (2025)</td>
<td>I</td>
<td>8$d_b$</td>
<td>No</td>
<td>3.12 (79)</td>
<td>a pair</td>
<td>24×16 (610×406)</td>
</tr>
<tr>
<td>10**</td>
<td>2#8 (2025)</td>
<td>I</td>
<td>12$d_b$</td>
<td>No</td>
<td>3.12 (79)</td>
<td>a pair</td>
<td>30×20 (762×508)</td>
</tr>
<tr>
<td>11</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>8$d_b$</td>
<td>No</td>
<td>4 (102)</td>
<td>No</td>
<td>Embedment Length</td>
</tr>
<tr>
<td>12</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>12$d_b$</td>
<td>No</td>
<td>4 (102)</td>
<td>No</td>
<td>Embedment Length</td>
</tr>
<tr>
<td>13</td>
<td>#11 (Ø36)</td>
<td>II</td>
<td>3$d_b$</td>
<td>No</td>
<td>4 (102)</td>
<td>No</td>
<td>Embedment Length</td>
</tr>
<tr>
<td>14</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>8$d_b$</td>
<td>No</td>
<td>5.26 (134)</td>
<td>No</td>
<td>Duct Diam.</td>
</tr>
</tbody>
</table>

$d_b$ is nominal diameter of bar; $d_d$ is inner diameter of duct; $D$ is diameter of specimen, $H$ is height of specimen

*: Investigating effect of a pair of bars (bundled bars) in a single duct

**: Investigating effect of multiple ducts in a specimen

Table 2.3- Diameters of Corrugated Galvanized Ducts

<table>
<thead>
<tr>
<th>Nominal Diameter in. (mm)</th>
<th>Inner Diameter in. (mm)</th>
<th>Outer Diameter in. (mm)</th>
</tr>
</thead>
<tbody>
<tr>
<td>3 (75)</td>
<td>3.12 (79)</td>
<td>3.31 (84)</td>
</tr>
<tr>
<td>4 (100)</td>
<td>4 (102)</td>
<td>4.19 (106)</td>
</tr>
<tr>
<td>5 (125)</td>
<td>5.26 (134)</td>
<td>5.45 (138)</td>
</tr>
</tbody>
</table>
Table 2.4- Measured Test-Day Compressive Strength of Materials in Pullout Tests

<table>
<thead>
<tr>
<th>Specimen No.</th>
<th>Test Group No.</th>
<th>Concrete*, psi (MPa)</th>
<th>UHPC*, psi (MPa)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>I</td>
<td>6720 (46.3)</td>
<td>24296 (167.5)</td>
</tr>
<tr>
<td>2</td>
<td>I</td>
<td>6778 (46.7)</td>
<td>25928 (178.8)</td>
</tr>
<tr>
<td>3</td>
<td>II</td>
<td>7471 (51.5)</td>
<td>21307 (146.9)</td>
</tr>
<tr>
<td>4</td>
<td>I</td>
<td>6755 (46.6)</td>
<td>24863 (171.4)</td>
</tr>
<tr>
<td>5</td>
<td>I</td>
<td>6770 (46.7)</td>
<td>25573 (176.3)</td>
</tr>
<tr>
<td>6</td>
<td>II</td>
<td>7506 (51.8)</td>
<td>21356 (147.2)</td>
</tr>
<tr>
<td>7</td>
<td>I</td>
<td>6778 (46.7)</td>
<td>25928 (178.8)</td>
</tr>
<tr>
<td>8</td>
<td>II</td>
<td>7506 (51.8)</td>
<td>21356 (147.2)</td>
</tr>
<tr>
<td>9</td>
<td>I</td>
<td>6786 (46.8)</td>
<td>26284 (181.2)</td>
</tr>
<tr>
<td>10</td>
<td>I</td>
<td>6881 (47.4)</td>
<td>26776 (184.6)</td>
</tr>
<tr>
<td>11</td>
<td>I</td>
<td>6881 (47.4)</td>
<td>26776 (184.6)</td>
</tr>
<tr>
<td>12</td>
<td>I</td>
<td>7039 (48.5)</td>
<td>24457 (168.6)</td>
</tr>
<tr>
<td>13</td>
<td>II</td>
<td>7387 (50.9)</td>
<td>19444 (134.1)</td>
</tr>
<tr>
<td>14</td>
<td>I</td>
<td>7039 (48.5)</td>
<td>24457 (168.6)</td>
</tr>
</tbody>
</table>

* At least three samples were used for testing. Only the average of test data is reposted.

Table 2.5- Measured Mechanical Properties of Bars in Pullout Tests

<table>
<thead>
<tr>
<th>Bar Size</th>
<th>No. of Samples</th>
<th>Yield Strength, $f_y$ ksi (MPa)</th>
<th>Ultimate Strength, $f_u$ ksi (MPa)</th>
<th>Strain at onset of Strain Hardening, $\varepsilon_{sh}$ (%)</th>
<th>Strain Hardening Slop, $E_{sh}$ ksi (MPa)</th>
<th>Strain at Ultimate Stress, $\varepsilon_{su}$ (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>#3 Ø10</td>
<td>4</td>
<td>69.7 (480.9)</td>
<td>94.2 (649.7)</td>
<td>N/A</td>
<td>N/A</td>
<td>11.09</td>
</tr>
<tr>
<td>#8 Ø25</td>
<td>2</td>
<td>75.0 (517.1)</td>
<td>111.2 (766.8)</td>
<td>0.23</td>
<td>2896 (19967)</td>
<td>9.66</td>
</tr>
<tr>
<td>#11 Ø36</td>
<td>1*</td>
<td>72.4 (499.4)</td>
<td>&gt; 90.5 (&gt; 623.9)</td>
<td>0.68</td>
<td>N/A</td>
<td>N/A</td>
</tr>
</tbody>
</table>

* Tensile test could not be completed due to slippage of #11 bar in grips.
Table 2.6- Mode of Failure and Observed Damage in Pullout Tests

<table>
<thead>
<tr>
<th>SP. No.</th>
<th>Bar Size</th>
<th>Test Group No.</th>
<th>Embed. Length</th>
<th>Mode of Failure</th>
<th>Observed Damage</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>8db</td>
<td>Bar Fracture</td>
<td>Failure of bar at thread, few minor cracks toward duct on surface of concrete, no damage of UHPC</td>
</tr>
<tr>
<td>2</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>12db</td>
<td>Bar Fracture</td>
<td>Failure of bar at thread, two minor cracks on surface of concrete, no damage of UHPC</td>
</tr>
<tr>
<td>3</td>
<td>#8 (Ø25)</td>
<td>II</td>
<td>3db</td>
<td>Bar Fracture</td>
<td>Failure of bar at thread, no damage of concrete, no damage of UHPC</td>
</tr>
<tr>
<td>4</td>
<td>2#8 (Ø25)</td>
<td>I</td>
<td>8db</td>
<td>Duct Fracture</td>
<td>Severe damage of concrete surrounding the duct with cone-shape, no damage of UHPC, no bar yielding</td>
</tr>
<tr>
<td>5</td>
<td>2#8 (Ø25)</td>
<td>I</td>
<td>12db</td>
<td>Bars Fracture</td>
<td>Failure of bars at thread, few minor cracks toward duct, no damage of UHPC</td>
</tr>
<tr>
<td>6</td>
<td>2#8 (Ø25)</td>
<td>II</td>
<td>3db</td>
<td>Bar Fracture</td>
<td>No concrete damage, no UHPC damage</td>
</tr>
<tr>
<td>7</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>8db</td>
<td>Bar Fracture</td>
<td>Failure of bar at thread, few minor cracks toward duct, no damage of UHPC</td>
</tr>
<tr>
<td>8</td>
<td>#8 (Ø25)</td>
<td>II</td>
<td>5db</td>
<td>Bar Fracture</td>
<td>Failure of bar at thread, no damage of concrete and UHPC</td>
</tr>
<tr>
<td>9</td>
<td>2#8 (Ø25)</td>
<td>I</td>
<td>8db</td>
<td>Bars Fracture</td>
<td>Failure of bars at thread, few minor cracks toward ducts, no damage of UHPC</td>
</tr>
<tr>
<td>10</td>
<td>2#8 (Ø25)</td>
<td>I</td>
<td>12db</td>
<td>Bars Fracture</td>
<td>Failure of bars at thread, few minor cracks toward ducts, no damage of UHPC</td>
</tr>
<tr>
<td>11</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>8db</td>
<td>Duct Fracture</td>
<td>Severe damage of concrete surrounding the duct with cone-shape, no damage of UHPC</td>
</tr>
<tr>
<td>12</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>12db</td>
<td>Bars Fracture</td>
<td>Failure of bar at thread, few minor cracks toward duct, no damage of UHPC</td>
</tr>
<tr>
<td>13</td>
<td>#11 (Ø36)</td>
<td>II</td>
<td>3db</td>
<td>Bar Fracture</td>
<td>Failure of bar at thread, no damage of concrete and UHPC</td>
</tr>
<tr>
<td>14</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>8db</td>
<td>Bars Fracture</td>
<td>Failure of bar at thread, few minor cracks toward duct, no damage of UHPC</td>
</tr>
</tbody>
</table>

$db_b$ is diameter of bar
Table 2.7- Duct and Bar Bond Strength for Group I & II of Pullout Tests

<table>
<thead>
<tr>
<th>SP. No.</th>
<th>Bar Size</th>
<th>Test Group No.</th>
<th>Embed. Length, in. (mm)</th>
<th>n (n_b or n_d)</th>
<th>Duct Diam., d_d in. (mm)</th>
<th>Force, kips (kN)</th>
<th>Duct Bond Strength, u_d, psi (MPa)</th>
<th>Bar Bond Strength, u_b, psi (MPa)</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>8 (203)</td>
<td>1</td>
<td>3.12 (79)</td>
<td>56.4 (388.9)</td>
<td>720* (4.96)</td>
<td>N/A</td>
</tr>
<tr>
<td>2</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>12 (305)</td>
<td>1</td>
<td>3.12 (79)</td>
<td>55.0 (379.2)</td>
<td>467* (3.22)</td>
<td>N/A</td>
</tr>
<tr>
<td>3</td>
<td>#8 (Ø25)</td>
<td>II</td>
<td>3 (76)</td>
<td>1</td>
<td>3.12 (79)</td>
<td>56.2 (387.5)</td>
<td>N/A</td>
<td>5967* (41.14)</td>
</tr>
<tr>
<td>4</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>8 (203)</td>
<td>2</td>
<td>4 (102)</td>
<td>67.5 (465.4)</td>
<td>671 (4.63)</td>
<td>N/A</td>
</tr>
<tr>
<td>5</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>12 (305)</td>
<td>2</td>
<td>4 (102)</td>
<td>107.7 (742.6)</td>
<td>712* (4.90)</td>
<td>N/A</td>
</tr>
<tr>
<td>6</td>
<td>#8 (Ø25)</td>
<td>II</td>
<td>3 (76)</td>
<td>2</td>
<td>4 (102)</td>
<td>78.4 (540.6)</td>
<td>N/A</td>
<td>4162 (28.70)</td>
</tr>
<tr>
<td>7</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>8 (203)</td>
<td>1</td>
<td>4 (102)</td>
<td>54.7 (377.1)</td>
<td>544* (3.75)</td>
<td>N/A</td>
</tr>
<tr>
<td>8</td>
<td>#8 (Ø25)</td>
<td>II</td>
<td>5 (127)</td>
<td>1</td>
<td>3.12 (79)</td>
<td>56.0 (386.1)</td>
<td>N/A</td>
<td>3568* (24.60)</td>
</tr>
<tr>
<td>9</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>8 (203)</td>
<td>2</td>
<td>3.12 (79)</td>
<td>109.8 (757.0)</td>
<td>700* (4.83)</td>
<td>N/A</td>
</tr>
<tr>
<td>10</td>
<td>#8 (Ø25)</td>
<td>I</td>
<td>12 (305)</td>
<td>2</td>
<td>3.12 (79)</td>
<td>102.4 (706.0)</td>
<td>435* (3.00)</td>
<td>N/A</td>
</tr>
<tr>
<td>11</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>11.28 (286)</td>
<td>1</td>
<td>4 (102)</td>
<td>93.9 (647.4)</td>
<td>662 (4.29)</td>
<td>N/A</td>
</tr>
<tr>
<td>12</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>16.92 (430)</td>
<td>1</td>
<td>4 (102)</td>
<td>106.4 (733.6)</td>
<td>500* (3.45)</td>
<td>N/A</td>
</tr>
<tr>
<td>13</td>
<td>#11 (Ø36)</td>
<td>II</td>
<td>4.23 (107)</td>
<td>1</td>
<td>4 (102)</td>
<td>110.8 (763.9)</td>
<td>N/A</td>
<td>5920* (40.82)</td>
</tr>
<tr>
<td>14</td>
<td>#11 (Ø36)</td>
<td>I</td>
<td>11.28 (286)</td>
<td>1</td>
<td>5.26 (134)</td>
<td>110.9 (764.6)</td>
<td>595* (4.10)</td>
<td>N/A</td>
</tr>
</tbody>
</table>

_d_b_ is nominal diameter of bar; _d_d_ is inner diameter of duct

* Lower bound bond strength

Table 2.8– Bond Strength of Bars in FHWA Pullout Tests (Graybeal, 2010)

<table>
<thead>
<tr>
<th>Sample ID</th>
<th>Bar Size</th>
<th>Embed. Length** in. (mm)</th>
<th>Force, kips (kN)</th>
<th>Strength of UHPC, psi (MPa)</th>
<th>Duct Bond Strength, u_d, psi (MPa)</th>
<th>Bar Bond Strength, u_b, psi (MPa)</th>
<th>Mode of Failure</th>
</tr>
</thead>
<tbody>
<tr>
<td>T-13-B</td>
<td>#4 (Ø13)</td>
<td>2.95 (75)</td>
<td>20223 (89.9)</td>
<td>15000 (103.4)</td>
<td>N/A</td>
<td>4291.5* (29.6)</td>
<td>Bar Fracture</td>
</tr>
<tr>
<td>T-16-B</td>
<td>#5 (Ø16)</td>
<td>3.93 (100)</td>
<td>32474 (144.5)</td>
<td>15000 (103.4)</td>
<td>N/A</td>
<td>4134.7* (28.5)</td>
<td>Bar Fracture</td>
</tr>
<tr>
<td>T-19-B</td>
<td>#6 (Ø19)</td>
<td>4.92 (125)</td>
<td>46207 (205.5)</td>
<td>15000 (103.4)</td>
<td>N/A</td>
<td>3922.2* (27.0)</td>
<td>Bar Fracture</td>
</tr>
</tbody>
</table>

* Lower bound bond strength

** Bars were anchored in 15.74-in. × 7.87-in (400-mm × 200-mm) UHPC Cylinders
Table 3.1- Test Matrix for ABC Column Models

<table>
<thead>
<tr>
<th>Test</th>
<th>Specimen</th>
<th>Connection</th>
<th>Load</th>
<th>Investigating</th>
</tr>
</thead>
<tbody>
<tr>
<td>Previous</td>
<td>CIP</td>
<td>Conventional</td>
<td>Slow</td>
<td>Reference column with a thicker clear cover than standard column</td>
</tr>
<tr>
<td>Research at</td>
<td>GCNP</td>
<td>Grouted couplers w/o pedestal</td>
<td>Slow</td>
<td>Column performance with grouted couplers installed above column-footing interface</td>
</tr>
<tr>
<td>UNR</td>
<td>GCPP</td>
<td>Grouted couplers w/ partial pedestal</td>
<td>Slow</td>
<td>Column performance with grouted couplers installed 12&quot; (305) above column-footing interface</td>
</tr>
<tr>
<td></td>
<td>HCNP</td>
<td>Headed couplers w/o pedestal</td>
<td>Slow</td>
<td>Column performance with headed bar couplers installed above column-footing interface</td>
</tr>
<tr>
<td></td>
<td>HCPP</td>
<td>Headed couplers w/ partial pedestal</td>
<td>Slow</td>
<td>Column performance with headed bar couplers installed 12&quot; (305) above column-footing interface</td>
</tr>
<tr>
<td>Present</td>
<td>PNC</td>
<td>No Coupler; UHPC-filled duct connection</td>
<td>Slow</td>
<td>The column-footing connection using UHPC-filled ducts</td>
</tr>
<tr>
<td>Study</td>
<td>GCDP</td>
<td>Grouted couplers w/ debonded bars in pedestal</td>
<td>Slow</td>
<td>Column performance with grouted couplers and debonded longitudinal bars in pedestal</td>
</tr>
<tr>
<td></td>
<td>HCS</td>
<td>UHPC-filled ducts and headed couplers</td>
<td>Slow</td>
<td>Column performance incorporating damage-free materials: SMA bars and ECC in plastic hinge</td>
</tr>
</tbody>
</table>

Table 3.2- Summary of Column Models Design

<table>
<thead>
<tr>
<th>Item/Specimen</th>
<th>CIP</th>
<th>PNC</th>
<th>GCDP</th>
<th>HCS*</th>
</tr>
</thead>
<tbody>
<tr>
<td>Longitudinal Reinforcement</td>
<td>11-#8 (Ø25) mild bars, $\rho_l=1.92%$</td>
<td>11-#8 (Ø25) mild bars, $\rho_l=1.92%$</td>
<td>11-#8 (Ø25) mild bars, $\rho_l=1.92%$</td>
<td>10-#10 (Ø32) SMA bars, $\rho_l=2.8%$</td>
</tr>
<tr>
<td>Transverse Reinforcement</td>
<td>#3(Ø10) spiral at 2-in. (51-mm) pitch, $\rho_s=1.05%$</td>
<td>#3(Ø10) spiral at 2-in. (51-mm) pitch, $\rho_s=1.03%$</td>
<td>#3(Ø10) spiral at 2-in. (51-mm) pitch, $\rho_s=1.05%$</td>
<td>#3(Ø10) spiral at 2-in. (51-mm) pitch, $\rho_s=1.04%$</td>
</tr>
<tr>
<td>Clear Cover</td>
<td>1.75 in. (44 mm)</td>
<td>1.5 in. (38 mm)</td>
<td>1.0 in. (25 mm)$\dagger$</td>
<td>1.31 in. (33 mm)$\dagger$</td>
</tr>
<tr>
<td></td>
<td></td>
<td></td>
<td>1.75 in. (44 mm)$\ddagger$</td>
<td>1.62 in. (41 mm)$\ddagger$</td>
</tr>
<tr>
<td>Aspect Ratio</td>
<td>4.5</td>
<td>4.5</td>
<td>4.5</td>
<td>4.5</td>
</tr>
<tr>
<td>Column Diameter</td>
<td>24 in. (610 mm)</td>
<td>24 in. (610 mm)</td>
<td>24 in. (610 mm)</td>
<td>24 in. (610 mm)</td>
</tr>
<tr>
<td>Hollow Section</td>
<td>N/A</td>
<td>6-in. (152-mm) wall thickness</td>
<td>6-in. (152-mm) wall thickness</td>
<td>6-in. (152-mm) wall thickness</td>
</tr>
<tr>
<td>Axial Load Index</td>
<td>10%</td>
<td>10%</td>
<td>10%</td>
<td>10%</td>
</tr>
</tbody>
</table>

* SMA-reinforced column
† Section with couplers
‡ Section without couplers
### Table 3.3- SCC Mix Design Requirements (Standard Specification for CA, 2010)

<table>
<thead>
<tr>
<th>Property</th>
<th>Test</th>
<th>Requirement</th>
</tr>
</thead>
<tbody>
<tr>
<td>Slump flow</td>
<td>ASTM C 1611</td>
<td>At least 20 inches</td>
</tr>
<tr>
<td>Flow rate, T&lt;sub&gt;50&lt;/sub&gt;</td>
<td>ASTM C 1611</td>
<td>2–7 seconds</td>
</tr>
<tr>
<td>Visual stability index</td>
<td>ASTM C 1611</td>
<td>1 or less</td>
</tr>
<tr>
<td>J-Ring flow</td>
<td>ASTM C 1621</td>
<td>The difference between J-Ring flow and slump flow must not exceed 2 inches</td>
</tr>
<tr>
<td>Column segregation</td>
<td>ASTM C 1610</td>
<td>Static segregation must not exceed 15 percent</td>
</tr>
<tr>
<td>Bleeding</td>
<td>ASTM C 232</td>
<td>Bleeding capacity must not exceed 2.5 percent</td>
</tr>
<tr>
<td>Compressive strength</td>
<td>California Test 521</td>
<td>The average of 5 test cylinders must be at least 600 psi greater than the strength described*</td>
</tr>
<tr>
<td>Minimum compressive strength</td>
<td>California Test 521</td>
<td>The minimum for an individual test cylinder must not be less than the strength described*</td>
</tr>
</tbody>
</table>

* At the maximum age specified or allowed

### Table 3.4- SCC Mix Design

<table>
<thead>
<tr>
<th>Material</th>
<th>Weight (lbs)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Cement- Nevada Type II</td>
<td>564 lbs</td>
</tr>
<tr>
<td>Pozzolan- Nevada Type N</td>
<td>141 lbs</td>
</tr>
<tr>
<td>Water</td>
<td>282 lbs</td>
</tr>
<tr>
<td>No. 7 Stone- Palute Pit</td>
<td>1150 lbs</td>
</tr>
<tr>
<td>No. 8 Stone- Palute Pit</td>
<td>320 lbs</td>
</tr>
<tr>
<td>Sand- Palute Pit</td>
<td>1406 lbs</td>
</tr>
<tr>
<td>Grace ADVA 190</td>
<td>42 oz</td>
</tr>
<tr>
<td>Grace ADVA 405</td>
<td>99 oz</td>
</tr>
<tr>
<td>Grace VMAR 3</td>
<td>11 oz</td>
</tr>
<tr>
<td>Grace Recover</td>
<td>49 oz</td>
</tr>
<tr>
<td>Air Content</td>
<td>3.0%</td>
</tr>
</tbody>
</table>

For 4000-psi mix design

### Table 3.5- Typical Field-Cast UHPC Mix Design

<table>
<thead>
<tr>
<th>Material</th>
<th>Weight (lbs/yd)</th>
<th>Percent by Weight</th>
</tr>
</thead>
<tbody>
<tr>
<td>Portland Cement</td>
<td>1200</td>
<td>28.5</td>
</tr>
<tr>
<td>Fine Sand</td>
<td>1720</td>
<td>40.8</td>
</tr>
<tr>
<td>Silica Fume</td>
<td>390</td>
<td>9.3</td>
</tr>
<tr>
<td>Ground Quartz</td>
<td>355</td>
<td>8.4</td>
</tr>
<tr>
<td>Superplasticizer</td>
<td>51</td>
<td>1.2</td>
</tr>
<tr>
<td>Steel Fibers</td>
<td>263</td>
<td>6.2</td>
</tr>
<tr>
<td>Water</td>
<td>218</td>
<td>5.2</td>
</tr>
</tbody>
</table>

### Table 3.6- ECC Mix Design

<table>
<thead>
<tr>
<th>Material</th>
<th>Weight (lbs)</th>
<th>Percent by Weight</th>
</tr>
</thead>
<tbody>
<tr>
<td>Cement- Nevada Cement Type I/II</td>
<td>20.5</td>
<td>37.0</td>
</tr>
<tr>
<td>Fly Ash- Ft. Bridger, Type F</td>
<td>17.5</td>
<td>31.5</td>
</tr>
<tr>
<td>Sand- Average 60#</td>
<td>13.75</td>
<td>24.7</td>
</tr>
<tr>
<td>Silica Powder 90#</td>
<td>3.0</td>
<td>5.4</td>
</tr>
<tr>
<td>PVA Fiber-Kuraray Kuralon REC 8x15</td>
<td>0.8</td>
<td>1.4</td>
</tr>
<tr>
<td>Superplasticizer- BASF polycarboxylate ether or FritzPak No. 7</td>
<td>17g</td>
<td>---</td>
</tr>
</tbody>
</table>

Water to Cement & Fly Ash ratio= 0.315; Fly Ash to Cement ratio= 0.85
<table>
<thead>
<tr>
<th>Material</th>
<th>Element</th>
<th>Measured at</th>
<th>CIP</th>
<th>PNC</th>
<th>GCDP</th>
<th>HCS</th>
</tr>
</thead>
<tbody>
<tr>
<td></td>
<td></td>
<td>7-Day</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Conventional</td>
<td>Footing</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>1980 (13.6)</td>
</tr>
<tr>
<td></td>
<td></td>
<td>28-Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>4990 (34.4)</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Col. test Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>6390 (44.0)</td>
</tr>
<tr>
<td>Shell &amp; Pedestal</td>
<td></td>
<td>7-Day</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td></td>
<td></td>
<td>28-Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Col. test Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td>SCC*</td>
<td>Core &amp; Head</td>
<td>7-Day</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>1980 (13.6)</td>
</tr>
<tr>
<td></td>
<td></td>
<td>28-Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>4990 (34.4)</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Col. test Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>6390 (44.0)</td>
</tr>
<tr>
<td>UHPC*</td>
<td>UHPC-Filled</td>
<td>7-Day</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td>Duct</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td></td>
<td></td>
<td>28-Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Col. test Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td>ECC**</td>
<td>Plastic Hinge</td>
<td>7-Day</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td></td>
<td></td>
<td>28-Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Col. test Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td>SS Mortar†</td>
<td>NMB Couplers</td>
<td>7-Day</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>13355 (92.1)</td>
<td>N/A</td>
</tr>
<tr>
<td></td>
<td></td>
<td>28-Day</td>
<td>N/A</td>
<td>N/A</td>
<td>16365 (112.8)</td>
<td>N/A</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Col. test Day</td>
<td>N/A</td>
<td>N/A</td>
<td>16970 (117.0)</td>
<td>N/A</td>
</tr>
<tr>
<td>Grout†</td>
<td>Closure Region</td>
<td>7-Day</td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td></td>
<td></td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>9670 (66.7)</td>
<td>N/A</td>
</tr>
<tr>
<td></td>
<td></td>
<td>28-Day</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td></td>
<td></td>
<td>Col. test Day</td>
<td>N/A</td>
<td>N/A</td>
<td>16890 (116.5)</td>
<td>N/A</td>
</tr>
</tbody>
</table>

*: 6-in. (152-mm) by 12-in. (305-mm) cylinder mold
**: 4-in. (102-mm) by 8-in. (203-mm) cylinder mold
†: 3-in. (76-mm) by 6-in. (152-mm) cylinder mold
‡: 2-in. (51-mm) cubic mold
### Table 4.2- Measured Strength of Reinforcing Steel

<table>
<thead>
<tr>
<th>Bar</th>
<th>Column Model</th>
<th>Bar Size</th>
<th>ASTM Type</th>
<th>Yield Strength, (f_y) ksi (MPa)</th>
<th>Ultimate Strength, (f_u) ksi (MPa)</th>
<th>Post-Yield Stiffness, (E_{sh}) ksi (MPa)</th>
<th>Ultimate Strain, (\varepsilon_{su}) (%)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Longitudinal</td>
<td>CIP*</td>
<td>#8</td>
<td>A615 Grade 60</td>
<td>68.8 (460.6)</td>
<td>111.3 (767.4)</td>
<td>1250 (8618.4)</td>
<td>9.0</td>
</tr>
<tr>
<td></td>
<td>PNC†</td>
<td>#8</td>
<td>A706 Grade 60</td>
<td>65.8 (453.4)</td>
<td>91.7 (632.0)</td>
<td>1727.8 (11912.8)</td>
<td>11.9</td>
</tr>
<tr>
<td></td>
<td>GCDP†</td>
<td>#8</td>
<td>A706 Grade 60</td>
<td>65.8 (453.4)</td>
<td>91.7 (632.0)</td>
<td>1727.8 (11912.8)</td>
<td>11.9</td>
</tr>
<tr>
<td></td>
<td>HCS*</td>
<td>#11</td>
<td>A706 Grade 60</td>
<td>71.8 (495.1)</td>
<td>99.3 (684.8)</td>
<td>623.1 (4296.1)</td>
<td>19.5</td>
</tr>
<tr>
<td>Spiral</td>
<td>CIP†</td>
<td>#3</td>
<td>A615 Grade 60</td>
<td>81.8 (564.0)</td>
<td>111.5 (768.8)</td>
<td>N/A</td>
<td>9.6</td>
</tr>
<tr>
<td></td>
<td>PNC*</td>
<td>#3</td>
<td>A615 Grade 60</td>
<td>70.5 (486.1)</td>
<td>110.7 (763.2)</td>
<td>1305.2 (8999.0)</td>
<td>10.6</td>
</tr>
<tr>
<td></td>
<td>GCDP*</td>
<td>#3</td>
<td>A615 Grade 60</td>
<td>70.5 (486.1)</td>
<td>110.7 (763.2)</td>
<td>1305.2 (8999.0)</td>
<td>10.6</td>
</tr>
<tr>
<td></td>
<td>HCS†</td>
<td>#3</td>
<td>A615 Grade 60</td>
<td>66.2 (456.4)</td>
<td>92.4 (637.6)</td>
<td>N/A</td>
<td>12.9</td>
</tr>
</tbody>
</table>

*: Average of three tensile tests  
†: Average of four tensile tests

### Table 4.3- Measured Mechanical Properties for NiTi SE SMA Used in HCS Column

<table>
<thead>
<tr>
<th>Parameter</th>
<th>#10 Bar, Sample 1</th>
<th>#10 Bar, Sample 2*</th>
</tr>
</thead>
<tbody>
<tr>
<td>Austenite modulus, (k_1)</td>
<td>7288 ksi (50251 MPa)</td>
<td>6039 ksi (41639 MPa)</td>
</tr>
<tr>
<td>Post yield stiffness, (k_2)</td>
<td>146.1 ksi (1007 MPa)</td>
<td>N/A</td>
</tr>
<tr>
<td>Austenite yield strength, (f_y)</td>
<td>69.1 ksi (746.4 MPa)</td>
<td>(\geq 65)</td>
</tr>
<tr>
<td>Lower plateau stress factor, (\beta)</td>
<td>0.55</td>
<td>N/A</td>
</tr>
<tr>
<td>Recoverable superelastic strain, (\varepsilon_r)</td>
<td>(\geq 5%)</td>
<td>N/A</td>
</tr>
<tr>
<td>Secondary post-yield stiffness ratio, (\alpha)</td>
<td>N/A</td>
<td>N/A</td>
</tr>
<tr>
<td>Ultimate strain, (\varepsilon_u)</td>
<td>(\geq 5%)</td>
<td>N/A</td>
</tr>
</tbody>
</table>

* SMA bar Sample 2 fractured during first cycle of 2% strain at the head

### Table 4.4- Material Properties for Couplers and Ducts

<table>
<thead>
<tr>
<th>Coupler/Duct</th>
<th>Base Material Requirements</th>
<th>Minimum Yield Strength of Base Material, psi (MPa)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Headed Reinforcement Coupler</td>
<td>ASTM A576-06 Grade 1141</td>
<td>75000 (517)</td>
</tr>
<tr>
<td>NMB Grouted Coupler</td>
<td>ASTM A536-85</td>
<td>40000 (275)</td>
</tr>
<tr>
<td>Corrugated Galvanized Metal Duct</td>
<td>ASTM A653</td>
<td>33000 (227)</td>
</tr>
<tr>
<td>PuSH/LL No.</td>
<td>Drift (%)</td>
<td>PNC Observed Damage</td>
</tr>
<tr>
<td>-------------</td>
<td>-----------</td>
<td>---------------------</td>
</tr>
<tr>
<td>1</td>
<td>0.25</td>
<td>Push toward S</td>
</tr>
<tr>
<td>3</td>
<td>-0.25</td>
<td>Pull toward N</td>
</tr>
<tr>
<td>5</td>
<td>0.25 Push toward S</td>
<td>Few flexural cracks above 10” of CFI on N-face, maximum compressive strain was 840 με at SG29 (Bar B7 1” below CFI), maximum tensile strain was 415 με at SG12 (Bar B1 5” below CFI)</td>
</tr>
<tr>
<td>7</td>
<td>-0.25 Pull toward N</td>
<td>Few flexural cracks above 5” of CFI on S-face, maximum compressive strain was 785 με at SG46 (Bar B1 12” above CFI), maximum tensile strain was 785 με at SG57 (Bar B7 18” above CFI)</td>
</tr>
<tr>
<td>9</td>
<td>0.5</td>
<td>Push toward S</td>
</tr>
<tr>
<td>11</td>
<td>-0.5</td>
<td>Pull toward N</td>
</tr>
<tr>
<td>13</td>
<td>0.5</td>
<td>Push toward S</td>
</tr>
<tr>
<td>15</td>
<td>-0.5</td>
<td>Pull toward N</td>
</tr>
<tr>
<td>17</td>
<td>0.75</td>
<td>Push toward S</td>
</tr>
<tr>
<td>19</td>
<td>-0.75</td>
<td>Pull toward N</td>
</tr>
<tr>
<td>21</td>
<td>0.75</td>
<td>Push toward S</td>
</tr>
<tr>
<td>23</td>
<td>-0.75</td>
<td>Pull toward N</td>
</tr>
<tr>
<td>25</td>
<td>1</td>
<td>Push toward S</td>
</tr>
<tr>
<td>27</td>
<td>-1</td>
<td>Pull toward N</td>
</tr>
<tr>
<td>29</td>
<td>1</td>
<td>Push toward S</td>
</tr>
<tr>
<td>31</td>
<td>-1</td>
<td>Pull toward N</td>
</tr>
<tr>
<td>33</td>
<td>2</td>
<td>Push toward S</td>
</tr>
<tr>
<td>35</td>
<td>-2</td>
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<tr>
<td>37</td>
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<td>Push toward S</td>
</tr>
<tr>
<td>PuSH/LL No.</td>
<td>Drift (%)</td>
<td>PNC Observed Damage</td>
</tr>
<tr>
<td>------------</td>
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</tr>
<tr>
<td>39</td>
<td>Push toward N</td>
<td>Extending flexural and shear cracks above 25(^\circ) of CFI on S-face, spalling of concrete in NE-side, maximum compressive strain was 6210 (\mu)e at SG27 (Bar B1 1&quot; below CFI), maximum tensile strain was 18590 (\mu)e at SG30 (Bar B6 1&quot; below CFI)</td>
</tr>
<tr>
<td>41</td>
<td>Push toward S</td>
<td>Extending flexural and shear cracks above 5(^\circ) of CFI on E and S faces, spalling of concrete on SE-side, crack width increasing at 10(^\circ) above CFI, maximum compressive strain was 17130 (\mu)e at SG40 (Bar B6 6&quot; above CFI), maximum tensile strain was 17590 (\mu)e at SG31 (Bar B2 0.5&quot; above CFI)</td>
</tr>
<tr>
<td>43</td>
<td>Push toward N</td>
<td>Extending flexural and shear cracks above 5(^\circ) of CFI on S and W faces, spalling of concrete on NW-side, 0.25(-)in. gap at CFI at S-face, 0.08(-)in. crack width, maximum compressive strain was 9840 (\mu)e at SG27 (Bar B1 1&quot; below CFI), maximum tensile strain was 25570 (\mu)e at SG30 (Bar B6 1&quot; below CFI)</td>
</tr>
<tr>
<td>45</td>
<td>Push toward S</td>
<td>Extending flexural and shear cracks above 1(^\circ) of CFI on E and N faces, spalling of concrete on SW-side, crack width increasing at 10(^\circ) above CFI, 0.25(-)in. gap at CFI on N-face, maximum compressive strain was 13010 (\mu)e at SG40 (Bar B6 6&quot; above CFI), maximum tensile strain was 17800 (\mu)e at SG11 (Bar B2 5&quot; below CFI)</td>
</tr>
<tr>
<td>47</td>
<td>Push toward N</td>
<td>Extending flexural and shear cracks above 10(^\circ) of CFI on S-face, 0.27(-)in. gap at CFI on S-face, 0.11(-)in. crack width on S-face, more concrete spalling on N-side, maximum compressive strain was 10210 (\mu)e at SG27 (Bar B1 1&quot; below CFI), maximum tensile strain was 22520 (\mu)e at SG30 (Bar B6 1&quot; below CFI)</td>
</tr>
<tr>
<td>PuSH/LL No.</td>
<td>Drift (%)</td>
<td>PNC Observed Damage</td>
</tr>
<tr>
<td>------------</td>
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</tr>
<tr>
<td>73</td>
<td>8</td>
<td>Push toward S</td>
</tr>
<tr>
<td>75</td>
<td>-8</td>
<td>Pull toward N</td>
</tr>
<tr>
<td>77</td>
<td>8</td>
<td>Push toward S</td>
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<tr>
<td>79</td>
<td>-8</td>
<td>Pull toward N</td>
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<tr>
<td>81</td>
<td>10</td>
<td>Push toward S</td>
</tr>
<tr>
<td>83</td>
<td>-10</td>
<td>Pull toward N</td>
</tr>
</tbody>
</table>

1 in. = 25.4 mm; 1 kip = 4.45 kN; N: North; S: South; E: East; W: West
<table>
<thead>
<tr>
<th>PuSH/LL No.</th>
<th>Drift (%)</th>
<th>GCDP Observed Damage</th>
<th>Highlights</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>0.25 Push toward S</td>
<td>Few flexural cracks, maximum compressive strain was 1007 micro-strain (με) at SG19 (Bar B7 0.5” above Column-Footing Interface (CFI)), maximum tensile strain was 655 με at SG12 (Bar B1 1” below CFI)</td>
<td>Flexural Cracks, Axial Load was 201.6 kips</td>
</tr>
<tr>
<td>3</td>
<td>-0.25 Pull toward N</td>
<td>Few flexural cracks above pedestal, maximum compressive strain was 897 με at SG18 (Bar B11 0.5” above CFI), maximum tensile strain was 442 με at SG19 (Bar B7 0.5” above CFI)</td>
<td></td>
</tr>
<tr>
<td>5</td>
<td>0.25 Pull toward S</td>
<td>Few flexural cracks above pedestal, maximum compressive strain was 1001 με at SG19 (Bar B7 0.5” above CFI), maximum tensile strain was 670 με at SG12 (Bar B1 1” below CFI)</td>
<td></td>
</tr>
<tr>
<td>7</td>
<td>-0.25 Pull toward N</td>
<td>Few flexural cracks above pedestal on S-side, maximum compressive strain was 876 με at SG18 (Bar B11 0.5” above CFI), maximum tensile strain was 400 με at SG19 (Bar B7 0.5” above CFI)</td>
<td></td>
</tr>
<tr>
<td>9</td>
<td>0.5 Push toward S</td>
<td>Few flexural cracks above pedestal on N-side, maximum compressive strain was 1421 με at SG19 (Bar B7 0.5” above CFI), maximum tensile strain was 1505 με at SG12 (Bar B1 1” below CFI)</td>
<td></td>
</tr>
<tr>
<td>11</td>
<td>-0.5 Pull toward N</td>
<td>Few flexural cracks above pedestal on S-side, maximum compressive strain was 1284 με at SG22 (Bar B1 6” above CFI), maximum tensile strain was 1263 με at SG19 (Bar B7 0.5” above CFI)</td>
<td></td>
</tr>
<tr>
<td>13</td>
<td>0.5 Push toward S</td>
<td>Few flexural cracks above pedestal on N-side, maximum compressive strain was 1346 με at SG19 (Bar B7 0.5” above CFI), maximum tensile strain was 1470 με at SG12 (Bar B1 1” below CFI)</td>
<td></td>
</tr>
<tr>
<td>15</td>
<td>-0.5 Pull toward N</td>
<td>Few flexural cracks above pedestal on S-side, column-footing interface cracking, maximum compressive strain was 1305 με at SG22 (Bar B1 6” above CFI), maximum tensile strain was 1235 με at SG19 (Bar B7 0.5” above CFI)</td>
<td>Crack at CFI</td>
</tr>
<tr>
<td>17</td>
<td>0.75 Pull toward S</td>
<td>Few flexural cracks above pedestal on N-side, maximum compressive strain was 1746 με at SG19 (Bar B7 0.5” above CFI), maximum tensile strain was 2222 με at SG12 (Bar B1 1” below CFI)</td>
<td></td>
</tr>
<tr>
<td>19</td>
<td>-0.75 Pull toward N</td>
<td>Few flexural cracks above pedestal on S-side, maximum compressive strain was 1705 με at SG22 (Bar B1 6” above CFI), maximum tensile strain was 2008 με at SG19 (Bar B7 0.5” above CFI)</td>
<td></td>
</tr>
<tr>
<td>21</td>
<td>0.75 Push toward S</td>
<td>Few flexural cracks above pedestal on N-face, 0.04 in. gap at CFI on N-side, maximum compressive strain was 1688 με at SG19 (Bar B7 0.5” above CFI), maximum tensile strain was 2167 με at SG12 (Bar B1 1” below CFI)</td>
<td></td>
</tr>
<tr>
<td>23</td>
<td>-0.75 Pull toward N</td>
<td>Few flexural cracks above pedestal on S-side, maximum compressive strain was 1705 με at SG22 (Bar B1 6” above CFI), maximum tensile strain was 1974 με at SG19 (Bar B7 0.5” above CFI)</td>
<td></td>
</tr>
<tr>
<td>25</td>
<td>1 Push toward S</td>
<td>Few cracks in and above pedestal on N-side, maximum compressive strain was 2091 με at SG19 (Bar B7 0.5” above CFI), maximum tensile strain was 3057 με at SG12 (Bar B1 1” below CFI). First yield happened below the CFI at displacement of 0.867 in. with 34.49 kips force. First yielding in the column happened at SG22 (Bar B1 6” above CFI) at the displacement of 0.889 in. and 35.52 kips force. Bars also yielded at SG17, SG18, SG20, SG47, SG16, SG32 and SG21</td>
<td>Cracks in Pedestal, First Yielding at Bar B7 at Δ=0.889 in.</td>
</tr>
<tr>
<td>27</td>
<td>-1 Pull toward N</td>
<td>Few flexural cracks above pedestal on S-side, 0.08 in. cracking at CFI on S-side, maximum compressive strain was 2133 με at SG22 (Bar B1 6” above CFI), maximum tensile strain was 2705 με at SG19 (Bar B7 0.5” above CFI)</td>
<td></td>
</tr>
<tr>
<td>29</td>
<td>1 Push toward S</td>
<td>Few flexural cracks above pedestal on S-side, maximum compressive strain was 2043 με at SG19 (Bar B7 0.5” above CFI), maximum tensile strain was 2982 με at SG12 (Bar B1 1” below CFI)</td>
<td></td>
</tr>
<tr>
<td>31</td>
<td>-1 Pull toward N</td>
<td>Few flexural cracks above pedestal on S-side, maximum compressive strain was 2120 με at SG22 (Bar B1 6” above CFI), maximum tensile strain was 2670 με at SG12 (Bar B1 1” below CFI)</td>
<td></td>
</tr>
<tr>
<td>33</td>
<td>2 Push toward S</td>
<td>Cracks in and above pedestal on N, E and S sides, 0.14 in. cracking at CFI on N-side, 0.06 in. gap below coupler and 0.02 in. cracking above coupler on N-side, Spalling of concrete on S-side, maximum compressive strain was 12270 με at SG19 (Bar B7 0.5” above CFI), maximum tensile strain was 19270 με at SG22 (Bar B1 6” above CFI)</td>
<td>Concrete Cover Spalling on S-Side, Shear Cracks</td>
</tr>
<tr>
<td>35</td>
<td>-2 Pull toward N</td>
<td>Cracks in and above pedestal on S, E and W sides, 0.16 in. cracking at CFI on S-side, 0.04 in. gap below coupler and 0.02 in. cracking above coupler on S-side, Spalling of concrete on N-side 1” above CFI, maximum compressive strain was 69090 με at SG22 (Bar B1 6” above CFI), maximum tensile strain was 15320 με at SG25 (Bar B6 6” above CFI)</td>
<td>Concrete Spalling on N Side</td>
</tr>
<tr>
<td>37</td>
<td>2</td>
<td>No new crack, 0.2 in. crack width at CFI on N-side, 0.04 in. gap below coupler and 0.02 in. cracking above coupler on N-side, maximum compressive strain was 6341 με at SG19 (Bar B7 0.5” above CFI), maximum tensile strain was 855 με at SG12 (Bar B1 1” below CFI)</td>
<td></td>
</tr>
<tr>
<td>PuSH/LL No.</td>
<td>Drift (%)</td>
<td>GCDP Observed Damage</td>
<td>Highlights</td>
</tr>
<tr>
<td>-------------</td>
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</tr>
<tr>
<td></td>
<td>Push toward S</td>
<td><em>με at SG19 (Bar B7 0.5% above CFI), maximum tensile strain was 14420 με at SG22 (Bar B1 6% above CFI)</em></td>
<td></td>
</tr>
<tr>
<td>39</td>
<td>-2 Pull toward N</td>
<td>Extending flexural and shear cracks in and above pedestal on all sides, spalling of concrete on N-side, maximum compressive strain was 5116 με at SG22 (Bar B1 6% above CFI), maximum tensile strain was 11880 με at SG25 (Bar B6 6% above CFI)</td>
<td>Partial conical failure in N-side</td>
</tr>
<tr>
<td>41</td>
<td>3 Push toward S</td>
<td>Extending flexural and shear cracks in and above pedestal on N, E and W sides, 0.24 in. cracking at CFI on N-side, 0.1 in. gap below coupler and 0.02 in. cracking above coupler on N-side, extending of spalling in pedestal on S-side, maximum compressive strain was 11460 με at SG33 (Bar B7 11% above CFI), maximum tensile strain was 24220 με at SG30 (Bar B2 11% above CFI)</td>
<td></td>
</tr>
<tr>
<td>43</td>
<td>-3 Pull toward N</td>
<td>Cracks in and above pedestal on all sides, 0.32 in. cracking at CFI on S-side, 0.14 in. gap below coupler and 0.04 in. cracking above coupler on S-side, Spalling of concrete on N-side, maximum compressive strain was 9632 με at SG17 (Bar B1 0.5% above CFI), maximum tensile strain was 19620 με at SG33 (Bar B7 11% above CFI)</td>
<td></td>
</tr>
<tr>
<td>45</td>
<td>3 Push toward S</td>
<td>Extending flexural and shear cracks in pedestal, 0.28 in. cracking at CFI on N-side, 0.12 in. gap below coupler and 0.04 in. cracking above coupler on N-side, Spalling of concrete on N-side, partial conical failure of footing concrete on N-side, maximum compressive strain was 10890 με at SG20 (Bar B6 0.5% above CFI), maximum tensile strain was 24730 με at SG12 (Bar B1 1% below CFI)</td>
<td>New Loading Rate after 3% Drift</td>
</tr>
<tr>
<td>47</td>
<td>-3 Pull toward N</td>
<td>Crushing of cover concrete on S-side, two spirals exposed on S-side, 0.47 in. cracking at CFI on N-side, 0.16 in. gap below coupler and 0.04 in. cracking above coupler on N-side, , maximum compressive strain was 14980 με at SG20 (Bar B6 0.5% above CFI), maximum tensile strain was 32440 με at SG12 (Bar B1 1% below CFI)</td>
<td>Spiral Exposing on S-side</td>
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<tr>
<td>49</td>
<td>4 Push toward S</td>
<td>Extending flexural and shear cracks in pedestal, 0.35 in. cracking at CFI on S-side, 0.18 in. gap below coupler and 0.04 in. cracking above coupler on S-side, maximum compressive strain was 13270 με at SG17 (Bar B1 0.5% above CFI), maximum tensile strain was 19200 με at SG33 (Bar B7 11% above CFI)</td>
<td></td>
</tr>
<tr>
<td>51</td>
<td>-4 Pull toward N</td>
<td>More crushing of cover concrete on S-side, 0.47 in. cracking at CFI on N-side, 0.16 in. gap below coupler and 0.04 in. cracking above coupler on N-side, partial conical failure of footing concrete with radius of 10.5 in. from column N-side, maximum compressive strain was 34070 με at SG12 (Bar B1 1% below CFI)</td>
<td></td>
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<tr>
<td>53</td>
<td>4 Push toward S</td>
<td>More crushing of cover concrete on t N-side, 0.55 in. cracking at CFI on S-side, 0.24 in. gap below coupler and 0.04 in. cracking above coupler on S-side, maximum compressive strain was 21480 με at SG17 (Bar B1 0.5% above CFI), maximum tensile strain was 28770 με at SG33 (Bar B7 11% above CFI)</td>
<td></td>
</tr>
<tr>
<td>55</td>
<td>-4 Pull toward N</td>
<td>More crushing of pedestal cover concrete on S-side, partial conical failure of footing concrete with 0.24 in. uplift at the edges, 0.43 in. cracking at CFI on N-side, 0.16 in. gap below coupler and 0.04 in. cracking above coupler on N-side, maximum compressive strain was 28700 με at SG25 (Bar B6 6% above CFI), maximum tensile strain was 36980 με at SG30 (Bar B2 11% above CFI)</td>
<td></td>
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<tr>
<td>57</td>
<td>5 Push toward S</td>
<td>More crushing of cover concrete on S-side, 0.47 in. cracking at CFI on S-side, 0.26 in. gap below coupler and 0.06 in. cracking above coupler on S-side, maximum compressive strain was 36230 με at SG17 (Bar B1 0.5% above CFI), maximum tensile strain was 37530 με at SG33 (Bar B7 11% above CFI), 1.6 in. damage penetration to core with angle of 30 degree at the CFI level</td>
<td></td>
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<tr>
<td>59</td>
<td>-5 Pull toward N</td>
<td>More crushing of cover concrete on N-side, 0.47 in. cracking at CFI on S-side, 0.26 in. gap below coupler and 0.06 in. cracking above coupler on S-side, maximum compressive strain was 36230 με at SG17 (Bar B1 0.5% above CFI), maximum tensile strain was 37530 με at SG33 (Bar B7 11% above CFI), 1.6 in. damage penetration to core with angle of 30 degree at the CFI level</td>
<td></td>
</tr>
<tr>
<td>61</td>
<td>5 Push toward S</td>
<td>More crushing of cover concrete on S-side, partial conical failure of footing concrete with 0.28 in. uplift at the edges, 0.35 in. cracking at CFI on N-side, 0.16 in. gap below coupler and 0.04 in. cracking above coupler on N-side, maximum compressive strain was 33430 με at SG20 (Bar B6 0.5% above CFI), maximum tensile strain was 36280 με at SG7 (Bar B1 4% below CFI)</td>
<td></td>
</tr>
<tr>
<td>63</td>
<td>-5 Pull toward N</td>
<td>More crushing of cover concrete on N-side, 0.2 in. core cracking at CFI on S-side, 0.18 in. gap below coupler and 0.06 in. cracking above coupler on S-side, maximum compressive strain was 47760 με at SG17 (Bar B1 0.5% above CFI), maximum tensile strain was 35160 με at SG33 (Bar B7 11% above CFI)</td>
<td>Exposing of Bars B11 and B6, Spiral Kinking on S-Side</td>
</tr>
<tr>
<td>65</td>
<td>6 Push toward S</td>
<td>Long. bar B11 exposed on N-side, Long. bar B6 exposed on S-side, Kinking in spirals on S-side, more crushing of cover concrete on N-side, partial conical failure of footing concrete with 0.43 in. uplift at the edges, 0.37 in. cracking at CFI on N-side, 0.1 in. gap below coupler and 0.04 in. cracking above coupler on N-side, maximum compressive strain of good SGs was 50180 με at SG20 (Bar B6 0.5% above CFI), maximum tensile strain was 45330 με at SG22 (Bar B1 6% above CFI)</td>
<td></td>
</tr>
<tr>
<td>PuSH/LL No.</td>
<td>Drift (%)</td>
<td>GCDP Observed Damage</td>
<td>Highlights</td>
</tr>
<tr>
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<tr>
<td>67</td>
<td>-6 Pull toward N</td>
<td>Long. bar B1 exposed on N-side, Kinking in spirals on N-side, Long. bar B7 exposed on S-side, more crushing of cover concrete on N-side, 0.24 in. core cracking at CFI on S-side, 0.18 in. gap below coupler and 0.06 in. cracking above coupler on S-side, maximum compressive strain of survived SGs was 83430 με at SG17 (Bar B1 0.5&quot; above CFI), maximum tensile strain was 44290 με at SG33 (Bar B7 11&quot; above CFI)</td>
<td>Exposing of Bars B1 and B7</td>
</tr>
<tr>
<td>69</td>
<td>6 Push toward S</td>
<td>Kinking in spirals on S-side, bars B6 &amp; B7 buckled, more crushing of cover concrete on S-side, partial conical failure of footing concrete with 0.53 in. uplift at the edges, 0.39 in. core cracking at CFI on N-side, 0.8 in. gap below coupler and 0.04 in. cracking above coupler on N-side, maximum compressive strain of good SGs was 70470 με at SG20 (Bar B6 0.5” above CFI), maximum tensile strain was 45930 με at SG7 (Bar B1 4” below CFI)</td>
<td>Buckling of Bars B6 and B7 on S-Side</td>
</tr>
<tr>
<td>71</td>
<td>-6 Pull toward N</td>
<td>Bar B1 buckled on N-side, more crushing of cover concrete on N-side, 0.2 in. core cracking at CFI on S-side</td>
<td>Buckling of Bar B1 on N-Side</td>
</tr>
<tr>
<td>73</td>
<td>8 Push toward S</td>
<td>Bars B6 and B7 buckled for the second time, 0.59 in. core cracking at CFI on S-side, 0.11 in. cracking above coupler on S-side, partial conical failure of footing concrete with 0.59 in. uplift at the edges</td>
<td></td>
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<tr>
<td>75</td>
<td>-8 Pull toward N</td>
<td>Bars B1 and B11 buckled again on N-side, more crushing of cover concrete on N-side, 0.39 in. core cracking at CFI on S-side, 0.18 in. gap below coupler and 0.08 in. cracking above coupler on S-side</td>
<td>Buckling of Bars B1 &amp; B11 on N-Side</td>
</tr>
<tr>
<td>77</td>
<td>8 Push toward S</td>
<td>Spiral rupture 4” above CIP on S-side tangent to Bar B7, Bars B6 and B7 buckled for the third time, bar B2 exposed, partial conical failure of footing concrete with 0.91 in. uplift at the edges, 0.59 in. core cracking at CFI on N-side, 0.27 in. cracking above coupler on N-side</td>
<td>Fracturing of Spiral on S-Side</td>
</tr>
<tr>
<td>79</td>
<td>8 Pull toward N</td>
<td>Bars B1 and B11 buckled again on N-side, Bar B2 buckled for the first time, Bar B6 ruptured on S-side at 4” above CFI,</td>
<td>Fracturing of Bar B6</td>
</tr>
<tr>
<td>81</td>
<td>-10 Pull toward N</td>
<td>Continue the test to -10% drift, two more bars B? and B? ruptured</td>
<td>Continue the test to -10% Drift</td>
</tr>
<tr>
<td>83</td>
<td>10 Push toward S</td>
<td>Two bars B1 and B? ruptured on N-side, severe concrete damage, penetration of damage to the core</td>
<td>Fracturing of two Bars on N-face</td>
</tr>
</tbody>
</table>

1 in. = 25.4 mm; 1 kip = 4.45 kN;  N: North;  S: South;  E: East;  W: West
**Table 4.7- HCS Column Observed Damage**

<table>
<thead>
<tr>
<th>PuSH/LL No.</th>
<th>Drift (%)</th>
<th>HCS Observed Damage</th>
<th>Highlights</th>
</tr>
</thead>
<tbody>
<tr>
<td>1</td>
<td>0.25</td>
<td>No damage, maximum compressive strain was 798 με (με) at SG23 (SMA Bar B6, 8.125” above Column-Footing Interface (CFI)). maximum tensile strain was 576 με at SG20 (SMA Bar B1, 8.125” above CFI)</td>
<td>No cracks, axial load was 200.2 kips</td>
</tr>
<tr>
<td>3</td>
<td>-0.25</td>
<td>Few flexural cracks above 10” of CFI on S-face, maximum compressive strain was 917 με at SG21 (SMA Bar B10, 8.125” above CFI), maximum tensile strain was 805 με at SG24 (SMA Bar B5, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>5</td>
<td>0.25</td>
<td>Few flexural cracks above 15” of CFI on N-face, maximum compressive strain was 870 με at SG23 (SMA Bar B6, 8.125” above CFI), maximum tensile strain was 615 με at SG20 (SMA Bar B1, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>7</td>
<td>-0.25</td>
<td>Few flexural cracks above 18” of CFI on S-face, maximum compressive strain was 969 με at SG21 (SMA Bar B10, 8.125” above CFI), maximum tensile strain was 785 με at SG24 (SMA Bar B5, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>9</td>
<td>0.5</td>
<td>Few flexural cracks on N-face, maximum compressive strain was 1498 με at SG23 (SMA Bar B6, 8.125” above CFI), maximum tensile strain was 2763 με at SG21 (SMA Bar B10, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>11</td>
<td>-0.5</td>
<td>Few flexural cracks above 15” of CFI on S-face, maximum compressive strain was 1617 με at SG21 (SMA Bar B10, 8.125” above CFI), maximum tensile strain was 3467 με at SG23 (SMA Bar B6, 8.125” above CFI).</td>
<td></td>
</tr>
<tr>
<td>13</td>
<td>0.5</td>
<td>Few cracks above 20” of CFI on N-face, maximum compressive strain was 1571 με at SG22 (SMA Bar B7, 8.125” above CFI), maximum tensile strain was 2894 με at SG21 (SMA Bar B10, 8.125” above CFI).</td>
<td></td>
</tr>
<tr>
<td>15</td>
<td>-0.5</td>
<td>No new crack, maximum compressive strain was 1611 με at SG21 (SMA Bar B10, 8.125” above CFI), maximum tensile strain was 3565 με at SG23 (SMA Bar B6, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>17</td>
<td>0.75</td>
<td>No new crack, maximum compressive strain was 1754 με at SG22 (SMA Bar B7, 8.125” above CFI), maximum tensile strain was 4661 με at SG21 (SMA Bar B10, 8.125” above CFI)</td>
<td>CFI cracking on N-face</td>
</tr>
<tr>
<td>19</td>
<td>-0.75</td>
<td>Extension of a crack above 10” of CFI on S-face, maximum compressive strain was 1715 με at SG20 (SMA Bar B1, 8.125” above CFI), maximum tensile strain was 5861 με at SG13 (Steel Bar B2, 1” below CFI)</td>
<td></td>
</tr>
<tr>
<td>21</td>
<td>0.75</td>
<td>No new cracks, maximum compressive strain was 1682 με at SG22 (SMA Bar B7, 8.125” above CFI), maximum tensile strain was 4877 με at SG21 (SMA Bar B10, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>23</td>
<td>-0.75</td>
<td>Few flexural cracks above 25” of CFI on S-face, maximum compressive strain was 1748 με at SG21 (SMA Bar B10, 8.125” above CFI), maximum tensile strain was 5894 με at SG13 (Steel Bar B2, 1” below CFI)</td>
<td></td>
</tr>
<tr>
<td>25</td>
<td>1</td>
<td>No new cracks, maximum compressive strain was 1995 με at SG23 (SMA Bar B6, 8.125” above CFI), maximum tensile strain was 6390 με at SG21 (SMA Bar B10, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>27</td>
<td>-1</td>
<td>Few flexural cracks above 20” of CFI on S-face, maximum compressive strain was 2000 με at SG21 (SMA Bar B10, 8.125” above CFI), maximum tensile strain was 7778 με at SG23 (SMA Bar B6, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>29</td>
<td>1</td>
<td>No new cracks, maximum compressive strain was 1962 με at SG23 (SMA Bar B6, 8.125” above CFI), maximum tensile strain was 6225 με at SG21 (SMA Bar B10, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>31</td>
<td>-1</td>
<td>No new cracks, maximum compressive strain was 2048 με at SG20 (SMA Bar B1, 8.125” above CFI), maximum tensile strain was 7837 με at SG23 (SMA Bar B6, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>33</td>
<td>2</td>
<td>Few flexural cracks above 20” of CFI on N-face, extending of a crack on N-side 10” above CFI w/ a width of 3/16”, maximum compressive strain was 3585 με at SG23 (SMA Bar B6, 8.125” above CFI), maximum tensile strain was 12400 με at SG21 (SMA Bar B10, 8.125” above CFI). First SMA bar yielding was observed at a displacement 1.556 in. with a 44.58-kip force. SMA bar B1 was also yielded measured by SG20</td>
<td>SMA bar B10 was yielded 8.125” above CFI, at 1.556 in. and 44.58 kips</td>
</tr>
<tr>
<td>35</td>
<td>-2</td>
<td>Few flexural cracks above 20” of CFI on S-face, extension of a crack on S-side 10” above CFI w/ a width of 5/16”, maximum compressive strain was 3724 με at SG20 (SMA Bar B1, 8.125” above CFI), maximum tensile strain was 13910 με at SG23 (SMA Bar B6, 8.125” above CFI)</td>
<td></td>
</tr>
<tr>
<td>36</td>
<td>Zero-Force</td>
<td>Minor damage of plastic hinge, the residual drift ratio was 0.144%</td>
<td></td>
</tr>
<tr>
<td>37</td>
<td>2</td>
<td>Few flexural cracks above 20” of CFI on N-face, extension of a crack on N-side 10” above CFI w/ a width of 3/16”, maximum compressive strain was 3428 με at</td>
<td></td>
</tr>
</tbody>
</table>

111
<table>
<thead>
<tr>
<th>PuSH/LL No.</th>
<th>Drift (%)</th>
<th>HCS Observed Damage</th>
<th>Highlights</th>
</tr>
</thead>
<tbody>
<tr>
<td>39</td>
<td>-2 Pull toward N</td>
<td>Few flexural cracks above 20° of CFI on S-face, extension of a crack on S-side 10° above CFI w/ a width of 5/16&quot;, maximum compressive strain was 6201 με at SG23 (SMA Bar B6, 8.125&quot; above CFI), maximum tensile strain was 18200 με at SG21 (SMA Bar B10, 8.125&quot; above CFI)</td>
<td>Concrete spalling in S-Side, first steel yielding at 2.426 in. displacement</td>
</tr>
<tr>
<td>41</td>
<td>3 Push toward S</td>
<td>Few flexural cracks above 20° of CFI on N-face, extension of a crack on N-side 10° above CFI w/ a width of 5/16&quot;, spalling of concrete on S-side, maximum compressive strain was 6424 με at SG23 (SMA Bar B6, 8.125&quot; above CFI), maximum tensile strain was 19780 με at SG21 (SMA Bar B10, 8.125&quot; above CFI). First steel bar yielding was observed at a displacement of 2.426 in. with a 57.59 kip force</td>
<td>Concrete spalling in N-Side</td>
</tr>
<tr>
<td>43</td>
<td>-3 Pull toward N</td>
<td>Few flexural cracks above 20° of CFI on S-face, extension of a crack on S-side 10° above CFI w/ a width of 7/16&quot;, spalling of concrete on N-side, maximum compressive strain was 6649 με at SG20 (SMA Bar B1, 8.125&quot; above CFI), maximum tensile strain was 17080 με at SG23 (SMA Bar B6, 8.125&quot; above CFI)</td>
<td>Concrete spalling in N-Side</td>
</tr>
<tr>
<td>44</td>
<td>Zero-Force</td>
<td>Minor damage of plastic hinge, visible cracks on both side of column, the residual drift ratio was 0.147%</td>
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</tr>
<tr>
<td>45</td>
<td>3 Push toward S</td>
<td>Few flexural cracks above 20° of CFI on N-face, extension of a crack on N-side 10° above CFI w/ a width of 5/16&quot;, maximum compressive strain was 6201 με at SG23 (SMA Bar B6, 8.125&quot; above CFI), maximum tensile strain was 18200 με at SG21 (SMA Bar B10, 8.125&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>47</td>
<td>-3 Pull toward N</td>
<td>No new cracks, extension of a crack on S-side 10° above CFI w/ a width of 0.5&quot;, maximum compressive strain was 4853 με at SG21 (SMA Bar B10, 8.125&quot; above CFI), maximum tensile strain was 17330 με at SG23 (SMA Bar B6, 8.125&quot; above CFI)</td>
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<tr>
<td>49</td>
<td>4 Push toward S</td>
<td>No new cracks, extension of a crack in N-side 10° above CFI w/ a width of 0.5&quot;, maximum compressive strain was 8452 με at SG23 (SMA Bar B6, 8.125&quot; above CFI), maximum tensile strain was 32210 με at SG21 (SMA Bar B10, 8.125&quot; above CFI)</td>
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</tr>
<tr>
<td>51</td>
<td>-4 Pull toward N</td>
<td>No new cracks, extension of a crack on S-side 10° above CFI w/ a width of 5/8&quot;, maximum compressive strain was 5827 με at SG30 (SMA Bar B1, 14.625&quot; above CFI), maximum tensile strain was 22950 με at SG23 (SMA Bar B6, 8.125&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>52</td>
<td>Zero-Force</td>
<td>Minor damage of plastic hinge, visible cracks on both sides of column, the residual drift ratio was 0.199%</td>
<td></td>
</tr>
<tr>
<td>53</td>
<td>4 Push toward S</td>
<td>No new cracks, extension of a crack on N-side 10° above CFI w/ a width of 9/16&quot;, maximum compressive strain was 7824 με at SG23 (SMA Bar B6, 8.125&quot; above CFI), maximum tensile strain was 32680 με at SG30 (SMA Bar B1, 14.625&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>55</td>
<td>-4 Pull toward N</td>
<td>No new cracks, extension of a crack in S-side 10° above CFI w/ a width of 5/8&quot;, maximum compressive strain was 5682 με at SG19 (SMA Bar B2, 8.125&quot; above CFI), maximum tensile strain was 22990 με at SG23 (SMA Bar B6, 8.125&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>56</td>
<td>Zero-Force</td>
<td>Minor damage of plastic hinge, crack width 10° above CFI was extending</td>
<td></td>
</tr>
<tr>
<td>57</td>
<td>5 Push toward S</td>
<td>Few shear cracks on W-side, extension of a crack on N-side 10° above CFI w/ a width of 3/4&quot;, maximum compressive strain was 9688 με at SG23 (SMA Bar B6, 8.125&quot; above CFI), maximum tensile strain was 39200 με at SG30 (SMA Bar B1, 14.625&quot; above CFI)</td>
<td>Shear Cracks</td>
</tr>
<tr>
<td>59</td>
<td>-5 Pull toward N</td>
<td>No new cracks, extension of a crack on S-side 10° above CFI w/ a width of 15/16&quot;, maximum compressive strain was 7781 με at SG20 (SMA Bar B1, 8.125&quot; above CFI), maximum tensile strain was 45010 με at SG23 (SMA Bar B6, 8.125&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>60</td>
<td>Zero-Force</td>
<td>Cover concrete began to crush on S-sides, the residual drift ratio was 0.247%</td>
<td></td>
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<tr>
<td>61</td>
<td>5 Push toward S</td>
<td>No new cracks, extension of a crack on N-side 10° above CFI w/ a width of 3/4&quot;, maximum compressive strain was 8452 με at SG23 (SMA Bar B6, 8.125&quot; above CFI), maximum tensile strain was 41400 με at SG30 (SMA Bar B1, 14.625&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>63</td>
<td>-5 Pull toward N</td>
<td>No new cracks, extension of a crack on S-side 10° above CFI w/ a width of 15/16&quot;, maximum compressive strain was 6728 με at SG19 (SMA Bar B2, 8.125&quot; above CFI), maximum tensile strain was 48280 με at SG23 (SMA Bar B6, 8.125&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>65</td>
<td>6 Push toward S</td>
<td>Few flexural cracks on N-side, extension of a crack on N-side 10° above CFI w/ a width of 7/8&quot;, maximum compressive strain of functional SG was 11180 με at SG17 (steel Bar B6, 1&quot; below CFI), maximum tensile strain of functional SG was 48250 με at SG19 (SMA Bar B2, 8.125&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>PuSH/LL No.</td>
<td>Drift (%)</td>
<td>HCS Observed Damage</td>
<td>Highlights</td>
</tr>
<tr>
<td>-------------</td>
<td>-----------</td>
<td>---------------------</td>
<td>------------</td>
</tr>
<tr>
<td>67</td>
<td>-6 Pull toward N</td>
<td>Crushing of cover concrete on N-side, no new cracks, extension of a crack on S-side 10&quot; above CFI w/ a width of 1.187&quot;, maximum compressive strain of functional SG was 11410 με at SG20 (SMA Bar B1, 8.125&quot; above CFI), maximum tensile strain of functional SG was 58770 με at SG23 (SMA Bar B6, 8.125&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>68</td>
<td>Zero-Force</td>
<td>Damage of cover concrete on S-side was more than N-side, two major cracks on S-side and one major crack in N-side remained open, the residual drift ratio was 0.317%</td>
<td></td>
</tr>
<tr>
<td>69</td>
<td>6 Pull toward S</td>
<td>No new cracks, extension of a crack on N-side 10&quot; above CFI, maximum compressive strain of functional SG was 11600 με at SG17 (steel Bar B6, 1&quot; below CFI), maximum tensile strain of functional SG was 49300 με at SG19 (SMA Bar B2, 8.125&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>71</td>
<td>-6 Pull toward N</td>
<td>No new cracks, extension of a crack on S-side 10&quot; above CFI w/ a width of 1.187&quot;, maximum compressive strain of functional SG was 7264 με at SG19 (SMA Bar B2, 8.125&quot; above CFI), maximum tensile strain of functional SG was 58990 με at SG23 (SMA Bar B6, 8.125&quot; above CFI)</td>
<td></td>
</tr>
<tr>
<td>73</td>
<td>8 Push toward S</td>
<td>Width of a crack on N-side 10&quot; above CFI was 1.187&quot; in which the SMA bars were visible, more crushing of cover concrete on S-side</td>
<td></td>
</tr>
<tr>
<td>75</td>
<td>Push toward N</td>
<td>Width of a crack on S-side 10&quot; above CFI was 1.437&quot; in which the SMA bars were visible, more crushing of cover concrete on N-side</td>
<td></td>
</tr>
<tr>
<td>76</td>
<td>Zero-Force</td>
<td>Damage of cover concrete on S-side was more than N-side, two major cracks on S-side and one major crack on N-side remained open, the residual drift ratio was 0.468%</td>
<td></td>
</tr>
<tr>
<td>77</td>
<td>8 Push toward S</td>
<td>Width of a crack on N-side 10&quot; above CFI was 1.187&quot; in which the SMA bars were visible, more crushing of cover concrete on S-side</td>
<td></td>
</tr>
<tr>
<td>79</td>
<td>-8 Pull toward N</td>
<td>Width of a crack on S-side 10&quot; above CFI was 1.437&quot; in which the SMA bars were visible, more crushing of cover concrete on N-side</td>
<td></td>
</tr>
<tr>
<td>81</td>
<td>10 Push toward S</td>
<td>Width of a crack on N-side 10&quot; above CFI was 1.187&quot; in which the SMA bars were visible, more crushing of cover concrete on S-side, column-footing cracking was 1/8&quot;</td>
<td></td>
</tr>
<tr>
<td>83</td>
<td>-10 Pull toward N</td>
<td>One bar fractured on S-side, cover concrete damage was slightly more than the previous loading</td>
<td>Fracturing of one bar on S-side</td>
</tr>
<tr>
<td>84</td>
<td>Zero-Force</td>
<td>Damage of cover concrete on S-side was more than N-side, cover concrete crushed on S-side, the residual drift ratio was 1.281%, no visible spiral</td>
<td>No visible spiral</td>
</tr>
<tr>
<td>85</td>
<td>10 Push toward S</td>
<td>A major crack on N-side, no extra bar rupture</td>
<td></td>
</tr>
<tr>
<td>87</td>
<td>-10 Pull toward N</td>
<td>Cover concrete damage was slightly more than the previous loading, no extra bar rupture</td>
<td></td>
</tr>
<tr>
<td>89</td>
<td>12 Push toward S</td>
<td>Two bars ruptured on N-side</td>
<td>Fracturing of two bars on N-side</td>
</tr>
<tr>
<td>91</td>
<td>-12 Pull toward N</td>
<td>One bar fractured on S-side</td>
<td>Fracturing of one bars on S-side</td>
</tr>
</tbody>
</table>

1 in. = 25.4 mm; 1 kip = 4.45 kN; N: North; S: South; E: East; W: West
### Table 5.1 - Mode of Failure for All ABC Column Models

<table>
<thead>
<tr>
<th>Test</th>
<th>Specimen</th>
<th>Drift Capacity*</th>
<th>Mode of Failure</th>
<th>No. of Ruptured Bars</th>
<th>Location of Ruptured Bars</th>
</tr>
</thead>
<tbody>
<tr>
<td>Previous Research at UNR</td>
<td></td>
<td></td>
<td></td>
<td></td>
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</tr>
<tr>
<td>CIP</td>
<td>10%</td>
<td>Longitudinal Bar Fracture</td>
<td>Three</td>
<td>5 in. (76 mm) to 12 in. (305 mm) above column-footing interface (CIF)</td>
<td></td>
</tr>
<tr>
<td>GCNP</td>
<td>6%</td>
<td>Longitudinal Bar Fracture</td>
<td>Two</td>
<td>Both at 4.25 in (108 mm) below CIF</td>
<td></td>
</tr>
<tr>
<td>GCPP</td>
<td>6%</td>
<td>Longitudinal Bar Fracture</td>
<td>Two</td>
<td>Both at 4.94 in. (125 mm) below CIF</td>
<td></td>
</tr>
<tr>
<td>HCNP</td>
<td>10%</td>
<td>Longitudinal Bar Fracture</td>
<td>Two</td>
<td>One just below CIF, another 2 in. (51 mm) above CIF</td>
<td></td>
</tr>
<tr>
<td>HCPP</td>
<td>10%</td>
<td>Longitudinal Bar Fracture</td>
<td>Four</td>
<td>All at 5.13 in. (130 mm) below CIF</td>
<td></td>
</tr>
<tr>
<td>PNC</td>
<td>8%</td>
<td>Longitudinal Bar Fracture</td>
<td>Four</td>
<td>Three at 4 in. (102 mm) above CIF, 4th bar rupture could not be observed</td>
<td></td>
</tr>
<tr>
<td>GCDP</td>
<td>8%</td>
<td>Longitudinal Bar Fracture</td>
<td>Five</td>
<td>Two at 4 in. (102 mm) above CIF, other fractures could not be observed</td>
<td></td>
</tr>
<tr>
<td>HCS</td>
<td>10%</td>
<td>Longitudinal Bar Fracture</td>
<td>Four</td>
<td>Bar fracture location could not be observed</td>
<td></td>
</tr>
</tbody>
</table>

*: Largest drift level where column withstood at least one full cycle without any longitudinal bar fracture

### Table 5.2 - Lateral Load Strength Reduction Ratio at Each Drift Level for All ABC Columns (%)

<table>
<thead>
<tr>
<th>Column Model</th>
<th>5% Drift</th>
<th>6% Drift</th>
<th>8% Drift</th>
<th>10% Drift</th>
</tr>
</thead>
<tbody>
<tr>
<td>CIP</td>
<td>3.9</td>
<td>3.0</td>
<td>3.0</td>
<td>3.3</td>
</tr>
<tr>
<td>GCNP</td>
<td>4.7</td>
<td>3.5</td>
<td>4.9</td>
<td>43.5*</td>
</tr>
<tr>
<td>GCPP</td>
<td>4.0</td>
<td>3.1</td>
<td>30.3*</td>
<td>26.5</td>
</tr>
<tr>
<td>HCNP</td>
<td>4.6</td>
<td>2.9</td>
<td>3.6</td>
<td>2.7</td>
</tr>
<tr>
<td>HCPP</td>
<td>4.3</td>
<td>2.9</td>
<td>3.8</td>
<td>2.5</td>
</tr>
<tr>
<td>PNC</td>
<td>4.0</td>
<td>2.5</td>
<td>4.4</td>
<td>3.1</td>
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<tr>
<td>GCDP</td>
<td>4.1</td>
<td>3.2</td>
<td>5.2</td>
<td>3.3</td>
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<tr>
<td>HCS</td>
<td>3.4</td>
<td>1.8</td>
<td>1.4</td>
<td>1.6</td>
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</table>

* First longitudinal bar fracture
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</thead>
<tbody>
<tr>
<td>CIP</td>
<td>0.86</td>
<td>0.79</td>
<td>38.8</td>
<td>1.46</td>
<td>1.35</td>
<td>66.0</td>
<td>10.7</td>
<td>9.93</td>
<td>7.36</td>
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<tr>
<td>GCNP</td>
<td>0.81</td>
<td>0.75</td>
<td>38.1</td>
<td>1.42</td>
<td>1.31</td>
<td>66.9</td>
<td>6.43</td>
<td>5.95</td>
<td>4.52</td>
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<tr>
<td>GCPP</td>
<td>0.96</td>
<td>0.89</td>
<td>43.1</td>
<td>1.41</td>
<td>1.31</td>
<td>63.8</td>
<td>6.41</td>
<td>5.93</td>
<td>4.53</td>
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<tr>
<td>HCNP</td>
<td>1.26</td>
<td>1.17</td>
<td>51.8</td>
<td>1.64</td>
<td>1.52</td>
<td>67.5</td>
<td>10.6</td>
<td>9.85</td>
<td>6.49</td>
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<tr>
<td>HCPP</td>
<td>0.95</td>
<td>0.88</td>
<td>40.2</td>
<td>1.57</td>
<td>1.45</td>
<td>66.4</td>
<td>11.1</td>
<td>10.28</td>
<td>7.07</td>
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</tr>
<tr>
<td>PNC</td>
<td>0.96</td>
<td>0.89</td>
<td>40.3</td>
<td>1.54</td>
<td>1.42</td>
<td>63.7</td>
<td>9.67</td>
<td>8.96</td>
<td>6.30</td>
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<tr>
<td>GCDP</td>
<td>0.86</td>
<td>0.8</td>
<td>38.9</td>
<td>1.33</td>
<td>1.23</td>
<td>59.9</td>
<td>9.43</td>
<td>8.73</td>
<td>7.07</td>
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<td>1.44</td>
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<td>2.16</td>
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<td>11.19</td>
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1 in.=25.4 mm; 1 kip=4.448 kN; Column Height=108 in.; Design Displacement Ductility Capacity=7
<table>
<thead>
<tr>
<th>Reference</th>
<th>Specimens</th>
<th>Field</th>
<th>Austenite modulus, $k_1$, ksi</th>
<th>Post-yield Stiffness, $k_2$, ksi</th>
<th>Austenite yield strength, $f_y$, ksi</th>
<th>Lower plateau stress factor, $\beta$</th>
<th>Ultimate Strain, $\varepsilon_u$ (%)</th>
<th>Post-yield Stiffness Ratio, $a=k_3/k_1$</th>
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</thead>
<tbody>
<tr>
<td>Saaid and Wang, 2006</td>
<td>#4 Bar (Ø12.7mm)</td>
<td>Tension</td>
<td>5760</td>
<td>76</td>
<td>54.9</td>
<td>0.59</td>
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</tr>
<tr>
<td></td>
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<td>Comp.</td>
<td>--</td>
<td>--</td>
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<td>Yousef et al., 2008</td>
<td>Bar (Ø20.6 mm)</td>
<td>Tension</td>
<td>9065</td>
<td>269</td>
<td>58.2</td>
<td>0.35</td>
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<td>--</td>
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<tr>
<td>SAES Ref. Bar, 2012</td>
<td>#10 Bar (Ø32.26mm)</td>
<td>Tension</td>
<td>5402</td>
<td>356</td>
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<td>0.61</td>
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<td>0.21</td>
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<td>SAES, 2013</td>
<td>#10 Bar (Ø32.26mm)</td>
<td>Tension</td>
<td>5701</td>
<td>222</td>
<td>53.8</td>
<td>0.77</td>
<td>23.1</td>
<td>0.18</td>
</tr>
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<td></td>
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<td>Comp.</td>
<td>--</td>
<td>--</td>
<td>--</td>
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<tr>
<td>SAES, 2013</td>
<td>#10 Bar (Ø32.26mm)</td>
<td>Tension</td>
<td>6162</td>
<td>225</td>
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<td>0.64</td>
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<td>0.15</td>
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<td>Comp.</td>
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<td>--</td>
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<td>SAES, 2013</td>
<td>#10 Bar (Ø32.26mm)</td>
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<tr>
<td>SAES, 2013</td>
<td>#10 Bar (Ø32.26mm)</td>
<td>Tension</td>
<td>5701</td>
<td>222</td>
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<td>0.77</td>
<td>23.1</td>
<td>0.18</td>
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<td>--</td>
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<td>SAES, 2013</td>
<td>#10 Bar (Ø32.26mm)</td>
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<td>6058</td>
<td>225</td>
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<td>Comp.</td>
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<td>--</td>
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<tr>
<td>UNR One Ends Headed</td>
<td>#4 Bar (Ø12.7mm)</td>
<td>Tension</td>
<td>6392</td>
<td>225</td>
<td>54.1</td>
<td>0.64</td>
<td>22.3</td>
<td>0.15</td>
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<tr>
<td>UNR Both Ends Headed</td>
<td>#4 Bar* (Ø12.7mm)</td>
<td>Tension</td>
<td>9820</td>
<td>235</td>
<td>59.6</td>
<td>0.69</td>
<td>6.11**</td>
<td>--</td>
</tr>
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<td>Comp.</td>
<td>--</td>
<td>--</td>
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<tr>
<td>UNR Both Ends Headed</td>
<td>#10 Bar* (Ø32.26mm)</td>
<td>Tension</td>
<td>4951</td>
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<td>0.38</td>
<td>5.5**</td>
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<tr>
<td>Nakashoji, 2014</td>
<td>#4 Bar (Ø12.7mm)</td>
<td>Tension</td>
<td>4450</td>
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<td>0.38</td>
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<tr>
<td>Nakashoji, 2014</td>
<td>#4 Bar (Ø12.7mm)</td>
<td>Tension</td>
<td>4880</td>
<td>265</td>
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<td>0.57</td>
<td>6.0**</td>
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<td>Comp.</td>
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<td>--</td>
<td>--</td>
<td>--</td>
<td>--</td>
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</tr>
<tr>
<td>McCormick, 2006</td>
<td>#8 Bar (Ø25.4mm)</td>
<td>Tension</td>
<td>4061</td>
<td>440</td>
<td>55.6</td>
<td>0.52</td>
<td>$\geq 6$</td>
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<tr>
<td></td>
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<td>Comp.</td>
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<tr>
<td>McCormick, 2006</td>
<td>#4 Bar (Ø12.7mm)</td>
<td>Tension</td>
<td>4000</td>
<td>563</td>
<td>60.0</td>
<td>0.39</td>
<td>$\geq 6$</td>
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<td>Comp.</td>
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<td>--</td>
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<tr>
<td>Frick et al., 2004</td>
<td>Hot-Rolled (Ø12.7mm)</td>
<td>Tension</td>
<td>6265</td>
<td>10</td>
<td>55.9</td>
<td>0.89</td>
<td>$\geq 7.5$</td>
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<td>Comp.</td>
<td>12545</td>
<td>1098</td>
<td>73.0</td>
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<td>$\geq 3.5$</td>
<td>0.21</td>
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<tr>
<td>Frick et al., 2004</td>
<td>Cold-Drawn (Ø12.7mm)</td>
<td>Tension</td>
<td>3785</td>
<td>544</td>
<td>48.7</td>
<td>0.77</td>
<td>$\geq 7.5$</td>
<td>0.61</td>
</tr>
<tr>
<td></td>
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<td>Comp.</td>
<td>7513</td>
<td>1752</td>
<td>68.0</td>
<td>0.78</td>
<td>$\geq 3.5$</td>
<td>0.85</td>
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<tr>
<td>Plietsch, Ehrich, 2006</td>
<td>0.03mm</td>
<td>Tension</td>
<td>3476</td>
<td>95</td>
<td>45.8</td>
<td>0.72</td>
<td>$\geq 8$</td>
<td>0.24</td>
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<td>Comp.</td>
<td>6647</td>
<td>1329</td>
<td>69.8</td>
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<td>$\geq 4$</td>
<td>0.33</td>
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<td>Ave. Tension</td>
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<td></td>
<td>5615</td>
<td>256</td>
<td>55.0</td>
<td>0.63</td>
<td>--</td>
<td>0.27</td>
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<tr>
<td>Ave. Comp.</td>
<td></td>
<td></td>
<td>8902</td>
<td>1393</td>
<td>70.3</td>
<td>0.68</td>
<td>--</td>
<td>0.46</td>
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<tr>
<td>Statistic analysis for NiTi SE SMA properties to be used in design and analysis.</td>
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<tr>
<td>Range: average (Ave.) ± one standard deviation (STD)</td>
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<td></td>
<td></td>
<td></td>
<td></td>
<td></td>
</tr>
<tr>
<td>Lower Range for Tension</td>
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<td></td>
<td>3980</td>
<td>103</td>
<td>50.9</td>
<td>0.48</td>
<td>--</td>
<td>0.12</td>
</tr>
<tr>
<td>Upper Range for Tension</td>
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<td></td>
<td>12086</td>
<td>1725</td>
<td>72.8</td>
<td>0.77</td>
<td>--</td>
<td>0.80</td>
</tr>
<tr>
<td>Lower Range for Comp.</td>
<td></td>
<td></td>
<td>5717</td>
<td>1061</td>
<td>67.7</td>
<td>0.59</td>
<td>--</td>
<td>0.12</td>
</tr>
</tbody>
</table>

$^1$ ksi = 6.894 MPa
* SMA bar annealed in oven with 525 oC for 15 minutes.
** Connection failure
† Tensile specimen was a flat dog-bone specimen with a 25 mm length and a 3mm × 1mm gage cross section and compressive specimen was a rectangular section with dimensions of 4mm × 4mm × 8mm.
### Table 6.2- Minimum and Expected Tensile NiTi SE SMA Mechanical Properties

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Minimum*</th>
<th>Expected**</th>
</tr>
</thead>
<tbody>
<tr>
<td>Austenite modulus, $k_1$</td>
<td>4500 ksi (31025 MPa)</td>
<td>5500 ksi (37900 MPa)</td>
</tr>
<tr>
<td>Post yield stiffness, $k_2$</td>
<td>--</td>
<td>250 ksi (1725 MPa)</td>
</tr>
<tr>
<td>Austenite yield strength, $f_y$</td>
<td>45 ksi (310 MPa)</td>
<td>55 ksi (380 MPa)</td>
</tr>
<tr>
<td>Lower plateau stress factor, $\beta$</td>
<td>0.45</td>
<td>0.65</td>
</tr>
<tr>
<td>Recoverable superelastic strain, $\varepsilon_r$</td>
<td>6%</td>
<td>6%</td>
</tr>
<tr>
<td>Secondary post-yield stiffness ratio, $\alpha$</td>
<td>--</td>
<td>0.3</td>
</tr>
<tr>
<td>Ultimate strain, $\varepsilon_u$</td>
<td>10%</td>
<td>10%</td>
</tr>
</tbody>
</table>

* To be used in material production  
** To be used in seismic design of SMA-reinforced concrete members

### Table 6.3- Expected Compressive NiTi SE SMA Mechanical Properties

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Expected</th>
</tr>
</thead>
<tbody>
<tr>
<td>Austenite modulus, $k_1$</td>
<td>8900 ksi (61365 MPa)</td>
</tr>
<tr>
<td>Post yield stiffness, $k_2$</td>
<td>1400 ksi (9650 MPa)</td>
</tr>
<tr>
<td>Austenite yield strength, $f_y$</td>
<td>70 ksi (480 MPa)</td>
</tr>
<tr>
<td>Lower plateau stress factor, $\beta$</td>
<td>0.65</td>
</tr>
<tr>
<td>Recoverable superelastic strain, $\varepsilon_r$</td>
<td>3%</td>
</tr>
<tr>
<td>Secondary post-yield stiffness ratio, $\alpha$</td>
<td>0.45</td>
</tr>
<tr>
<td>Ultimate strain, $\varepsilon_u$</td>
<td>10%</td>
</tr>
</tbody>
</table>

### Table 6.4- Plain SMA Bar Dimensions

<table>
<thead>
<tr>
<th>Bar Size No. (mm)</th>
<th>Nominal Diameter in. (mm)</th>
<th>Cross Sectional Area in.$^2$ (mm$^2$)</th>
<th>Availability</th>
</tr>
</thead>
<tbody>
<tr>
<td>#3 (Ø10)</td>
<td>0.375 (9.5)</td>
<td>0.11 (71)</td>
<td>No</td>
</tr>
<tr>
<td>#4 (Ø13)</td>
<td>0.500 (12.7)</td>
<td>0.20 (129)</td>
<td></td>
</tr>
<tr>
<td>#5 (Ø16)</td>
<td>0.625 (15.9)</td>
<td>0.31 (199)</td>
<td></td>
</tr>
<tr>
<td>#6 (Ø19)</td>
<td>0.750 (19.1)</td>
<td>0.44 (284)</td>
<td></td>
</tr>
<tr>
<td>#7 (Ø22)</td>
<td>0.875 (22.2)</td>
<td>0.60 (387)</td>
<td>Yes</td>
</tr>
<tr>
<td>#8 (Ø25)</td>
<td>1.000 (25.4)</td>
<td>0.79 (510)</td>
<td></td>
</tr>
<tr>
<td>#9 (Ø29)</td>
<td>1.128 (28.7)</td>
<td>1.00 (645)</td>
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</tr>
<tr>
<td>#10 (Ø32)</td>
<td>1.270 (32.3)</td>
<td>1.27 (819)</td>
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</tr>
<tr>
<td>#11 (Ø36)</td>
<td>1.410 (35.8)</td>
<td>1.56 (1006)</td>
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</tr>
<tr>
<td>#14 (Ø43)</td>
<td>1.693 (43.0)</td>
<td>2.25 (1452)</td>
<td>No</td>
</tr>
<tr>
<td>#18 (Ø57)</td>
<td>2.257 (57.3)</td>
<td>4.00 (2581)</td>
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</tbody>
</table>
Table 7.1- Model of Reinforcing SMA

<table>
<thead>
<tr>
<th>Proposed Model (Chapter 6)</th>
<th>OpenSees “SelfCentering” Model</th>
</tr>
</thead>
<tbody>
<tr>
<td>Austenite modulus, ( k_1 )</td>
<td>Initial stiffness, ( k_1 )</td>
</tr>
<tr>
<td>Post yield stiffness, ( k_2 )</td>
<td>Post-activation stiffness, ( k_2 )</td>
</tr>
<tr>
<td>Austenite yield strength, ( f_y )</td>
<td>Forward activation stress, ( \sigma_{Act} )</td>
</tr>
<tr>
<td>Lower plateau stress factor, ( \beta )</td>
<td>Ratio of forward to reverse activation stress, ( \beta )</td>
</tr>
<tr>
<td>Recoverable superelastic strain, ( \epsilon_r )</td>
<td>Bearing strain, ( \epsilon_{Bear} )</td>
</tr>
<tr>
<td>Secondary post-yield stiffness ratio, ( \alpha )</td>
<td>Ratio of bearing stiffness to initial stiffness, ( \epsilon_{Bear} )</td>
</tr>
<tr>
<td>Ultimate strain, ( \epsilon_u )</td>
<td>Slip strain*, ( \epsilon_{Slip} )</td>
</tr>
</tbody>
</table>

N/A N/A

* Slip strain, “\( \epsilon_{Slip} \)”, may be used to obtain residual strains. It is recommended that this strain be the “bearing strain” less 0.01 in./in. to develop 1% residual strain at and above “bearing strain”.

Table 7.2- Measured and Calculated Responses for Pullout Tests

<table>
<thead>
<tr>
<th>Specimen</th>
<th>Bar Size</th>
<th>Bar Diam., in. (mm)</th>
<th>Duct Diam., in (mm)</th>
<th>( L_{end} ) in. (mm)</th>
<th>Test Mode of Failure</th>
<th>Measured Force, (kips)</th>
<th>Calculated Force, (kips)</th>
<th>Error</th>
<th>Predicted Mode of Failure</th>
</tr>
</thead>
<tbody>
<tr>
<td>SP1</td>
<td>#8</td>
<td>1 (25)</td>
<td>3.12 (79)</td>
<td>8 (203)</td>
<td>Bar Fracture</td>
<td>56.47</td>
<td>50.65</td>
<td>10.3</td>
<td>Duct Pullout</td>
</tr>
<tr>
<td>SP2</td>
<td>#8</td>
<td>1 (25)</td>
<td>3.12 (79)</td>
<td>12 (305)</td>
<td>Bar Fracture</td>
<td>55.03</td>
<td>55.15</td>
<td>0.2</td>
<td>Bar Fracture</td>
</tr>
<tr>
<td>SP3</td>
<td>#8</td>
<td>1 (25)</td>
<td>3.12 (79)</td>
<td>3 (72)</td>
<td>Bar Fracture</td>
<td>56.24</td>
<td>48.01</td>
<td>14.6</td>
<td>Bar Pullout</td>
</tr>
<tr>
<td>SP4</td>
<td>2#8</td>
<td>1.418* (36)</td>
<td>4 (102)</td>
<td>8 (203)</td>
<td>Duct Pullout</td>
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<td>3.6</td>
<td>Duct Pullout</td>
</tr>
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<td>2#8</td>
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<td>12 (305)</td>
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<td>97.77</td>
<td>9.0</td>
<td>Duct Pullout</td>
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<tr>
<td>SP6</td>
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<td>4 (102)</td>
<td>3 (72)</td>
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<td>96.1</td>
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<td>Bar Pullout</td>
</tr>
<tr>
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<td>55.15</td>
<td>0.8</td>
<td>Bar Fracture</td>
</tr>
<tr>
<td>SP8</td>
<td>#8</td>
<td>1 (25)</td>
<td>3.12 (79)</td>
<td>5 (127)</td>
<td>Bar Fracture</td>
<td>56.05</td>
<td>55.15</td>
<td>1.6</td>
<td>Bar Fracture</td>
</tr>
<tr>
<td>SP9</td>
<td>2#8</td>
<td>1 (25)</td>
<td>6.24* (158)</td>
<td>8 (203)</td>
<td>Bars Fracture</td>
<td>109.84</td>
<td>101.8</td>
<td>7.3</td>
<td>Duct Pullout</td>
</tr>
<tr>
<td>SP10</td>
<td>2#8</td>
<td>1 (25)</td>
<td>6.24* (158)</td>
<td>12 (305)</td>
<td>Bars Fracture</td>
<td>102.45</td>
<td>110.4</td>
<td>7.8</td>
<td>Bar Fracture</td>
</tr>
<tr>
<td>SP11</td>
<td>#11</td>
<td>1.41 (36)</td>
<td>4 (102)</td>
<td>11.3 (286)</td>
<td>Duct Pullout</td>
<td>93.93</td>
<td>92.65</td>
<td>1.4</td>
<td>Duct Pullout</td>
</tr>
<tr>
<td>SP12</td>
<td>#11</td>
<td>1.41 (36)</td>
<td>4 (102)</td>
<td>16.9 (430)</td>
<td>Bar Fracture</td>
<td>106.49</td>
<td>114.7</td>
<td>7.7</td>
<td>Bar Fracture</td>
</tr>
<tr>
<td>SP13</td>
<td>#11</td>
<td>1.41 (36)</td>
<td>4 (102)</td>
<td>4.2 (107)</td>
<td>Bar Fracture</td>
<td>110.76</td>
<td>91.18</td>
<td>17.7</td>
<td>Bar Pullout</td>
</tr>
<tr>
<td>SP14b</td>
<td>#11</td>
<td>1.41 (36)</td>
<td>5.26 (134)</td>
<td>11.3 (286)</td>
<td>Bar Fracture</td>
<td>110.93</td>
<td>114.7</td>
<td>3.4</td>
<td>Bar Fracture</td>
</tr>
</tbody>
</table>

* Equivalent Diameter

<table>
<thead>
<tr>
<th></th>
<th>Average Error</th>
<th>7.7</th>
</tr>
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<tbody>
<tr>
<td>1 kip =4.448 kN</td>
<td></td>
<td></td>
</tr>
</tbody>
</table>
### Table 7.3 - Fiber Material Models Used in CIP Column Simulation

<table>
<thead>
<tr>
<th>Concrete Fibers</th>
<th>Application: unconfined concrete</th>
<th>Application: confined concrete (based on Mander’s model)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Type: Concrete01</td>
<td>$f'_{cc} = -4446$ psi (-30.6 MPa)</td>
<td>$f'_{cc} = -6996$ psi (-48.2 MPa)</td>
</tr>
<tr>
<td>$\epsilon_{cc} = -0.002$ in./in.</td>
<td>$\epsilon_{cc} = -0.0077$ in./in.</td>
<td>$\epsilon_{cc} = -0.0077$ in./in.</td>
</tr>
<tr>
<td>$f'_{cu} = 0.0$ psi (0.0 MPa)</td>
<td>$f'_{cu} = 0.0$ psi (0.0 MPa)</td>
<td>$f'_{cu} = 0.0$ psi (0.0 MPa)</td>
</tr>
<tr>
<td>$\epsilon_{cu} = -0.005$ in./in.</td>
<td>$\epsilon_{cu} = -0.005$ in./in.</td>
<td>$\epsilon_{cu} = -0.0219$ in./in.</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Steel Fibers</th>
<th>Application: first integration point at column base accounting for bond-slip effect</th>
<th>Application: second to fifth integration points</th>
</tr>
</thead>
<tbody>
<tr>
<td>Type: ReinfSteel</td>
<td>$f_y = 66.8$ ksi (460.6 MPa)</td>
<td>$f_y = 66.8$ ksi (460.6 MPa)</td>
</tr>
<tr>
<td>$f_u = 111.0$ ksi (765.3 MPa)</td>
<td>$f_u = 29000$ ksi (200000 MPa)</td>
<td>$f_u = 29000$ ksi (200000 MPa)</td>
</tr>
<tr>
<td>$E_s = 17854$ ksi (123099 MPa)</td>
<td>$E_s = 17854$ ksi (123099 MPa)</td>
<td>$E_s = 17854$ ksi (123099 MPa)</td>
</tr>
<tr>
<td>$E_{sh} = 0.0693 E_s$</td>
<td>$E_{sh} = 0.015 E_s$</td>
<td>$R_0=18, c_{R1}=0.925, c_{R2}=0.15$</td>
</tr>
<tr>
<td>$\epsilon_{sh} = 0.0064$ in./in.</td>
<td>$\epsilon_{sh} = 0.0064$ in./in.</td>
<td>$\epsilon_{sh} = 0.0064$ in./in.</td>
</tr>
<tr>
<td>$\epsilon_{cu} = 0.102$ in./in.</td>
<td>$\epsilon_{cu} = 0.102$ in./in.</td>
<td>$\epsilon_{cu} = 0.102$ in./in.</td>
</tr>
</tbody>
</table>

### Table 7.4 - Reinforcing Steel Material Model Properties Used in CIP

<table>
<thead>
<tr>
<th>Parameters</th>
<th>Original Steel Model</th>
<th>Modified Steel Model*</th>
</tr>
</thead>
<tbody>
<tr>
<td>Yield stress, $f_y$ =</td>
<td>$66.8$ ksi (460.6 MPa)</td>
<td>$66.8$ ksi (460.6 MPa)</td>
</tr>
<tr>
<td>Ultimate stress, $f_u$ =</td>
<td>$111$ ksi (765.3 MPa)</td>
<td>$111$ ksi (765.3 MPa)</td>
</tr>
<tr>
<td>Modulus of elasticity, $E_s$ =</td>
<td>$29000$ ksi (200000 MPa)</td>
<td>$17858$ ksi (123126 MPa)</td>
</tr>
<tr>
<td>Strain hardening stiffness, $E_{sh}$ =</td>
<td>$1247$ ksi (8783.9 MPa)</td>
<td>$1239$ ksi (8542.6 MPa)</td>
</tr>
<tr>
<td>Strain at strain hardening, $\epsilon_{sh}$ =</td>
<td>$0.005$ in./in.</td>
<td>$0.0064$ in./in.</td>
</tr>
<tr>
<td>Ultimate strain, $\epsilon_{cu}$ =</td>
<td>$0.1$ in./in.</td>
<td>$0.102$ in./in.</td>
</tr>
<tr>
<td>Yield strain, $\epsilon_{y}$ =</td>
<td>$0.0023$ in./in.</td>
<td>$0.0037$ in./in.</td>
</tr>
</tbody>
</table>

* accounting for the bond-slip effect
### Table 7.5 - Fiber Material Models Used in PNC Column Simulation

<table>
<thead>
<tr>
<th>Concrete Fibers</th>
<th>Application: unconfined concrete</th>
<th>Application: confined concrete (based on Mander’s model)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Type: Concrete01</td>
<td>$f'_{cc} = 3290 \text{ psi (-22.7 MPa)}$</td>
<td>$f'_{cc} = -5385 \text{ psi (-37.1 MPa)}$</td>
</tr>
<tr>
<td>$\epsilon_{cc} = -0.002 \text{ in./in.}$</td>
<td>$\epsilon_{cc} = -0.0084 \text{ in./in.}$</td>
<td>$\epsilon_{cc} = -0.024 \text{ in./in.}$</td>
</tr>
<tr>
<td>$f'_{cu} = 0.0 \text{ psi (0.0 MPa)}$</td>
<td>$f'_{cu} = 0.0 \text{ psi (0.0 MPa)}$</td>
<td>$f'_{cu} = -4833 \text{ psi (-33.3 MPa)}$</td>
</tr>
<tr>
<td>$\epsilon_{cu} = -0.005 \text{ in./in.}$</td>
<td>$\epsilon_{cu} = -0.005 \text{ in./in.}$</td>
<td>$\epsilon_{cu} = -0.024 \text{ in./in.}$</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Concrete Fibers</th>
<th>Application: confined SCC (based on Mander’s model)</th>
</tr>
</thead>
<tbody>
<tr>
<td>Type: Concrete02</td>
<td>$f'_{cc} = -5385 \text{ psi (-37.1 MPa)}$</td>
</tr>
<tr>
<td>$\epsilon_{cc} = -0.0084 \text{ in./in.}$</td>
<td>$\epsilon_{cc} = -0.024 \text{ in./in.}$</td>
</tr>
<tr>
<td>$f'_{cu} = 430 \text{ psi (2.96 MPa)}$, based on ACI318-11</td>
<td>$f'_{cu} = -4833 \text{ psi (-33.3 MPa)}$</td>
</tr>
<tr>
<td>$\epsilon_{cu} = -0.024 \text{ in./in.}$</td>
<td>$\epsilon_{cu} = -0.024 \text{ in./in.}$</td>
</tr>
<tr>
<td>$f_{c} = 430 \text{ psi (2.96 MPa)}$, based on ACI318-11</td>
<td>$f_{c} = 730 \text{ psi (5.0 MPa)}$, based on ACI318-11</td>
</tr>
<tr>
<td>$E_t = 14400 \text{ psi (99.3 MPa)}$</td>
<td>$E_t = 24395 \text{ psi (168.2 MPa)}$</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>Steel Fibers</th>
<th>Application: second to fifth integration points</th>
</tr>
</thead>
<tbody>
<tr>
<td>Type: ReinforcingSteel</td>
<td>$f_{y} = 65.7 \text{ ksi (453.4 MPa)}$</td>
</tr>
<tr>
<td>$f_{su} = 91.66 \text{ ksi (631.9 MPa)}$</td>
<td>$f_{su} = 730 \text{ psi (5.0 MPa)}$, based on ACI318-11</td>
</tr>
<tr>
<td>$E_s = 29000 \text{ ksi (200000 MPa)}$</td>
<td>$E_s = 24395 \text{ psi (168.2 MPa)}$</td>
</tr>
<tr>
<td>$E_{sh} = 0.0596 E_s$</td>
<td>$E_{sh} = 0.185 E_s$</td>
</tr>
<tr>
<td>$\epsilon_{sh} = 0.1159 \text{ in./in.}$ (use smaller value to converge*)</td>
<td>$\epsilon_{sh} = 0.1159 \text{ in./in.}$ (use smaller value to converge*)</td>
</tr>
<tr>
<td>$\epsilon_{su} = 0.119 \text{ in./in.}$</td>
<td>$\epsilon_{su} = 0.119 \text{ in./in.}$</td>
</tr>
</tbody>
</table>

* It was found that the yield plateau of this steel model is source of convergence issue in many cases. Smaller yield plateau (smaller $\epsilon_{sh}$) may be used.
**Table 7.6- Fiber Material Models Used in GCDP Column Simulation**

<table>
<thead>
<tr>
<th>Concrete Fibers</th>
<th>Steel Fibers</th>
</tr>
</thead>
<tbody>
<tr>
<td><strong>Application:</strong> unconfined concrete</td>
<td><strong>Application:</strong> unconfined concrete (based on Mander’s model)</td>
</tr>
<tr>
<td><strong>Type:</strong> Concrete01</td>
<td><strong>Type:</strong> Concrete02</td>
</tr>
<tr>
<td>$f'_{cc}$ = -3210 psi (-22.1 MPa)</td>
<td>$f'_{cc}$ = -5327 psi (-36.7 MPa)</td>
</tr>
<tr>
<td>$\varepsilon_{cc}$ = -0.002 in./in.</td>
<td>$\varepsilon_{cc}$ = -0.0086 in./in.</td>
</tr>
<tr>
<td>$f'_{cu}$ = 0.0 psi (0.0 MPa)</td>
<td>$f'_{cu}$ = -4799 psi (-33.1 MPa)</td>
</tr>
<tr>
<td>$\varepsilon_{cu}$ = -0.005 in./in.</td>
<td>$\varepsilon_{cu}$ = -0.025 in./in.</td>
</tr>
<tr>
<td>$f_{ct}$ = 425 psi (2.93 MPa), based on ACI318-11</td>
<td>$f_{ct}$ = 425 psi (2.93 MPa), based on ACI318-11</td>
</tr>
<tr>
<td>$E_t$ = 14227 psi (98.1 MPa)</td>
<td>$E_t$ = 14227 psi (98.1 MPa)</td>
</tr>
</tbody>
</table>

| **Application:** confined concrete (based on Mander’s model) | **Application:** confined SCC (based on Mander’s model) |
| **Type:** Concrete02 | **Type:** Concrete02 |
| $f_{cc}$ = -5327 psi (-36.7 MPa) | $f_{cc}$ = -11241 psi (-77.5 MPa) |
| $\varepsilon_{cc}$ = -0.0086 in./in. | $\varepsilon_{cc}$ = -0.0048 in./in. |
| $f_{cu}$ = -4799 psi (-33.1 MPa) | $f_{cu}$ = -7750 psi (-53.4 MPa) |
| $\varepsilon_{cu}$ = -0.025 in./in. | $\varepsilon_{cu}$ = -0.014 in./in. |
| $f_{ct}$ = 700 psi (4.83 MPa), based on ACI318-11 | $f_{ct}$ = 700 psi (4.83 MPa), based on ACI318-11 |
| $E_t$ = 23395 psi (161.3 MPa) | $E_t$ = 23395 psi (161.3 MPa) |

| **Application:** first integration point at column base accounting for bond-slip effect | **Application:** second integration point accounting for bar debonding effect |
| **Type:** ReinforcingSteel | **Type:** ReinforcingSteel |
| $f_y$ = 65.7 ksi (453.4 MPa) | $f_y$ = 65.7 ksi (453.4 MPa) |
| $f_{su}$ = 91.66 ksi (631.9 MPa) | $f_{su}$ = 91.66 ksi (631.9 MPa) |
| $E_s$ = 17750 ksi (122382 MPa) | $E_s$ = 13591 ksi (93707 MPa) |
| $E_{sh}$ = 0.097$E_s$ | $E_{sh}$ = 0.109$E_s$ |
| $\varepsilon_{sh}$ = 0.0125 in./in. (use smaller value to converge*) | $\varepsilon_{sh}$ = 0.013 in./in. (use smaller value to converge*) |
| $\varepsilon_{su}$ = 0.121 in./in. | $\varepsilon_{su}$ = 0.139 in./in. |

| **Application:** third to tenth integration points | **Application:** third to tenth integration points |
| **Type:** ReinforcingSteel | **Type:** ReinforcingSteel |
| $f_y$ = 65.7 ksi (453.4 MPa) | $f_y$ = 65.7 ksi (453.4 MPa) |
| $f_{su}$ = 91.66 ksi (631.9 MPa) | $f_{su}$ = 91.66 ksi (631.9 MPa) |
| $E_s$ = 29000 ksi (200000 MPa) | $E_s$ = 29000 ksi (200000 MPa) |
| $E_{sh}$ = 0.0596$E_s$ | $E_{sh}$ = 0.0596$E_s$ |
| $\varepsilon_{sh}$ = 0.011 in./in. (use smaller value to converge*) | $\varepsilon_{sh}$ = 0.011 in./in. (use smaller value to converge*) |
| $\varepsilon_{su}$ = 0.119 in./in. | $\varepsilon_{su}$ = 0.119 in./in. |

* It was found that the yield plateau of this steel model is source of convergence issue in many cases. Smaller yield plateau (smaller $\varepsilon_{sh}$) may be used.
### Table 7.7- Fiber Material Models Used in HCS Column Simulation

<table>
<thead>
<tr>
<th>Concrete Fibers</th>
<th>Concrete Fibers</th>
</tr>
</thead>
<tbody>
<tr>
<td>Application: unconfined ECC</td>
<td>Application: confined ECC (based on Motaref’s model)</td>
</tr>
<tr>
<td>Type: Concrete02</td>
<td>Type: Concrete02</td>
</tr>
<tr>
<td>( f'_{cc} = -6390 \text{ psi (-44.0 MPa)} )</td>
<td>( f'_{cc} = -7436 \text{ psi (-51.3 MPa)} )</td>
</tr>
<tr>
<td>( \varepsilon_{cc} = -0.002 \text{ in./in.} )</td>
<td>( \varepsilon_{cc} = -0.0036 \text{ in./in.} )</td>
</tr>
<tr>
<td>( f_{cu} = 0.0 \text{ psi (0.0 MPa)} )</td>
<td>( f'<em>{cc} ) 0.4 ( f'</em>{cc} )</td>
</tr>
<tr>
<td>( \varepsilon_{cu} = -0.005 \text{ in./in.} )</td>
<td>( \varepsilon_{cu} = -0.011 \text{ in./in.} )</td>
</tr>
<tr>
<td>( f_{ct} = 0.0 )</td>
<td>( f_{ct} = 0.0 )</td>
</tr>
<tr>
<td>( E = 0.0 )</td>
<td>( E = 0.0 )</td>
</tr>
</tbody>
</table>

Note:
1- No tensile strength for ECC resulted in a better match in terms of initial stiffness and unloading path.
2- The conventional concrete above the ECC level (1.5 column diameter) was not included in the model but ECC was used in all integration points of the column element.

<table>
<thead>
<tr>
<th>Steel Fibers</th>
<th>Steel Fibers</th>
</tr>
</thead>
<tbody>
<tr>
<td>Application: first integration point at column base accounting for bond-slip effect</td>
<td>Application: forth to seventh integration points</td>
</tr>
<tr>
<td>Type: ReinforcingSteel</td>
<td>Type: ReinforcingSteel</td>
</tr>
<tr>
<td>( f_s = 71.8 \text{ ksi (495.1 MPa)} )</td>
<td>( f_s = 71.8 \text{ ksi (495.1 MPa)} )</td>
</tr>
<tr>
<td>( f_u = 99.3 \text{ ksi (684.8 MPa)} )</td>
<td>( f_u = 99.3 \text{ ksi (684.8 MPa)} )</td>
</tr>
<tr>
<td>( E_s = 7013 \text{ ksi (48353 MPa)} )</td>
<td>( E_s = 29000 \text{ ksi (200000 MPa)} )</td>
</tr>
<tr>
<td>( E_{sh} = 0.087E_s )</td>
<td>( E_{sh} = 0.0215E_s )</td>
</tr>
<tr>
<td>( \varepsilon_{sh} = 0.021 \text{ in./in.} )</td>
<td>( \varepsilon_{sh} = 0.013 \text{ in./in.} )</td>
</tr>
<tr>
<td>( \varepsilon_{su} = 0.206 \text{ in./in.} )</td>
<td>( \varepsilon_{su} = 0.195 \text{ in./in.} )</td>
</tr>
</tbody>
</table>

<table>
<thead>
<tr>
<th>SMA Fibers</th>
<th>SMA Fibers</th>
</tr>
</thead>
<tbody>
<tr>
<td>Application: second integration point accounting for debonding effect</td>
<td>Application: third integration point</td>
</tr>
<tr>
<td>Type: SelfCentering</td>
<td>Type: SelfCentering</td>
</tr>
<tr>
<td>( k_1 = 4110.6 \text{ ksi (28341 MPa)} )</td>
<td>( k_1 = 7288.4 \text{ ksi (50251 MPa)} )</td>
</tr>
<tr>
<td>( k_2 = 147.0 \text{ ksi (1013 MPa)} )</td>
<td>( k_2 = 146.1 \text{ ksi (1007 MPa)} )</td>
</tr>
<tr>
<td>( f_s = 69.1 \text{ ksi (476 MPa)} )</td>
<td>( f_s = 69.1 \text{ ksi (476 MPa)} )</td>
</tr>
<tr>
<td>( \beta = 0.55 )</td>
<td>( \beta = 0.55 )</td>
</tr>
<tr>
<td>( \varepsilon_r = 0.067 \text{ in./in.} )</td>
<td>( \varepsilon_r = 0.06 \text{ in./in.} )</td>
</tr>
<tr>
<td>( \alpha = 0.458 )</td>
<td>( \alpha = 0.3 )</td>
</tr>
<tr>
<td>( \varepsilon_u = 0.113 \text{ in./in.} )</td>
<td>( \varepsilon_u = 0.1 \text{ in./in.} )</td>
</tr>
<tr>
<td>EQ. No.</td>
<td>Earthquake</td>
</tr>
<tr>
<td>---------</td>
<td>--------------------</td>
</tr>
<tr>
<td>1</td>
<td>San Fernando</td>
</tr>
<tr>
<td>2</td>
<td>Imperial Valley-06</td>
</tr>
<tr>
<td>3</td>
<td>Imperial Valley-06</td>
</tr>
<tr>
<td>4</td>
<td>Imperial Valley-06</td>
</tr>
<tr>
<td>5</td>
<td>Superstition Hills</td>
</tr>
<tr>
<td>6</td>
<td>Landers</td>
</tr>
<tr>
<td>7</td>
<td>Northridge-01</td>
</tr>
<tr>
<td>8</td>
<td>Northridge-01</td>
</tr>
<tr>
<td>9</td>
<td>Northridge-01</td>
</tr>
<tr>
<td>10</td>
<td>Northridge-01</td>
</tr>
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<td>11</td>
<td>Northridge-01</td>
</tr>
<tr>
<td>12</td>
<td>Kobe, Japan</td>
</tr>
<tr>
<td>13</td>
<td>Chi-Chi, Taiwan</td>
</tr>
<tr>
<td>14</td>
<td>Chi-Chi, Taiwan</td>
</tr>
<tr>
<td>15</td>
<td>Chi-Chi, Taiwan</td>
</tr>
</tbody>
</table>
Figures
Figure 1.1- First Reinforced Concrete Bridge in USA

Figure 1.2- First Prestressed Concrete Bridge in USA
Figure 1.3- High-Five Interchange Bridges, Dallas
Figure 1.4- Mechanical Bar Splices
Figure 1.5- Bridge Built with Grouted Bar Couplers (Culmo, 2009)
Figure 1.6- Bar Couplers in Column-to-Footing Connections (Haber et al., 2013)
Figure 1.7- Bridges Built with Grouted Duct Connections
Figure 1.8- Pocket Connection (Restrepo et al., 2011)
(a) Column Embedded in Footing Socket  
(b) Final Bent

Figure 1.9- Pocket Connection (Motaref et al., 2011)

(a) Column Embedded in Footing  
(b) Final Bridge

Figure 1.10- Member Socket Connection with Cast-in-Place Footing (Khaleghi et al., 2012)
Figure 1.11- Integral Connection (Marsh et al., 2011)

(a) Rubber Pad Placed in Steel Cage  (b) Final Column

Figure 1.12- Segmental Column with Elastomeric Rubber Plastic Hinge (Motaref et al., 2011)
Figure 1.13- Deconstructible Bridge Column (Varela and Saiidi, 2013)

(a) Steel Fibers
(b) UHPC Sample Section Cut

Figure 1.14- Steel Fibers for UHPC
(a) Compressive Behavior in Different Ages (Graybeal, 2006)

Figure 1.15- Measured UHPC Compressive Behavior

(b) Complete Compressive Stress-Strain Relationship (Gowripalan and Gilbert, 2000)
Figure 1.16- UHPC Tensile Behavior (Graybeal, 2006)

(a) Measured Tensile Stress-Strain

(b) Idealized Tensile Stress-Strain

Figure 1.17- UHPC Worldwide Applications (Russell and Graybeal, 2013)

(a) Sakata-Mirai bridge, Sakata, Japan

(b) Footbridge of Peace, Seoul, South Korea
Figure 1.18- ECC Stress-Strain (Li and Fischer, 2003)

Figure 1.19- Confined ECC Stress-Strain Model (Motaref et al., 2011)

\[
f'_{ce} = f'_{co} \left( -1.25 + 2 \sqrt{1 + \frac{10.5f'_t}{f'_{co}} - 2 \frac{f'_t}{f'_{co}}} \right)
\]

\[
\varepsilon_{ce} = 0.0025 \left[ 1 + 2.7\left( \frac{f'_{ce}}{f'_{co}} - 1 \right) \right]
\]

\[
\varepsilon_f = \varepsilon_{ce} \times \left( -0.8 \ln(f'_{ce}) + 9.5 \right)
\]

\[
f'_{ue} = 0.4 f'_{ce}
\]

\[
\varepsilon_{ue} = 0.004 + 1.4 \rho_s f_y \frac{\varepsilon_{sm}}{f'_{ce}}
\]
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3. Installing Column
4. Installing Column
5. Filling Core and head w/ SCC
6. Filling Core and head w/ SCC
7. Filling Core and head w/ SCC
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(a) North-East Side

(b) South-West Side

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(a) North-West Side

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(a) North-East Side

(b) South-West Side

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(a) North-West Side

(b) South-East Side
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(a) North-East Side
(b) South-West Side

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(a) North-West Side
(b) South-East Side
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(a) North-East Side  
(b) South-West Side

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(a) North-West Side  
(b) South-East Side
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(a) North-East Side  (b) South-West Side

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(a) North-East Side
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(b) South-West Side
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(a) North-West Side
(b) South-East Side
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(a) North-East Side
(b) South-West Side

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(a) North-West Side
(b) South-East Side
(a) North-East Side  
(b) South-West Side  
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(a) North-West Side  
(b) South-East Side  
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(a) North-East Side  (b) South-West Side

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(a) North-West Side  (b) South-East Side
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(a) North-East Side  (b) South-West Side

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(a) North-West Side  (b) South-East Side
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(a) North-East Side  (b) South-West Side

(a) North-West Side  (b) South-East Side

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Figure 4.70- HCS Column Plastic Hinge Damage, Second Pull of 1.0% Drift Cycle
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Figure 4.72- HCS Column Plastic Hinge Damage, Second Pull of 2.0% Drift Cycle
Figure 4.73- HCS Column Plastic Hinge Damage, Second Push of 3.0% Drift Cycle

Figure 4.74- HCS Column Plastic Hinge Damage, Second Pull of 3.0% Drift Cycle
Figure 4.75- HCS Column Plastic Hinge Damage, Second Push of 4.0% Drift Cycle

Figure 4.76- HCS Column Plastic Hinge Damage, Second Pull of 4.0% Drift Cycle
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(a) North Side  (b) South Side

Figure 4.78- HCS Column Plastic Hinge Damage, Second Pull of 5.0% Drift Cycle

(a) North Side  (b) South Side
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Figure 4.80 - HCS Column Plastic Hinge Damage, Second Pull of 6.0% Drift Cycle
Figure 4.81- HCS Column Plastic Hinge Damage, Second Push of 8.0% Drift Cycle

Figure 4.82- HCS Column Plastic Hinge Damage, Second Pull of 8.0% Drift Cycle
Figure 4.83- HCS Column Plastic Hinge Damage, Second Push of 10.0% Drift Cycle

(a) North Side  (b) South Side

Figure 4.84- HCS Column Plastic Hinge Damage, Second Pull of 10.0% Drift Cycle

(a) North Side  (b) South Side
Figure 4.85- HCS Column Plastic Hinge Damage, Push of 12.0% Drift Cycle

(a) North Side
(b) South Side

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(a) North Side
(b) South Side
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μ = 4.80 based on SMA bar yielding

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(a) North-Side of Column

(b) South-Side of Column
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Figure 5.12- Curvature Profile for PNC and CIP Columns
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Figure 5.15- GCDP, CIP, and GCPP Columns Plastic Hinge Damage at Second Pull of 5% Drift
Figure 5.16- GCDP, CIP, and GCPP Columns Plastic Hinge Damage at Second Push of 6% Drift

Figure 5.17- GCDP, CIP, and GCPP Columns Plastic Hinge Damage at Second Pull of 6% Drift
Figure 5.18- GCDP, CIP, and GCPP Columns Plastic Hinge Damage at Second Push of 8% Drift

Figure 5.19- GCDP, CIP, and GCPP Columns Plastic Hinge Damage at Second Pull of 8% Drift

GCPP failed at 6% drift
No test at this level
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Figure 5.24- Curvature Profile for GCDP, GCPP, and CIP Columns
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Figure 5.27- HCS, CIP, and HCNP Columns Plastic Hinge Damage at Second Pull of 5% Drift
Figure 5.28- HCS, CIP, and HCNP Columns Plastic Hinge Damage at Second Push of 6% Drift

Figure 5.29- HCS, CIP, and HCNP Columns Plastic Hinge Damage at Second Pull of 6% Drift
Figure 5.30- HCS, CIP, and HCNP Columns Plastic Hinge Damage at Second Push of 8% Drift

Figure 5.31- HCS, CIP, and HCNP Columns Plastic Hinge Damage at Second Pull of 8% Drift
Figure 5.32- HCS, CIP, and HCNP Columns Plastic Hinge Damage at Second Push of 10% Drift

Figure 5.33- HCS, CIP, and HCNP Columns Plastic Hinge Damage at Second Pull of 10% Drift
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Figure 5.35- Headed Bar Coupler and CIP Column Average Push/Pull Force-Drift Envelopes
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Figure 5.37- Base Moment-Rotation Relationship for HCS, HCNP, and CIP Columns

Figure 5.38- Curvature Profile for HCS, HCNP, and CIP Columns
Figure 5.39- Energy Dissipation for Headed Bar Coupler and CIP Columns

Figure 5.40- HCS, HCNP, and CIP Columns Residual Displacements
Figure 5.41 - PNC, GCDP, HCS, and CIP Column Average Push/Pull Force-Drift Envelopes

Figure 5.42 - PNC and CIP Columns Bar Large Plasticity
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Figure 5.45- Energy Dissipation for PNC, GCDP, HCS, and CIP Columns
Figure 5.46- Residual Displacements for PNC, GCDP, HCS, and CIP Columns
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Figure 6.2- Full-cycle Stress-Strain Relationship of NiTi SE SMA (Plietsch and Ehrich, 1997)
Figure 6.3- Tensile-Compressive Stress-Strain Relationship of NiTi SE SMA (Frick et al., 2004)

(a) Hot-Rolled NiTi

(b) Cold-Drawn NiTi

Figure 6.4- Cyclic Stress-Strain Relationship of NiTi SE SMA (Miyazaki et al., 1986)
Figure 6.5- Strain Rate Effect on Stress-Strain Relationship of NiTi SE SMA (McCormick, 2006)
(a) Thirty Minunes Load (R30)  (b) Sixty Minunes Load (R60)

(c) Ninty Minunes Load (R90)  (d) Hundred-twenty Minunes Load (R120)

Figure 6.6- Temperature profiles (°C) for a quarter 300-mm Diameter circular column (EVN 1992-1-2, 1996)
Figure 6.7- Atanackovic’s Stress-Strain Model for SE SMA (Atanackovic and Achenbach, 1989)

Figure 6.8- Graesser’s Stress-Strain Model for SE SMA (Graesser and Cozzarelli, 1991)
Figure 6.9- Auricchio’s Stress-Strain Model for SE SMA (Auricchio and Sacco, 1997)

Figure 6.10- ASTM NiTi SE SMA Tensile Test Sample and Nonlinear Model
Figure 6.11 - Nonlinear Model for SE SMA
(a) One-Cycle Tests from Different Studies

(b) Multi-Cycle Tests

Figure 6.12- Some of Tensile/Compressive Test Data Used for SE SMA Model

Figure 6.13- Tensile Test and Extracted Model for a #10 SE SMA Bar
Figure 7.1- Constitutive Concrete Material Models

Figure 7.2- Constitutive Steel Material Models
Figure 7.3- Constitutive Reinforcing SMA Material Model

\[ \text{Stress} \quad \text{Strain (\%)} \]

\[ k_3 = \alpha k_1 \]

\[ f_y \]

Nonlinear Model

\[ k_1 \]

\[ k_2 \]

\[ \beta f_y \]

\[ \epsilon_u \]

Figure 7.4- Distributed and Lumped Plasticity Elements

(a) Distributed Plasticity

(b) Lumped Plasticity
Figure 7.5 - Fiber-Section Beam Element with Bond-Slip Effect (Monti and Spacone, 2000)

Figure 7.6 - Bar Stress-Slip Relationship (Zhao and Sritharan, 2007)
Figure 7.7- Bond-Slip Effect on Bar Stress-Strain in Conventional Connections

Figure 7.8- Original and Modified Reinforcing Steel Models
Figure 7.9- Original and Modified Steel Fiber Stress-Strain Curves Accounting for Bond-Slip Effect

Figure 7.10- Bond-Slip Effect on Bar Stress-Strain in UHPC-Filled Duct Connections
Figure 7.11 - Finite Element Model for Pullout Tests

Figure 7.12 - Calculated Profiles for SP1 in Pullout Tests
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Figure 7.14- Measured and Calculated Pull Force-Duct Slip Curves

Figure 7.15- Measured and Calculated Pull Force-Bar Slip Curves
Figure 7.16 - Measured and Calculated Pull Forces for Pullout Tests
Figure 7.17- CIP Column Analytical Model
Figure 7.18- Original and Modified Reinforcing Steel Relationships Used in CIP Model

Figure 7.19- Measured and Calculated Force-Drift Hysteretic Curves for CIP
Figure 7.20- Measured and Calculated Force-Drift Envelopes for CIP

Figure 7.21- Measured and Calculated Base Moment-Curvature Curves for CIP
Figure 7.22- Measured and Calculated Lateral Force-Bar Strain Curves for CIP

Figure 7.23- Bond-Slip Effect on Local Responses of CIP Column
Figure 7.24- PNC Column Analytical Model

PNC Section A-A
Core SCC Discretization=10*10
Core Concrete Discretization=30*10
Cover Concrete Discretization=10*10
Unit: in. (mm)
Figure 7.25- Original and Modified Reinforcing Steel Relationships Used in PNC Model

Figure 7.26- Measured and Calculated Force-Drift Hysteretic Curves for PNC
Figure 7.27- Measured and Calculated Force-Drift Envelopes for PNC

Figure 7.28- Measured and Calculated Base Moment-Curvature Curves for PNC
Figure 7.29- GCDP Column Analytical Model
Figure 7.30 - Bond-Slip Effect on Steel Fibers Used in GCDP Model

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Figure 7.33- Measured and Calculated Force-Drift Envelopes for GCDP
Figure 7.34- Proposed versus Advanced Modeling Method for GCDP Column

Figure 7.35- Measured and Calculated Base Moment-Curvature Curves for GCDP
Figure 7.36- HCS Column Analytical Model

HCS Section A-A
Core SCC Discretization=10*10
Core ECC Discretization=30*10
Cover ECC Discretization=10*10
Unit: in. (mm)

Loading Direction
N

E

S

W

Cross-section Orientation

Head

Node 4

Elastic

12" (305)

96" (2438)

Footing

Node 1

Elastic

32" (813)

Figure 7.36- HCS Column Analytical Model
Figure 7.37 - Bond-Slip Effect on Steel Fibers Used in HCS Model

Figure 7.38 - Debonding Effect on SMA Fibers Used in HCS Model
Figure 7.39- Measured and Calculated Force-Drift Hysteretic Curves for HCS

Figure 7.40- Measured and Calculated Force-Drift Envelopes for HCS
Figure 7.41 - Measured and Calculated Moment-Curvature Curves for HCS at Level 3

(a) Bar B2 at 8.1 in. above Footing

(b) Bar B6 at 8.1 in. above Footing

Figure 7.42 - Measured and Calculated Lateral Force-SMA Bar Strain Curves for HCS
Figure 8.1- Effect of Reinforcing SMA Mechanical Properties on Moment-Curvature Curves
Figure 8.2 - Effect of All Reinforcing SMA Mechanical Properties on Moment-Curvature Curves
Figure 8.3- Effect of Reinforcing SMA Mechanical Properties on Pushover Curves

(a) Tensile \( k_1 \)
\[ 1 \text{kN} = 0.2248 \text{kip} \]

(b) Compressive \( k_2 \)

(c) Tensile \( f_y \)

(d) Compressive \( f_y \)

(e) Tensile \( \alpha \)

(f) Compressive \( \alpha \)

(g) Tensile, All Parameters

(h) Compressive, All Parameters
Figure 8.4 - Effect of All Reinforcing SMA Mechanical Properties on Pushover Curves
Figure 8.5- Effect of Reinforcing SMA Mechanical Properties Effect on Cyclic Responses
Figure 8.5- Effect of Reinforcing SMA Mechanical Properties on Cyclic Responses (Continued)
Figure 8.6- Effect of Reinforcing SMA Mechanical Properties on Energy Dissipation
Figure 8.7- Near-Fault Motions

(a) EQ1 [San Fernando]

(b) EQ3 [Imperial Valley]
Figure 8.8- Effect of Each SMA Mechanical Property on Peak and Residual Displacements
Figure 8.9- Effect of All SMA Mechanical Properties on Peak and Residual Displacements

(a) Peak Displacements

(b) Residual Displacements
Figure 9.1 - Grouted Duct Connections
Figure 9.2- Grouted Couple Connections

(a) Sleeves in Footing

(b) Sleeves Immediately above Footing

(c) Sleeves above Precast Pedestal

(d) Sleeves above Cast-in-Place Pedestal

Figure 9.3- SMA-Reinforced Columns

(a) Cast-in-Place SMA Column

(b) Precast SMA Column
Appendix A: PNC and CIP column Models Plastic Hinge Damage

Figure A.1 - PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 0.25% Drift

Figure A.2 - PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 0.5% Drift
Figure A.3 - PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 0.75% Drift

Figure A.4 - PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 1.0% Drift
Figure A.5- PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 2.0% Drift

Figure A.6- PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 3.0% Drift
Figure A.7 - PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 4.0% Drift

Figure A.8 - PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 5.0% Drift
Figure A.9 - PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 6.0% Drift

Figure A.10 - PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 8.0% Drift
Figure A.11- PNC and CIP Columns Plastic Hinge Damage after Full Cycles of 10.0% Drift

Figure A.12- PNC and CIP Columns Plastic Hinge Damage after Testing
Appendix B: GCDP, GCPP, and CIP column Models Plastic Hinge Damage

Figure B.1 - GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 0.25% Drift

Figure B.2 - GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 0.5% Drift
Figure B.3 - GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 0.75% Drift

Figure B.4 - GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 1.0% Drift
Figure B.5 - GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 2.0% Drift

Figure B.6 - GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 3.0% Drift
Figure B.7 GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 4.0% Drift

Figure B.8- GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 5.0% Drift
Figure B.9 - GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 6.0% Drift

Figure B.10 - GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 8.0% Drift
Figure B.11 - GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Full Cycles of 10.0% Drift

(a) GCDP
(b) GCPP
(c) CIP

GCPP failed at 6% drift
No test at this level

Figure B.12 - GCDP, GCPP, and CIP Columns Plastic Hinge Damage after Testing

(a) GCDP
(b) GCPP
(c) CIP
Appendix C: HCS, HCNP, and CIP column Models Plastic Hinge Damage

Figure C.1 - HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 0.25% Drift

Figure C.2 - HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 0.5% Drift
Figure C.3- HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 0.75% Drift

Figure C.4- HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 1.0% Drift
Figure C.5 - HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 2.0% Drift

Figure C.6 - HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 3.0% Drift
Figure C.7 HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 4.0% Drift

Figure C.8- HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 5.0% Drift
Figure C.9 - HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 6.0% Drift

Figure C.10 - HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 8.0% Drift
Figure C.11- HCS, HCNP, and CIP Columns Plastic Hinge Damage after Full Cycles of 10.0% Drift

Figure C.12- HCS, HCNP, and CIP Columns Plastic Hinge Damage after Testing
1. Design Recommendations for UHPC-Field Duct Columns Connections

UHPC-filled duct connections are categorized as grouted duct connections (Fig. 1) in which column longitudinal bars are anchored in corrugated ducts placed in adjoining members such as footings and cap beams. UHPC may be incorporated as duct filler instead of normal-strength grout to reduce the embedment length in shallow members. Design recommendations and commentary are presented in this section for these column types.

![Figure 1 - Grouted Duct Connections](image-url)
**Recommendations**

1.1- UHPC-filled duct columns and adjoining members such as footings and cap beams shall be designed in accordance to a legally adopted bridge code.

1.2- Three-day and 28-day compressive strength of UHPC shall not be less than 10000 psi (70 MPa) and 20000 psi (140 MPa), respectively.

1.3- Only corrugated galvanized strip metal ducts conforming to ASTM A653 shall be used.

1.4- Duct diameter \((d_d)\) shall not be less than three column longitudinal bar diameter \((3d_b)\).

1.5- Duct wall thickness shall not be less than 0.018 in. (0.46 mm).

1.6- Development length \((L_d)\) of column bars anchored in adjoining members shall be greater than the maximum of Eq. (1)

**Commentary**

C1.1- Bridge components are designed according to the AASHTO LRFD (2013) regardless of using UHPC-filled duct connections since these types of connections are emulative of conventional connections.

C1.2- ACI Committee 239 (2012) defined UHPC as: “Concrete that has a minimum specified compressive strength of 150 MPa (22,000 psi) with specified durability, tensile ductility and toughness requirements; fibers are generally included to achieve specified requirements”. Lower strength is allowed in UHPC-filled duct connections because the confining effects of ducts increase the compressive strength beyond the specified strength.

C1.3- Ducts with other materials such as plastics are not allowed either due to a lack of data, or in the case of plastics, ducts result in lower bond strength.

C1.4- Duct diameter shall be sufficiently larger than the anchoring bar diameter for ease of construction and ensuring high bond strength in UHPC-filled duct connections. For bundled bars, this limit shall be based on the equivalent bar diameter resulting in the same total cross section of the bundled bars. The duct diameter minimum limit may be reduced for bundled bars by 10% to avoid large size ducts.

C1.5- Duct wall thickness affects confinement thus bond strength. Due to a lack of test data, thinner ducts than that specified shall not be used.

C1.6- Column bars shall be extended to extreme layer of adjoining member reinforcements on the far side to form
Recommendations

and Eq. (2). However, this length shall not be greater than the adjoining member depth less the required cover concrete for those members.

\[ L_{d,\text{duct}} = \frac{d_b^2 f_y}{27 d_d \sqrt{f_y c}} \]  
\[ L_{d,\text{bar}} = \frac{d_b f_y}{120 \sqrt{f'_UHPc}} \]  

(1)  

(2)

1.7- A length of four column longitudinal bar diameter \(4d_b\) above and below the column-footing interface shall be debonded with an appropriate debonding method.

1.8- Duct shall be at least 1 in. (25 mm) longer than the bar development length. The bottom end of ducts shall be covered.

1.9- Transverse reinforcements similar to column transverse reinforcements shall be provided for duct cage installed in adjoining members.

Commentary

strut-and-tie mechanism to fully transfer the column ultimate loads to those members.

in SI units:

\[ L_{d,\text{duct}} = \frac{d_b^2 f_y}{2.24 d_d \sqrt{f_y c}} \]  
\[ L_{d,\text{bar}} = \frac{d_b f_y}{9.96 \sqrt{f'_UHPc}} \]  

(1-SI)  

(2-SI)

C1.7- A deformed bar may be debonded from concrete or UHPC using two layers of duct tape wrapped around the bar. The debonded length in ducts need not be considered in development length of bars in UHPC-filled duct connections (Article 1.6).

C1.8- Galvanized duct caps may be used to cover ducts.

C1.9- Slight increase in cross-sectional dimension of confined concrete is expected.
2. Design Recommendations for Mechanical Grouted Sleeve Bar Splice Columns

Column longitudinal bars and footing dowels are anchored in sleeves then sleeves are filled with a high-strength grout in mechanical grouted bar coupler connections. Location of couplers (Fig. 2) could affect seismic performance of columns due to size of sleeves. Design recommendations and commentary are presented in this section for these column types.

(a) Sleeves in Footing
(b) Sleeves immediately above Footing
(c) Sleeves above Precast Pedestal
(d) Sleeves above Cast-in-Place Pedestal

Figure 2- Grouted Couple Connections
Recommendations

2.1- Grouted coupler columns and adjoining members such as footings and cap beams shall be designed in accordance to a legally adopted bridge code.

2.2- Bridge columns shall be constructed in two segments: (1) a cast-in-place pedestal and (2) precast portion.

2.3- Height of pedestal shall not be less than half column diameter \((0.5D)\).

2.4- Column longitudinal bars shall be debonded from concrete in pedestal area.

2.5- Minimum cover concrete requirement of the governing code shall be provided for transverse reinforcement over the sleeves.

2.6- Transverse reinforcements similar to column transverse reinforcements shall be provided for pedestal and sections with sleeves.

Commentary

C2.1- Bridge components are designed according to the AASHTO LRFD (2013) regardless of using grouted duct coupler connections since these types of connections are emulative of conventional connections.

C2.2- Tests have shown improved seismic performance for columns with cast-in-place pedestal over columns with precast pedestal (Tazarv et al, 2013). Thus, only the column configuration shown in Fig. 2d is recommended in high seismic regions.

C2.4- A deformed bar may be debonded from concrete using two layers of duct tape wrapped around the bar.

C2.6- Slight increase in cross-sectional dimension of confined concrete is expected.
3. Design Recommendations for SMA-Reinforced ECC Columns

Low-damage materials such as engineered cementitious composite (ECC) and shape memory alloy (SMA) may be incorporated in conventional or accelerated bridge construction (Fig. 3). These materials are usually used in plastic hinge of columns to improve the seismic performance over conventional columns. Design recommendations and commentary are presented.

![Diagram of SMA-Reinforced Columns](image)

(a) Cast-in-Place SMA Column  
(b) Precast SMA Column

Figure 3- SMA-Reinforced Columns
Recommendations

3.1- SMA-reinforced columns and connecting members such as footings and cap beams shall be designed in accordance to a legally adopted bridge code.

3.2- Nonlinear material model and mechanical properties and for superelastic NiTi reinforcing SMA shall conform to Fig. 4 and Tables 1 & 2. A symmetric stress-strain material model based on the expected tensile properties shall be permitted for design of SMA-reinforced columns.

![Figure 4 - Nonlinear Model for SE SMA](image)

Reinforcing NiTi SMA bars with lower mechanical properties than the minimum specified in Table 1 shall not be permitted in design and construction.

Commentary

C3.1- Bridge components are designed according to the AASHTO LRFD (2013).

C3.2- Analytical investigations have shown that a symmetric SMA material model based on the expected tensile properties may be used in lieu of asymmetric model for design of SMA-reinforced bridge columns (Tazarv and Saiidi, 201X).

Table 1 - Minimum and Expected Tensile NiTi SE SMA Mechanical Properties

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Minimum*</th>
<th>Expected**</th>
</tr>
</thead>
<tbody>
<tr>
<td>Austenite modulus, ( k_1 )</td>
<td>4500 ksi (31025 MPa)</td>
<td>5500 ksi (37900 MPa)</td>
</tr>
<tr>
<td>Post yield stiffness, ( k_2 )</td>
<td>--</td>
<td>250 ksi (1725 MPa)</td>
</tr>
<tr>
<td>Austenite yield strength, ( f_y )</td>
<td>45 ksi (310 MPa)</td>
<td>55 ksi (380 MPa)</td>
</tr>
<tr>
<td>Lower plateau stress factor, ( \beta )</td>
<td>0.45</td>
<td>0.65</td>
</tr>
<tr>
<td>Recoverable superelastic strain, ( \varepsilon_r )</td>
<td>6%</td>
<td>6%</td>
</tr>
<tr>
<td>Secondary post-yield stiffness ratio, ( \alpha )</td>
<td>--</td>
<td>0.3</td>
</tr>
<tr>
<td>Ultimate strain, ( \varepsilon_u )</td>
<td>10%</td>
<td>10%</td>
</tr>
</tbody>
</table>

* To be used in material production  
** To be used in seismic design of SMA-reinforced concrete members
Recommendations

3.3- Incorporation of low-damage materials, SMA and ECC, only over partial length of columns shall be permitted. Length of ECC portion of columns shall not be less than 1.5 column largest cross sectional dimension (1.5D). Length of SMA bars shall not be less than $L_p$ and 75% of column largest cross sectional dimension (0.75D):

$$L_p = 0.08L + 0.15f_{ye}d_b \\ \geq 0.3f_{ye}d_b \text{ (in, ksi)}$$

3.4- Reinforcing SMA bars shall be connected to reinforcing steel bars using approved mechanical bar splices. Splicing shall be permitted in critical locations of ductile elements.

Table 2- Expected Compressive NiTi SE SMA Mechanical Properties

<table>
<thead>
<tr>
<th>Parameter</th>
<th>Expected</th>
</tr>
</thead>
<tbody>
<tr>
<td>Austenite modulus, $k_i$</td>
<td>$8900$ ksi (61365 MPa)</td>
</tr>
<tr>
<td>Post yield stiffness, $k_2$</td>
<td>$1400$ ksi (9650 MPa)</td>
</tr>
<tr>
<td>Austenite yield strength, $f_y$</td>
<td>$70$ ksi (480 MPa)</td>
</tr>
<tr>
<td>Lower plateau stress factor, $\beta$</td>
<td>$0.65$</td>
</tr>
<tr>
<td>Recoverable superelastic strain, $\varepsilon_r$</td>
<td>$3%$</td>
</tr>
<tr>
<td>Secondary post-yield stiffness ratio, $\alpha$</td>
<td>$0.45$</td>
</tr>
<tr>
<td>Ultimate strain, $\varepsilon_u$</td>
<td>$10%$</td>
</tr>
</tbody>
</table>

C3.3- Low-damage materials may be used only in plastic hinge zones to reduce costs.

$L_p$ in SI units:

$$L_p = 0.08L + 0.022f_{ye}d_b \\ \geq 0.044f_{ye}d_b \text{ (mm, MPa)}$$

C3.4- Couplers shall resist ultimate capacities of SMA and steel bars. Headed reinforcement couplers or threaded couplers may be used. Current bridge design specifications prohibit bar splicing in plastic hinge zones of columns in high seismic zones. Tests have shown that the seismic performance of columns with headed and threaded couplers incorporated in plastic hinge zones is essentially the same as that of conventional columns (Haber et al., 2014; Saiidi and Wang, 2006; Saiidi, et al., 2009).
Recommendaions

3.5- Conventional and accelerated construction shall be permitted for SMA-reinforced columns. UHPC-filled duct connections conforming to section 1 shall be permitted for accelerated construction.

Commentary

C3.5- When using UHPC-filled duct connections, SMA bars above the column-footing interface need not be debonded since SMA bars are plain with low bond strength.
4. Notations

- \( d_p \): Nominal diameter of longitudinal reinforcing steel bar (in, mm)
- \( d_d \): Inner diameter of duct (in, mm)
- \( D \): Column largest cross sectional dimension (in, mm)
- \( f_s \): Bar stress (psi, MPa); 1.5\( f_y \) or \( f_u \) whichever is greater
- \( f'c \): Compressive strength of concrete surrounding the duct (psi, MPa)
- \( f'_{UHPC} \): Compressive strength of UHPC in the duct (psi, MPa)
- \( f_{ye} \): Expected yield stress for longitudinal reinforcing steel bar (ksi, MPa)
- \( L \): Member length from the point of maximum moment to the point of contra-flexure (in, mm)
- \( L_d \): Development length for un-hooked deformed bar in UHPC-filled duct connection (in, mm)
- \( L_p \): Equivalent analytical plastic hinge length (in, mm)
- \( L_{d,duct} \): Bar development length based on duct bond strength (in, mm)
- \( L_{d,bar} \): Bar development length based on bar bond strength (in, mm)

5. References

<table>
<thead>
<tr>
<th>Report No.</th>
<th>Publication</th>
</tr>
</thead>
</table>


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